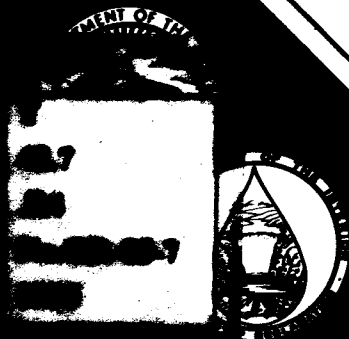


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ANALOG COMPUTER SIMULATION OF ASWAN HIGH DAM VOLTAGE REGULATORS

**September 1985
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**U.S. Department of the Interior
Bureau of Reclamation
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by

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Power and Instrumentation Branch
Division of Research and Laboratory Services
Engineering and Research Center
Denver, Colorado

September 1985



As the Nation's principal conservation agency, the Department of the Interior has responsibility for most of our nationally owned public lands and natural resources. This includes fostering the wisest use of our land and water resources, protecting our fish and wildlife, preserving the environmental and cultural values of our national parks and historical places, and providing for the enjoyment of life through outdoor recreation. The Department assesses our energy and mineral resources and works to assure that their development is in the best interests of all our people. The Department also has a major responsibility for American Indian reservation communities and for people who live in Island Territories under U.S. Administration.

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PREFACE

This report describes the models used for and the results of a study of the Aswan High Dam Powerplant excitation-control system in Upper Egypt. The study is based on information supplied to the USBR (Bureau of Reclamation) by the EEA (Egyptian Electricity Authority). Detailed information describing the existing parameter settings and operating characteristics of the present excitation-control equipment was not supplied by the EEA. Therefore, this study deals exclusively with a determination of the optimum theoretical performance of the existing equipment with and without additional power system stabilizer equipment. A copy of Activity No. 7 of the SWED POWER Phase II Final Report, dated March 1981, titled "Study on the Improvement of the Reliability of the 500-kV Transmission System from the High Dam to the Cairo Region and the Possibilities to Increase the Firm Transmission Capacity," [1]* was used to validate the results obtained from the Controls Section analog computer model.

This report was prepared by the Controls Section of the Power and Instrumentation Branch of the Division of Research and Laboratory Services. It is one of a series of reports documenting hydroelectric synchronous machine-control system modeling studies. The Controls Section is involved in the development of analog and digital computer models, field testing and alignment of synchronous machine-control systems, and applied research into improved control techniques. Members of the Controls Section are active in WSCC (Western Systems Coordinating Council) and IEEE (Institute of Electrical and Electronic Engineers) subcommittees developing standards for modeling and testing of synchronous machine-control systems.

* Numbers in brackets refer to the bibliography.

GLOSSARY OF SYMBOLS AND ACRONYMS

Symbols

- δ = torque angle
 $E/(MWS)$ = total kinetic energy of inertia
 E_{Bd} = direct-axis component of infinite-bus voltage phasor
 E_{Bq} = quadrature-axis component of infinite-bus voltage phasor
 \vec{E}_{Bus} = infinite-bus voltage phasor
 E_{md} = direct-axis component of midpoint-bus voltage phasor
 \vec{E}_{mid} = midpoint-bus voltage phasor
 E_{mq} = quadrature-axis component of midpoint-bus voltage phasor
 H = inertia constant
 \vec{I}_B = infinite-bus current phasor
 I_d, I_{td} = direct-axis component of machine-current phasor
 \vec{I}_L = midpoint-load current phasor
 I_{Ld} = direct-axis component of midpoint-load current phasor
 I_{Lq} = quadrature-axis component of midpoint-load current phasor
 I_q, I_{tq} = quadrature-axis component of machine-current phasor
 \vec{I}_t, \vec{I} = machine-current phasor
 $K_{\Delta v}$ = voltage regulator gain of terminal voltage deviation
 K_v = voltage regulator gain of derivative of terminal voltage
 K_{It} = voltage regulator gain of line current
 $K_{I't}$ = voltage regulator gain of derivative of line current
 $K_{I''t}$ = voltage regulator gain of second derivative of line current
 $K_{I'R}$ = voltage regulator gain of derivative of rotor current
 K_{FDBKt} = voltage regulator gain of derivative of field voltage
 K_{FDBKd} = voltage regulator gain of field current
 P_e = electrical power
 P_m = mechanical power
 $S_{G1.0}$ = generator saturation at rated terminal voltage
 $S_{G1.2}$ = generator saturation at 1.2 times rated terminal voltage
 T''_{DO} = direct-axis subtransient open-circuit time constant
 T''_{QO} = quadrature-axis subtransient open-circuit time constant
 T'_{DO} = direct-axis transient open-circuit time constant
 T_m = generator mechanical time constant
 \vec{V}_t = terminal-voltage phasor
 V_{td} = direct-axis component of terminal-voltage phasor
 V_{tq} = quadrature-axis component of terminal-voltage phasor
 X = system equivalent reactance
 X''_D = direct-axis subtransient reactance
 X''_Q = quadrature-axis subtransient reactance
 X'_D = direct-axis transient reactance
 X_B = equivalent reactance from midpoint bus to infinite bus
 X_D = direct-axis synchronous reactance
 X_L = armature-leakage reactance
 X_{Line} = equivalent reactance from machine to midpoint bus
 X_Q = quadrature-axis synchronous reactance

GLOSSARY OF SYMBOLS AND ACRONYMS – Continued

Acronyms

EEA = Egyptian Electricity Authority
IEEE = Institute of Electrical and Electronic Engineers
PSS = Power System Stabilizer
SWED = Swedish Power Service
WSCC = Western Systems Coordinating Council

CONTENTS

	Page
Preface	iii
Glossary of Symbols	v
Introduction	1
Conclusions	1
Background	2
Generator model	2
Tieline and infinite-bus model	3
Calculation of inertia constant	5
Egyptian power system model	6
IEEE Type AC4 regulator model and results	6
Power system stabilizer	8
Existing regulator model and results	8
Bibliography	9
 Appendix	
A – Network reduction of the 500-kV system	57
B – Additional analog computer diagrams	61
C – Listing of analog computer constants	65

TABLES

Table

1	Aswan High Dam synchronous machine parameters	10
2	Saturation curve function generator values	11
3	Summary of synchronizing and damping power coefficients	12
4	Results of study with IEEE Type AC4 regulator	13
5	Results of study with existing regulator	14

FIGURES

Figure

1	Two-axis synchronous machine model	15
2	Open-circuit saturation curve	16
3	Tieline and infinite-bus model	17
4	Tieline single-line diagram and equation	18
5	Analog computer diagram for midpoint load	19
6	Single-line diagram of the tieline with midpoint load	20
7	500-kV power system	20

CONTENTS – Continued

8	Model of the modified 500-kV power system.....	21
9	IEEE Type AC4 regulator model.....	22
10	IEEE Type AC4 regulator analog computer diagram.....	22
11	Off-line time-domain responses with IEEE Type AC4 regulator (4 sheets).....	23
12	Off-line frequency response with IEEE Type AC4 regulator.....	27
13	On-line time-domain responses with IEEE Type AC4 regulator (5 sheets).....	28
14	System performance for various values of line impedance and damping (8 sheets).....	33
15	Bode plots of the machine transfer function (3 sheets).....	41
16	Phasor diagram with both lines in service.....	44
17	Phasor diagram with only one line in service.....	45
18	System performance at full capacity with both lines in service.....	46
19	System performance at full capacity with only one line in service.....	47
20	Analog computer diagram of PSS function.....	48
21	Block diagram of existing regulator.....	49
22	Analog computer diagram of existing regulator.....	50
23	Off-line time-domain responses of the existing regulator (2 sheets).....	51
24	On-line time-domain responses of the existing regulator (2 sheets).....	53
25	Phase-angle response of machine power to rotor position for various line impedances to the infinite bus.....	55
A1	Successive steps in reduction of equivalent circuits.....	59
B1	Analog computer diagram of power to the infinite bus.....	63
B2	Analog computer diagram to enable pole-slipping.....	64
C1	Analog computer constants.....	67

INTRODUCTION

As a part of Activity No. 7 of the SWED Phase II Final Report [1], dated March 1981, performed for EEA, a recommendation was made to install PSS's (power system stabilizers) at Aswan High Dam. This recommendation was based on the results of digital-computer load flow and stability studies, which modeled the voltage regulators as IEEE Type AC4 devices. EEA then asked the USBR to determine whether PSS's were compatible with their existing voltage regulators furnished by the U.S.S.R. This study was undertaken to determine the effect of the existing voltage regulators on power system stability and to explore the addition of PSS's.

CONCLUSIONS

The existing Russian regulators are not simply voltage-regulating devices. They incorporate feedback from the terminal voltage, the derivative of terminal voltage, the 500-kV line current, the first and second derivatives of line current, and the derivative of rotor (field) current. Therefore, if properly aligned, these regulators can contribute to the dynamic stability of the power system and to its steady-state and transient stability. A typical IEEE Type AC4 voltage regulator increases only the transient and steady-state stability of the power system and decreases the dynamic (power-oscillation) stability limit. By adding a PSS to the type AC4 regulator, dynamic stability can be increased while retaining the increased transient and steady-state limits. By using additional feedback quantities, the existing High Dam regulators incorporate these dynamic-stability considerations.

Unanswered questions center on the alignment of the existing High Dam regulators and the typical system conditions. If the current-feedback quantities are not properly adjusted, the dynamic stability of the system could be worse than it would be without these quantities. The alignment also depends on the oscillation modes of the system. A strong mode between Aswan High Dam and Aswan Power Stations could hinder efforts to stabilize the 500-kV system; however, the use of 500-kV line current, rather than generator current, input to the regulator should eliminate this problem.

A record of actual line flows on the High Dam-Nag Hammadi, the Nag Hammadi-Samaltut, and the Samaltut-Cairo sections that show the damping or development of oscillations would help validate the model results. The SWED report seems to give conservative line limits based on the study of the actual voltage-regulating equipment. PSS's do not seem to be needed with the existing regulators; however, if these regulators are replaced with conventional equipment, there will be a definite need for PSS's.

BACKGROUND

The Egyptian power system of concern consists of thermal generation in the Cairo area in Lower Egypt and hydroelectric generation at the Aswan High Dam, Aswan, and Aswan II Powerplants in Upper Egypt. The system data were taken from the forecast for the 1985 system conditions in the SWED report.

The generation capacity in Upper Egypt is approximately 3070 MV·A, and the capacity in the Cairo area is approximately 4770 MV·A. The major load is in the Cairo area. The Upper Egypt generation is connected to the load in the Cairo area by two 500-kV transmission lines. There is limited generation at Assiut (110 MV·A), a midpoint on the 500-kV transmission line.

The load in Upper Egypt is predominately at Nag Hammadi and is less than 25 percent of the capacity in Upper Egypt. Nearly 50 percent of the capacity in Upper Egypt goes unused unless it is transmitted to the Cairo area. The present system can transmit less than 25 percent of the capacity of Upper Egypt to Cairo. The objective is to increase this percentage.

The problem is similar to a classical stability problem, in which two large masses are connected by a weak spring. The inertia of the Cairo area system is nearly the same as the inertia of the system in Upper Egypt. There is more generation in the Cairo area, but the inertia of the individual steam generators there is less than that of the individual hydroelectric generators in Upper Egypt. The two 500-kV lines provide the only tie between these two large inertias. The limiting case for stability analysis is the system condition in which one of two parallel line sections is out of service. In this limiting case the tie is weak.

The SWED study addresses several methods for improving the stability of the system and increasing the transmission to Cairo. One of the proposed solutions involves the addition of PSS's. This study attempts to validate the recommendation that PSS's be used.

GENERATOR MODEL

Figure 1 shows the 2-axis machine model used in this study. This model is described in detail in [2]. Table 1 shows the parameters used in this model. X''_q was unavailable in the SWED report; therefore, a value equal to X''_d was used.

The model chosen uses inputs of direct- and quadrature-axis machine currents and applied field voltage. The model outputs values of direct- and quadrature-axis machine voltage. The tieline model used is compatible with this approach.

Figure 2 shows the open-circuit saturation curve for the High Dam units based on the parameters $S_{G1.0}$ and $S_{G1.2}$ given in the Swedish study. Table 2 lists the function generator values used in the model.

TIELINE AND INFINITE-BUS MODEL

Figure 3 shows the tieline and infinite-bus representation initially used in this study. The swing equation is represented by amplifiers A35, A34, and A36 and potentiometers P36, P37, and P17. This group of elements solves the torque angle equation:

$$\delta = \int 314 \int \frac{P_m - P_e}{T_m}, \text{ when the damping constant, represented by P17, is set to zero.}$$

The damping constant, P17, is incorporated in the model to determine the relative stability. Negative damping can be inserted until a normally stable system begins to oscillate. This allows measurement of the damping in a stable system.

Amplifiers A3, A13, A41, and A45 create electrical power from the terminal direct- and quadrature-axis voltages and currents. Mechanical power from the turbine is assumed to be constant for the range of oscillation frequencies that voltage regulators cause. This is represented by P16.

The output of the swing equation is the total angle between the machine quadrature axis and the infinite-bus voltage phasor. This angle allows the infinite-bus voltage to be decomposed into its direct- and quadrature-axis components. At this point the tieline equation shown on figure 4 can be solved. This equation can be stated in direct- and quadrature-axis form as follows:

$$\vec{V}_t = j\vec{I}X + \vec{E}_{Bus}$$

$$(\vec{V}_{td} + j\vec{V}_{tq}) = jX(\vec{I}_d + j\vec{I}_q) + (\vec{E}_{Bd} + j\vec{E}_{Bq})$$

$$\vec{V}_{td} = -X\vec{I}_q + \vec{E}_{Bd}$$

$$\vec{V}_{tq} = +X\vec{I}_d + \vec{E}_{Bq}$$

These equations are solved using amplifiers A51, A55, A103, and A113 and potentiometers P61, P74, and P75. Switches S51 and S55 provide a means to take the generator off line for testing.

During the testing it was determined that a midpoint load was needed so that the identities of the High Dam-Cairo power flow and impedance were not lost in the total system representation. The model section on figure 5 was installed for this purpose. This model applies a constant current load at a point between the machine and the infinite bus. It was necessary to back-calculate the values of midpoint voltage and infinite-bus current to avoid numerical instability when using high tieline-impedance values. The equations for the midpoint load system are as follows:

$$\vec{V}_t = \vec{E}_{mid} + j\vec{I}_t X_{Line} \quad \rightarrow \quad \vec{V}_t - j\vec{I}_t X_{Line} = \vec{E}_{mid}$$

$$\vec{E}_{mid} = \vec{E}_{Bus} + j\vec{I}_B X_B \quad \rightarrow \quad \frac{\vec{E}_{mid} - \vec{E}_{Bus}}{jX_B} = \vec{I}_B$$

$$\vec{I}_t = \vec{I}_B + \vec{I}_L$$

$$\vec{I}_t = \frac{\vec{E}_{mid}}{jX_B} - \frac{\vec{E}_{Bus}}{jX_B} + \vec{I}_L$$

$$\vec{I}_t = \frac{\vec{V}_t}{jX_B} - \frac{j\vec{I}_t X_{Line}}{jX_B} - \frac{\vec{E}_{Bus}}{jX_B} + \vec{I}_L$$

$$\vec{I}_t + \vec{I}_t \frac{X_{Line}}{X_B} = \frac{\vec{V}_t}{jX_B} - \frac{\vec{E}_{Bus}}{jX_B} + \vec{I}_L$$

$$\vec{I}_t = \frac{\vec{V}_t}{jX_B (1 + X_{Line}/X_B)} - \frac{\vec{E}_{Bus}}{jX_B (1 + X_{Line}/X_B)} + \frac{\vec{I}_L}{(1 + X_{Line}/X_B)}$$

$$\vec{I}_t = \frac{\vec{V}_t}{j(X_B + X_{Line})} - \frac{\vec{E}_{Bus}}{j(X_B + X_{Line})} + \frac{\vec{I}_L X_B}{(X_B + X_{Line})}$$

$$\vec{I}_{td} + j\vec{I}_{tq} = \frac{\vec{V}_{td}}{j(X_B + X_{Line})} + \frac{j\vec{V}_{tq}}{j(X_B + X_{Line})} - \frac{\vec{E}_{Bd}}{j(X_B + X_{Line})} - \frac{j\vec{E}_{Bq}}{j(X_B + X_{Line})} + \frac{\vec{I}_{Ld} X_B}{X_B + X_{Line}} + \frac{j\vec{I}_{Lq} X_B}{X_B + X_{Line}}$$

$$\vec{I}_{td} = \frac{\vec{V}_{td}}{X_B + X_{Line}} - \frac{\vec{E}_{Bq}}{X_B + X_{Line}} + \frac{\vec{I}_{Ld} X_B}{X_B + X_{Line}}$$

$$\vec{I}_{tq} = \frac{-V_{td}}{X_B + X_{Line}} + \frac{\vec{E}_{Bd}}{X_B + X_{Line}} + \frac{\vec{I}_{Lq} X_B}{X_B + X_{Line}}$$

$$\vec{E}_{md} = \vec{V}_{td} + \vec{I}_{td} X_{Line}$$

$$\vec{E}_{mq} = \vec{V}_{tq} - \vec{I}_{td} X_{Line}$$

Figure 6 shows the single-line diagram of this system.

CALCULATION OF INERTIA CONSTANT

The equivalent inertia constant, H , for the High Dam-Cairo system when converting the equivalent two-finite-machine system to an equivalent finite-infinite machine system calculated as:

	Rating MV · A	H	Study Power	H on 2060 MV · A _{Base}
High Dam	2060	7.41	1700	
Aswan II A	150	3.3	136	
Aswan II B	150	3.3	136	
Aswan I	<u>297</u>	<u>4.4</u>	<u>222</u>	
U. Egypt Equiv.	2657	6.61	2194	8.52
L. Egypt Equiv.	4164	2.85	3305	
Assiut	112.5	4.0	90	
Ayat	<u>600</u>	<u>4.0</u>	<u>316</u>	
L. & M. Egypt Equiv.	4877	3.02	3711	7.15
Total System (U., L. & M. Egypt)	7534	4.29	5905	

$$H = \frac{E (MWS)}{S_{Base}}$$

$$H_{eq} = \frac{H_u H_L}{H_u + H_L} = 3.89 \text{ on } 2060 \text{ MV} \cdot A_{Base}$$

Note that the kinetic energy of Upper Egypt is 22,638 MJ; whereas, the kinetic energy of Lower Egypt is only 14,729 MJ. Thus, Aswan High Dam more closely approximates an infinite mass than does Cairo.

EGYPTIAN POWER SYSTEM MODEL

The basis for the power system model used was found in appendix 1 of the Swedish study. Figure 7 shows these data on a diagram of the 500-kV system. Appendix A of this report shows a network reduction for this system. The resulting equivalent finite machine-to-infinite bus system has a reactance between machine model Thevenin voltages of 0.673 per unit (on a $2060 \text{ MV} \cdot \text{A}_{\text{Base}}$) with both High Dam-Nag Hammadi lines in service or a reactance of 0.784 per unit with one line out of service. Unfortunately, this model is inaccurate because the total power generated in Upper Egypt is not transmitted through the equivalent reactance of the model. Therefore, an intermediate load was added to the transmission system (at Nag Hammadi) to more accurately model the Egyptian 500-kV system. Figure 8 shows the system chosen to model the 500-kV system more accurately. Results obtained with this model corroborate the Swedish report much better than those obtained with the simple machine infinite-bus system having no intermediate load.

IEEE TYPE AC4 REGULATOR MODEL AND RESULTS

Figure 9 shows the block diagram of the regulator model used in the Swedish study. This diagram fits the form of the IEEE Type AC4 model [3]. Figure 10 shows the analog computer representation used in this study.

First, off-line data were gathered using the IEEE Type AC4 regulator. Figure 11 shows the off-line time-domain performance of this regulator with varying amounts of gain. Figure 12 shows the closed-loop frequency response of this regulator with the gain set to 31 (the value used in the SWED study).

Figure 13 shows the on-line time-domain performance of the regulator when the generator is running at no load. Note that as the line impedance increases, the gain of the overall excitation system increases also.

For the finite-machine tieline, infinite-bus system on figure 4, the regulator gave the results shown on figure 14. Table 3 summarizes the synchronizing-power coefficient and damping-power coefficients observed in these and other tests.

It was noticed that the oscillation frequencies obtained in this study did not match the frequencies found in the SWED report. It seems that combining all of the 500-kV system into a single equivalent voltage and impedance is not adequate for maintaining the correct swing frequency. Therefore, a frequency-domain technique was used to discover the effect of voltage-regulator action on damping power.

Figure 15 shows Bode plots of the machine transfer function, P_e/δ . It should be noted that any time the machine has a lagging phase angle, the overall machine tieline-infinite bus system is unstable. On figure 15 (sheet 1) this region can be observed as swing frequencies below 0.075 Hz (with a regulator gain of 31). Figure 15 (sheet 2) indicates that as machine power increases, the frequency range of unstable operation increases. At 1.0 per unit (on a $2060 \text{ MV} \cdot \text{A}_{\text{Base}}$) power, the machine is unstable for swing frequencies below 0.95 Hz. This result can also be seen in table 3.

Unfortunately, this frequency-response technique provides no insight into power transfers or system configuration. However, it is a powerful tool for pointing out frequencies at which sufficient damping is unavailable. The oscillation modes within regions that are actually present on the system depend on the particular system configurations used.

To investigate actual line flows, the system on figure 6 was connected. Figure 16 shows a phasor diagram of the system with both High Dam-Nag Hammadi lines in service, and figure 17 shows a phasor diagram with one line out of service. With both lines in service, the transfer from High Dam-Nag Hammadi was limited to 1700 MW, and the transfer from Nag Hammadi-Cairo was 1025 MW. The oscillation frequency observed was 0.72 Hz under these conditions. Figure 18 shows this condition.

With one High Dam-Nag Hammadi line out of service, the power transfer from High Dam-Nag Hammadi was limited to 1350 MW, and the Nag Hammadi-Cairo transfer was 660 MW. The oscillation frequency for this case was 0.63 Hz. Figure 19 shows this case.

Unfortunately, direct comparison of the findings of this study with those of the SWED study cannot be made because of the inability to model many machines on the analog computer and the unavailability of most of the SWED study load-flow data. (Only two cases are included in the appendices of the SWED Report). However, the findings in this section are reasonably close to the SWED study summary of 1700 MW for both lines in service and 1550 MW with one line out of service.

POWER SYSTEM STABILIZER

A PSS of the speed type was connected to the Type AC4 regulator model by using the analog diagram of figure 20. The resulting power-transfer increase is shown in table 4 for various stabilizer gain settings. In real applications this gain will be limited by local plant swing modes. This limitation is not now known. From examining the SWED study, it appears that a gain of 1.5 per unit was used. If that was the case, a transfer increase of about 150 MW would be obtained as stated in the SWED study.

EXISTING REGULATOR MODEL AND RESULTS

A block diagram of the existing Aswan High Dam regulators is shown on figure 21 [4]. The inputs from derivatives of line current, terminal voltage, and field current make this an extremely difficult regulator to understand and align. The analog model used is shown on figure 22. Terminal voltage and current were obtained by using vector modules remote from the analog computer. Direct- and quadrature-axis voltages and currents were input to the vector modules, and the terminal quantities were output.

An off-line alignment of this regulator was done by using the derivative of voltage. This adjustment provided a sort of transient gain reduction. Figure 23 shows the off-line time-domain response of this regulator for various values of K_v . Figure 24 shows the on-line no-load time-domain responses of this regulator with various line impedances.

The on-line alignment of the current feedback elements was made by loading the unit into the machine, infinite-bus, midpoint load system and adjusting the parameters until a damping improvement was seen. Table 5 shows the power transfer limits for various regulator parameters. Actual parameters in use on the regulators would be helpful to this part of the study.

The frequency-response technique presented earlier was also used with the existing regulator. Figure 25 shows that for low values of line impedance (approximately 25%) to the infinite bus, the High Dam regulators would be unstable at frequencies above 1.0 Hz. There appears to be a significant increase in damping at frequencies below 1 Hz for all values of impedance. This is an interesting phenomenon, which should be investigated further.

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Table 1. – Aswan High Dam synchronous machine parameters.

	SWED	Brown Boveri	Model Data Used
X_D	1.1025	1.0	1.1025
X_Q	0.6615	0.66	0.6615
X'_D	0.3638	0.33	0.3638
X''_D	0.2392	0.22	0.2392
X''_Q	N/A	0.33	0.24
X_L	0.1690	N/A	0.169
T'_{DO}	8.5	2.8	8.5
T''_{DO}	0.06	0.15	0.06
T''_{QO}	0.1	N/A	0.1
$MV \cdot A_{Base}$	171.7 each	206 each	171.7 each
$S_{G1.0}$	0.0857	N/A	0.0857
$S_{G1.2}$	0.2432	N/A	0.2432

Table 2. - Saturation curve function generator values.

GENERATOR SATURATION - ASWAN HIGH DAM

$$SG = B * (E_t - A) * (E_t - A) / E_t$$

A = .763415467333

B = 1.53111610898

SG1.0 = .0857

SG1.2 = .2432

E _t (PU)	SAT FUNC S _g (PU)	S _g *E _f d (PU)	(1+S _g)*E _t (PI)
0	0	0	0
.05	0	0	.05
.1	0	0	.1
.15	0	0	.15
.2	0	0	.2
.25	0	0	.25
.3	0	0	.3
.35	0	0	.35
.4	0	0	.4
.45	0	0	.45
.5	0	0	.5
.55	0	0	.55
.6	0	0	.6
.65	0	0	.65
.7	0	0	.7
.75	0	0	.75
.8	2.56161089769E-3	2.04928871815E-3	.80204928872
.85	1.35042302602E-2	1.14785957212E-2	.86147859572
.9	3.17372036323E-2	.028563483269	.928563483268
.95	5.61094224863E-2	.053303951362	1.00330395137
1	8.56999999997E-2	8.56999999998E-2	1.0857
1.05	.119763456364	.125751629182	1.17575162918
1.1	.157689853555	.173458838911	1.27345883892
1.15	.198975329723	.228821629182	1.37882162918
1.2	.2432	.29184	1.49184
1.25	.29001116109	.362513951363	1.61251395136
1.3	.339110371745	.440843483268	1.74084348328
1.35	.390243404238	.526828595723	1.87682859573
1.4	.443192349084	.620469288718	2.02046928871
1.45	.497769353281	.721765562258	2.17176556226
1.5	.553811610897	.830717416345	2.33071741635
1.55	.611177323212	.947324850978	2.49732485098
1.6	.669742416344	1.07158786615	2.67158786615
1.65	.729397855685	1.20350646188	2.8535064619
1.7	.7900474342	1.34308063814	3.04308063815
1.75	.851605939977	1.49031039496	3.24031039498
1.8	.913997629067	1.64519573232	3.44519573233
1.85	.977154946065	1.80773665022	3.65773665023
1.9	1.04101744667	1.97793314867	3.87793314868
1.95	1.10553088598	2.15578522766	4.10578522765
2	1.1706464436	2.3412928872	4.3412928872

Table 3. – Summary of synchronizing and damping power coefficients.

$$S_p = P_{max} \cos \delta \quad P_{max} \approx \frac{E_{Bus} E_{fd}}{X_q + X_{Line}} \quad \omega_n = \sqrt{\frac{\omega_s S_p}{2H}} \quad \omega_s (50 \text{ Hz}) = 314.16$$

$$H_{eq} (\text{Aswan High Dam with system effects}) = 3.31 \quad K_s = \frac{\pi H}{15 T_{osc}} \quad K_D = \frac{4H}{t_d}$$

12

								Data Records		Actual		
X_{Line}	$X_{Line} + X_q$	E_{fd}	$\approx P_{max}$	$\delta @ 1.0 \text{ pu load}$		S_p	ω_n	f_n	K_s	K_D	f_n	K_D
0.25	0.91	1.55	1.70	46.1°		1.18	7.5	1.19	0.94	6.3	1.36	6.62
.30	.96	1.58	1.65	48.7°		1.09	7.2	1.14	.90	5.9	1.30	5.50
.35	1.01	1.61	1.59	51.3°		0.996	6.9	1.09	.86	4.4	1.24	4.42
.40	1.06	1.64	1.55	53.9°		.913	6.6	1.05	.83	3.7	1.20	3.74
.45	1.11	1.67	1.50	56.7°		.824	6.3	0.995	.79	2.9	1.14	2.87
.50	1.16	1.70	1.47	59.5°		.745	5.9	.95	.76	2.2	1.095	2.20
.60	1.26	1.77	1.41	65.6°		.582	5.3	.84	.68	1.2	0.98	1.04
.70	1.36	1.86	1.36	72.2°		.418	4.5	.71	.60	0.08	.86	0.09
H	$X_{Line} + X_q$	E_{fd}	$\approx P_{max}$	δ	P_e	S_p	ω_n	f_n	K_s	K_D	f_n	K_D
3.31	1.36	1.86	1.36	72.2° @ 1.0	0.418	4.5	0.71	0.60	0.08	0.86	0.09	
4.0	1.36	1.85	1.36	71.9° @ 0.996	.42	4.07	.65	0.65	0	.78	0	
5.0	1.36	1.82	1.34	70.7° @ .98	.44	3.73	.59	0.75	0	.71	0	
6.0	1.36	1.80	1.32	69.6° @ .96	.46	3.48	.55	0.83	0	.66	0	
7.0	1.36	1.79	1.32	68.9° @ .95	.47	3.26	.52	0.89	0	.61	0	
8.0	1.36	1.78	1.31	68.6° @ 0.95	.48	3.06	.49	0.96	0	.57	0	

Table 4. – Results of study with IEEE type AC4 regulator.

(a) One line out of service			
<u>PSS Gain</u>	<u>HD-NH</u>	<u>NH-Cairo</u>	<u>NH Load</u>
10.0	1747 MW	1178 MW	569 MW
5.0	1683 MW	1079 MW	604 MW
2.0	1524 MW	873 MW	651 MW
1.0	1442 MW	775 MW	667 MW
0.0	1350 MW	660 MW	690 MW
(b) Both lines in service			
<u>PSS Gain</u>	<u>HD-NH</u>	<u>NH-Cairo</u>	<u>NH Load</u>
10.0	>2200 MW	>1600 MW	600 MW
5.0	2125 MW	1503 MW	622 MW
2.0	1920 MW	1261 MW	661 MW
1.0	1788 MW	1108 MW	680 MW
0.0	1700 MW	1025 MW	675 MW

Table 5. – Results of study with existing regulator.

(a) One line out of service			
<u>Conditions</u>	<u>HD-NH</u>	<u>NH-Cairo</u>	<u>NH Load</u>
No current FB			
$K_{\Delta V} = 25$	1154 MW	453 MW	700 MW
$K_V = 10$			

$K_{it} = 0.25$ pu			
$K_{rt} = 5.0$ pu	1298 MW	618 MW	680 MW
$K_{rt} = 0.0$ pu			

$K_{it} = 0.25$ pu			
$K_{rt} = 5.0$ pu	1732 MW	1151 MW	581 MW
$K_{rt} = -2.5$ pu			

$K_{it} = 0.25$ pu			
$K_{rt} = 5.0$ pu	1655 MW	1046 MW	609 MW
$K_{rt} = -1.0$ pu			

(b) Both lines in service			
<u>Conditions</u>	<u>HD-NH</u>	<u>NH-Cairo</u>	<u>NH Load</u>
No current FB			
$K_{\Delta V} = 25$	1400 MW	713 MW	690 MW
$K_V = 10$			

$K_{it} = 0.25$ pu			
$K_{rt} = 5.0$ pu	1755 MW	1079 MW	676 MW
$K_{rt} = 0.0$ pu			

$K_{it} = 0.25$ pu			
$K_{rt} = 5.0$ pu	2190 MW	1580 MW	610 MW
$K_{rt} = -2.5$ pu			

$K_{it} = 0.25$ pu			
$K_{rt} = 5.0$ pu	2108 MW	1482 MW	626 MW
$K_{rt} = -1.0$ pu			

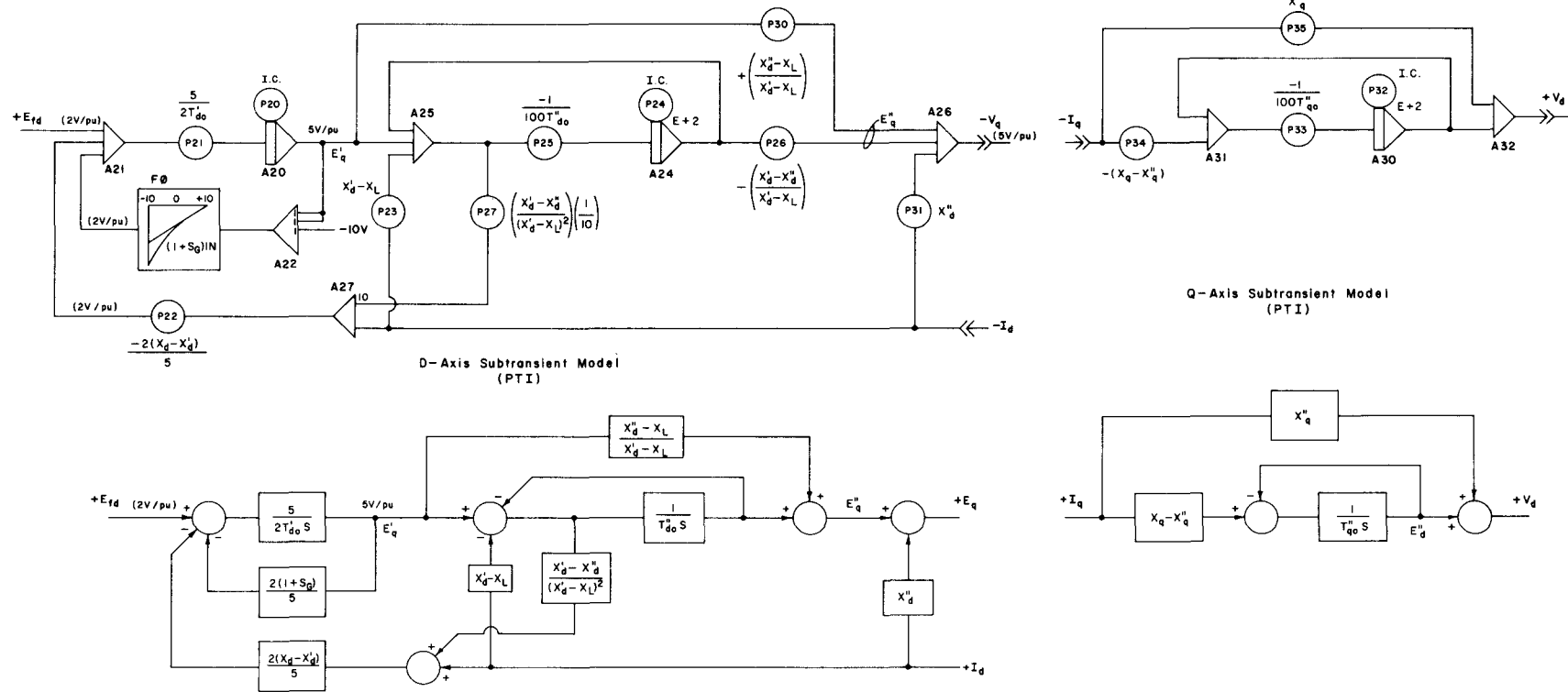


Figure 1. – Two-axis synchronous machine model.

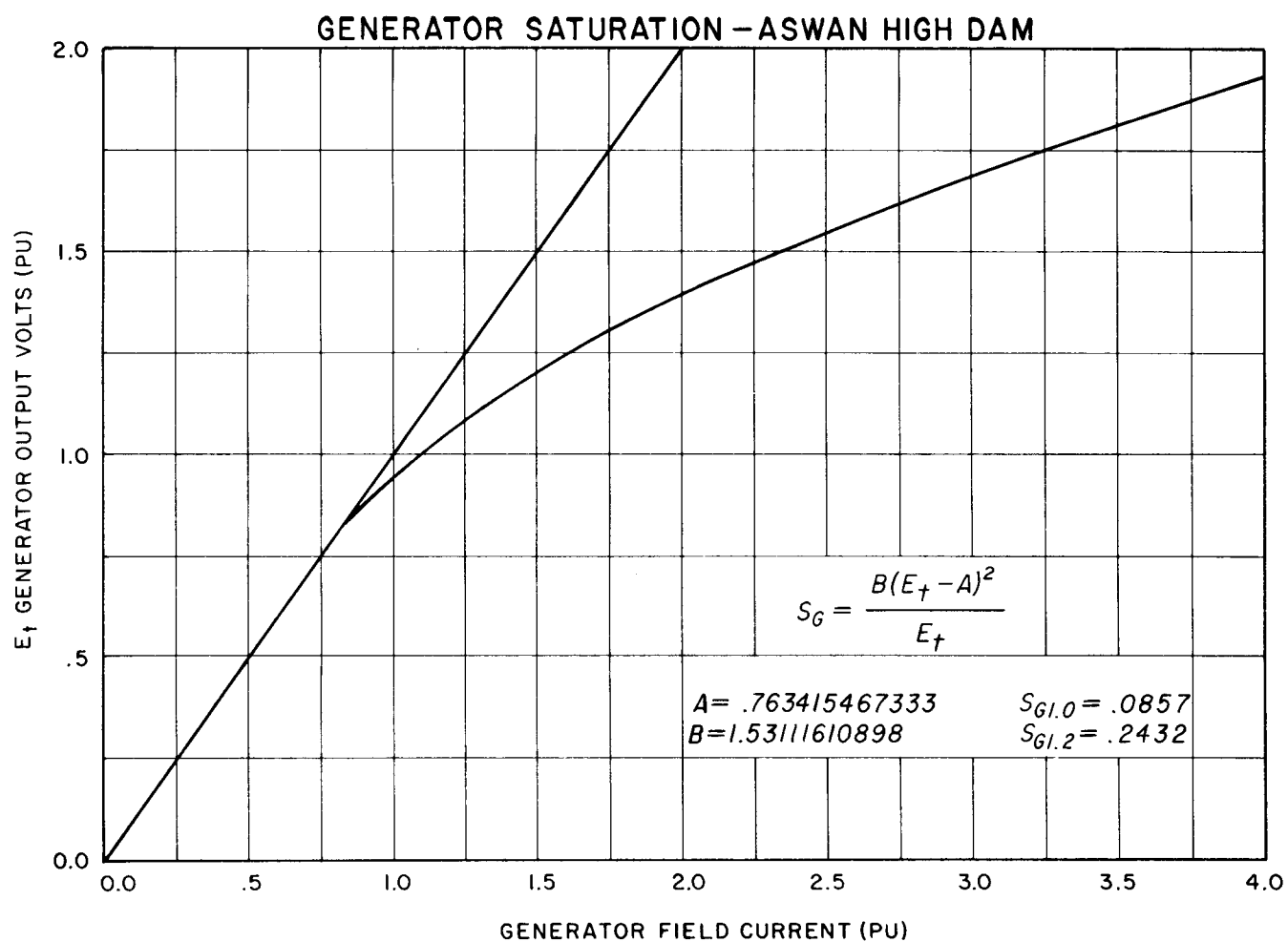
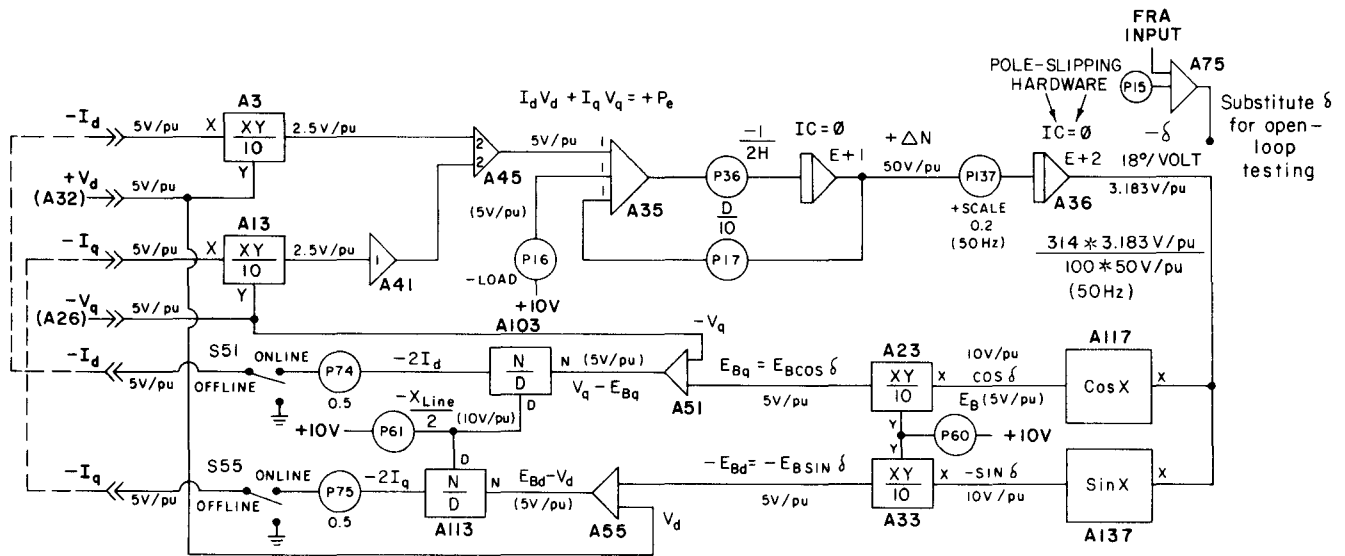


Figure 2. – Open-circuit saturation curve.



Analog Trunks and Variables

$+V_d$	401	from	A 32
$-V_q$	402	from	A 26
$-I_d$	403	from	A103
$-I_q$	404	from	A113
V_t	1	from	Vector Module
I_t	3	from	Vector Module
$+P_e$		from	A45 (5 V/pu)
$+\Delta N$			A34 (50 V/pu)
$-\delta$			A36 18°/V
E_B			P60 5 V/pu
$-X_L$			P61 10 V/pu

Integrators

I 0	I_t'	ckt.	E + 0
I 4	E_{fd}	2V/pu	E + 1
I10	dV/dt	ckt.	E + 0
I14	rate FB	ckt.	E + 0
I16	I_t''	ckt.	E + 0
I20	E_q'	5 V/pu	E + 0
I24	E_q''	5 V/pu	E + 2
I30	E_d''	5 V/pu	E + 2
I34	$+\Delta N$	50 V/pu	E + 1
I36	$-\delta$	18°/V	E + 2

Coefficients

C 0	K_I	(AVR)
C 1	K_I'	(AVR)

Coefficients - Continued

C 2	K_I''	(AVR)
C 3	$-K_{E_{fd}}$	(AVR)
C 4	$-K_f$	(AVR)
C 5	$+1/100/T_f$	(AVR)
C 6	$-K_V'$	(AVR)
C 7	Manual Excitation	(AVR)
C10	-Ref.	(AVR)
C11	-I.C. of E_{fd}	(AVR)
C12	+I.C. of E_{fd}	(AVR)
C13	+I.C. of V_t	(AVR)
C14	$-1/10 T_A$	(AVR)
C15	Substitute δ (Open loop testing)	
C16	$-P_{load}$	(Swing Eq.)
C17	$D/100$	(Swing Eq.)
C20	-I.C. of E_q'	(D-Axis) [$-V_t$]
C21	$\frac{5}{2T_{do}}$	(D-Axis)
C22	$\frac{-2(X_d' - X_d'')}{5}$	
C23	$X_d' - X_L$	
C24	+I.C. of E_q''	(D-Axis) [V_t]
C25	$\frac{-1}{100 T_{do}''}$	
C26	$-\left(\frac{X_d' - X_d''}{X_d' - X_L'}\right)$	

$$C27 \quad -\left(\frac{X_d' - X_d''}{(X_d' - X_L')^2}\right)$$

$$C30 \quad \frac{X_d'' - X_L}{X_d' - X_L}$$

$$C31 \quad X_d''$$

$$C32 \quad \text{I.C. of } E_d'' [V_d]$$

$$C33 \quad \frac{-1}{100 T_{do}''}$$

$$C34 \quad -(X_q' - X_q'')$$

$$C35 \quad X_q''$$

$$C36 \quad \frac{-1}{T_m} \quad \text{Swing Eq.}$$

$$C37 \quad + \text{Scale (0.2) Swing Eq.}$$

$$C40 \quad -9.85 \text{ V Int. Reset Ckt.}$$

$$C41 \quad +9.85 \text{ V Int. Reset Ckt.}$$

$$C44 \quad +9.9 \text{ V Int. Reset Ckt.}$$

$$C45 \quad -$$

$$C50 \quad \text{Step Input}$$

$$C51 \quad -$$

$$C54 \quad -$$

$$C55 \quad -$$

$$C60 \quad +E_B \quad (5 \text{ V/pu})$$

$$C61 \quad -X_L \quad (10 \text{ V/pu})$$

$$C64 \quad -$$

$$C65 \quad V_t \quad \text{correction} - 0.003 \text{ pu}$$

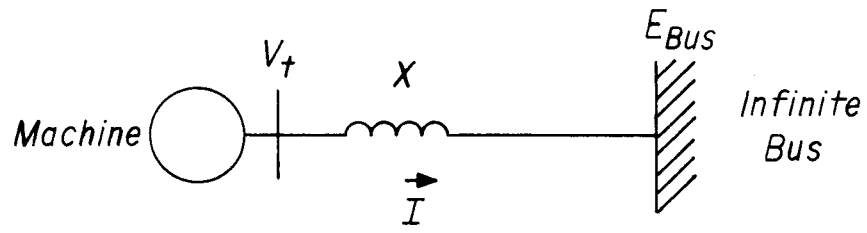
$$C70 \quad -$$

$$C71 \quad -$$

$$C74 \quad \text{Pu correction}$$

$$C75 \quad \text{Pu correction}$$

Figure 3. - Tieline and infinite-bus model.



$$\vec{V}_t = j\vec{I}X + \vec{E}_{Bus}$$

Figure 4. – Tie-line single-line diagram and equation.

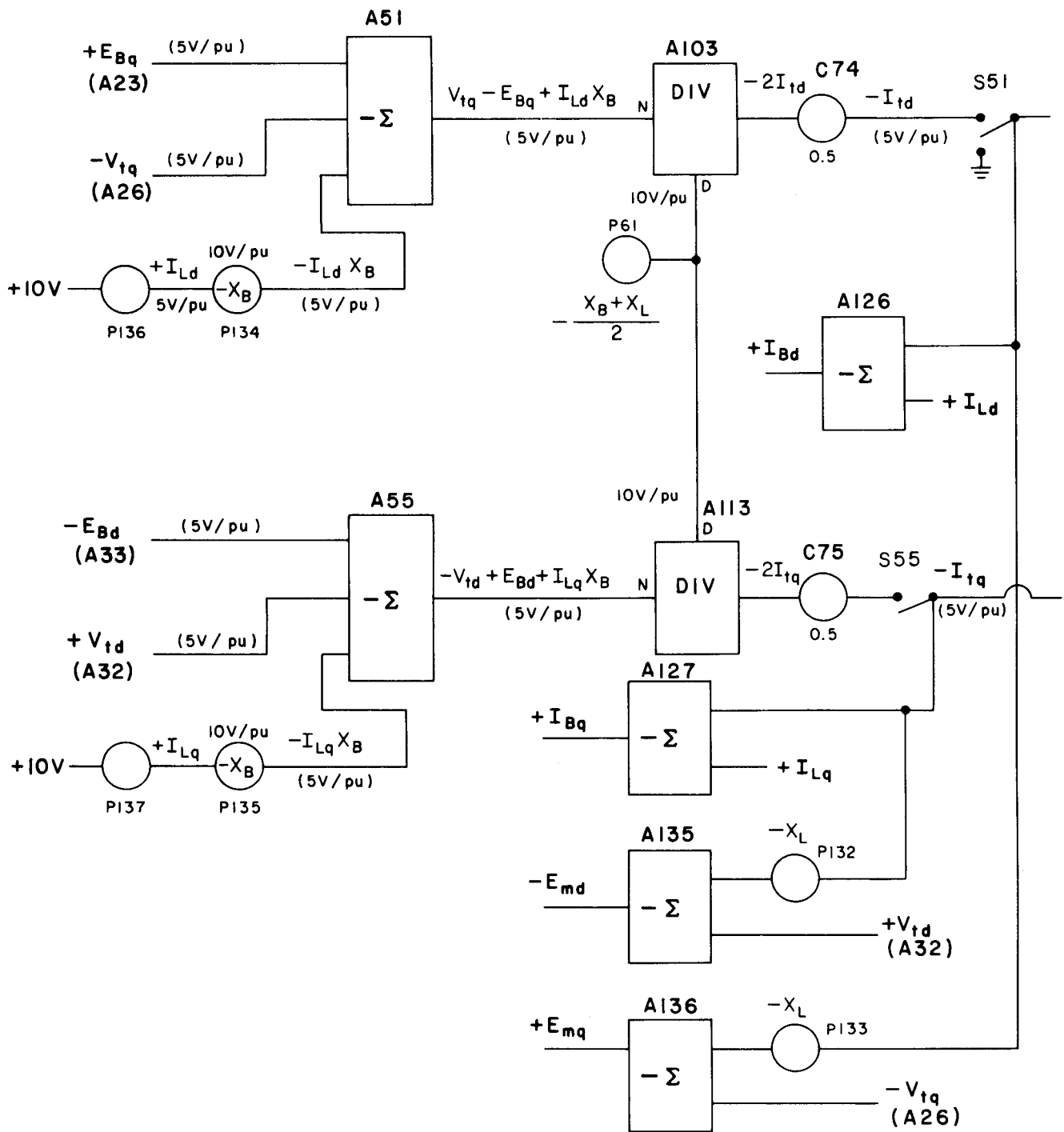


Figure 5. — Analog computer diagram for midpoint load.

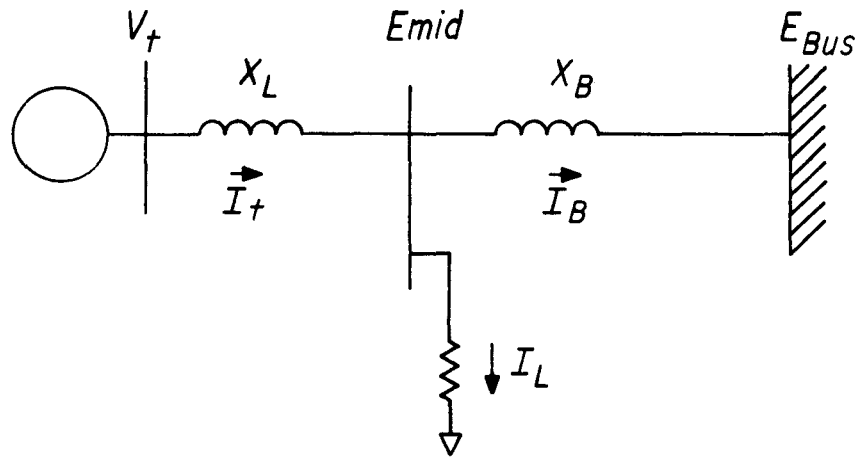


Figure 6. – Single-line diagram of the tieline with midpoint load.

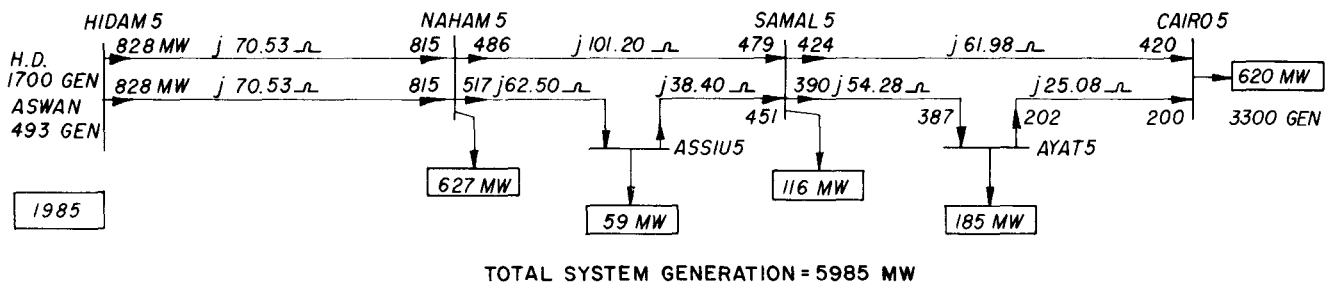
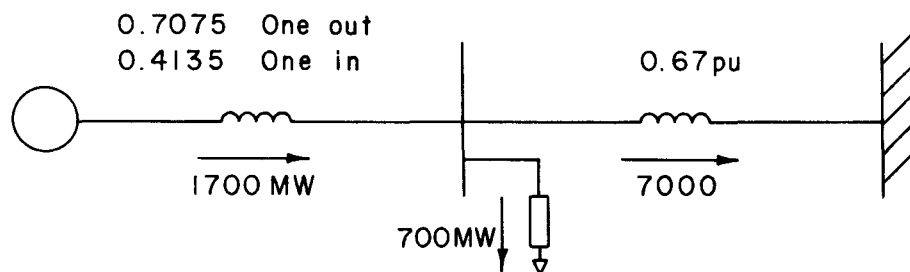
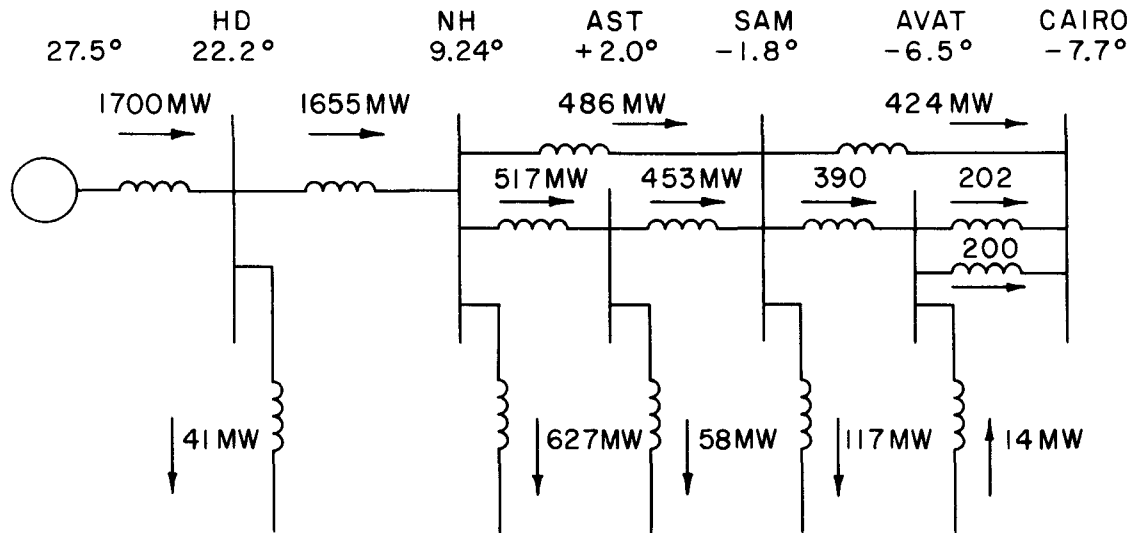


Figure 7. – 500-kV power system.



HD → NH 0.4135 pu Both lines in
 0.7075 pu One line out

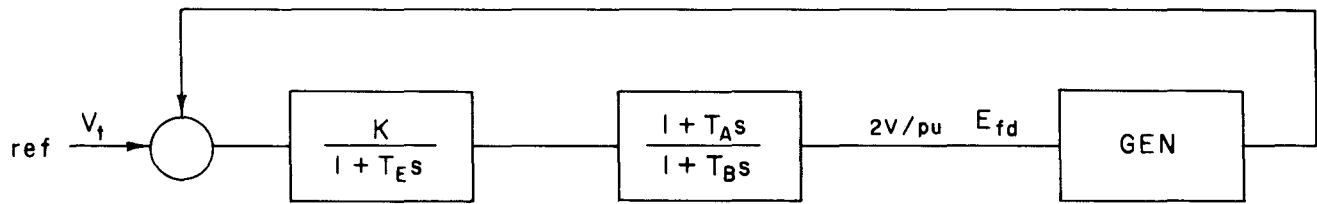
NH → CAIRO 0.67 pu

Load at NH → ≈ 700 MW → 0.34 pu

Power to Cairo → ≈ 1000 MW → 0.485 pu

Total Generation 1700 MW → 0.825 pu

Figure 8. – Model of modified 500-kV power system.



$$K = 31$$

$$T_E = 0.05 \text{ second}$$

$$T_B = 13.0 \text{ second} \quad T_A = 0.254 \quad T_B = 3.3 \text{ second}$$

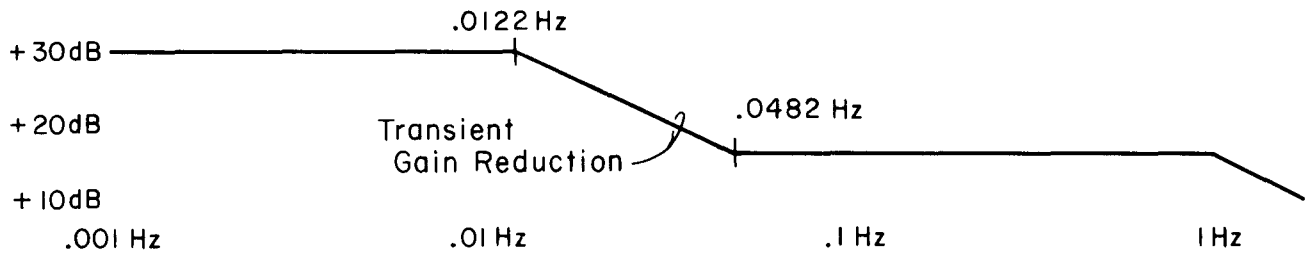


Figure 9. – IEEE Type AC4 regulator model.

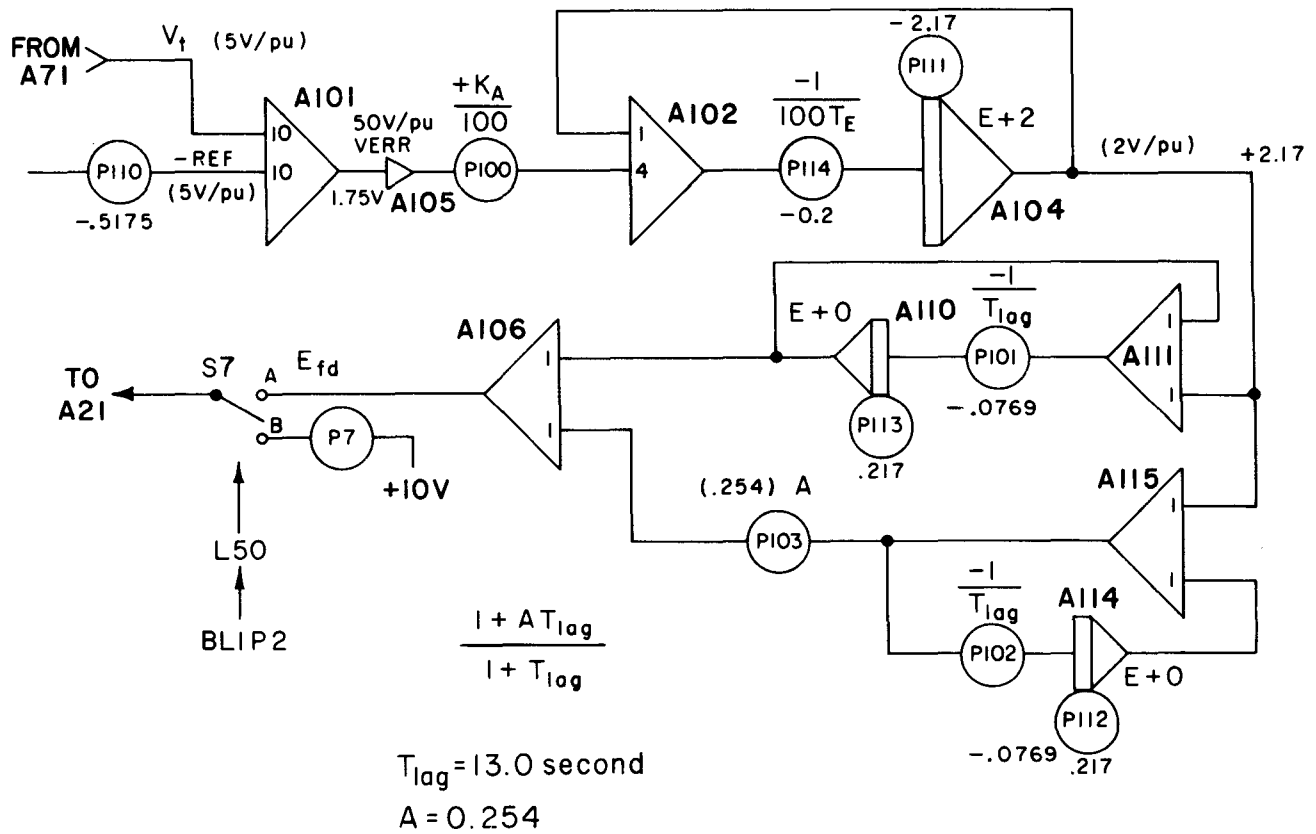


Figure 10. – IEEE Type AC4 regulator analog computer diagram.

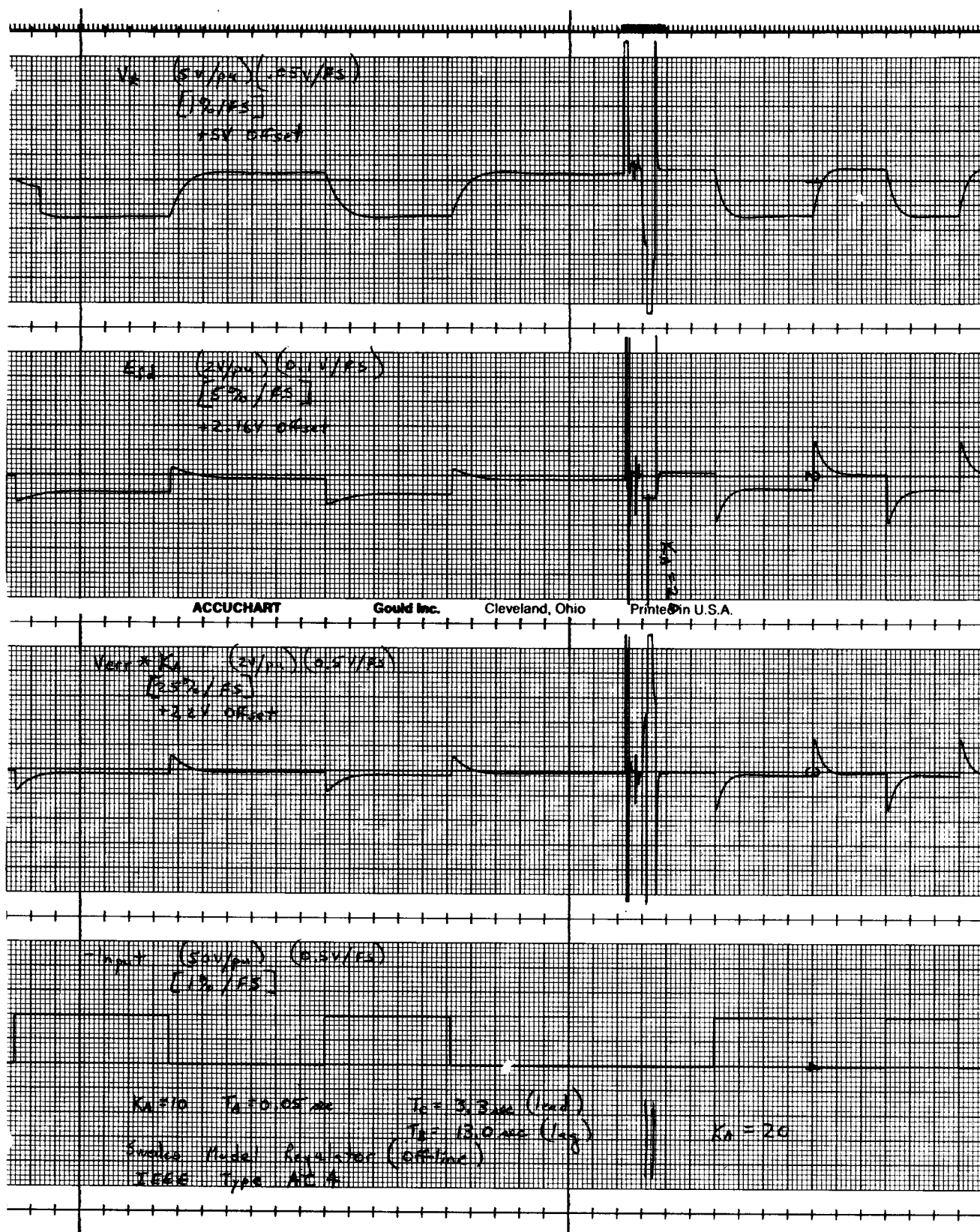


Figure 11. - Off-line time-domain responses with IEEE Type AC4 regulator (sheet 1 of 4).

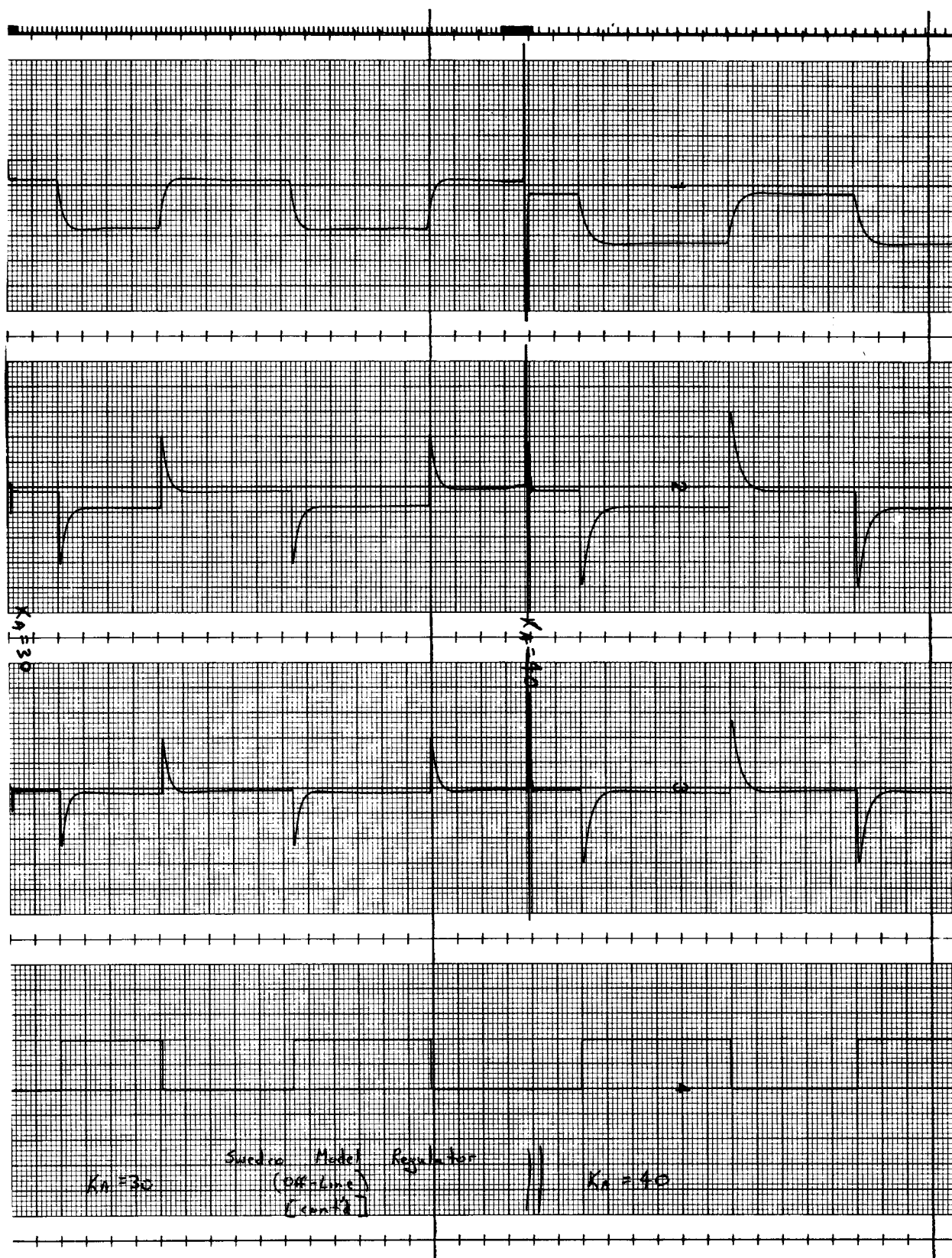


Figure 11. – Off-line time-domain responses with IEEE Type AC4 regulator (sheet 2 of 4).

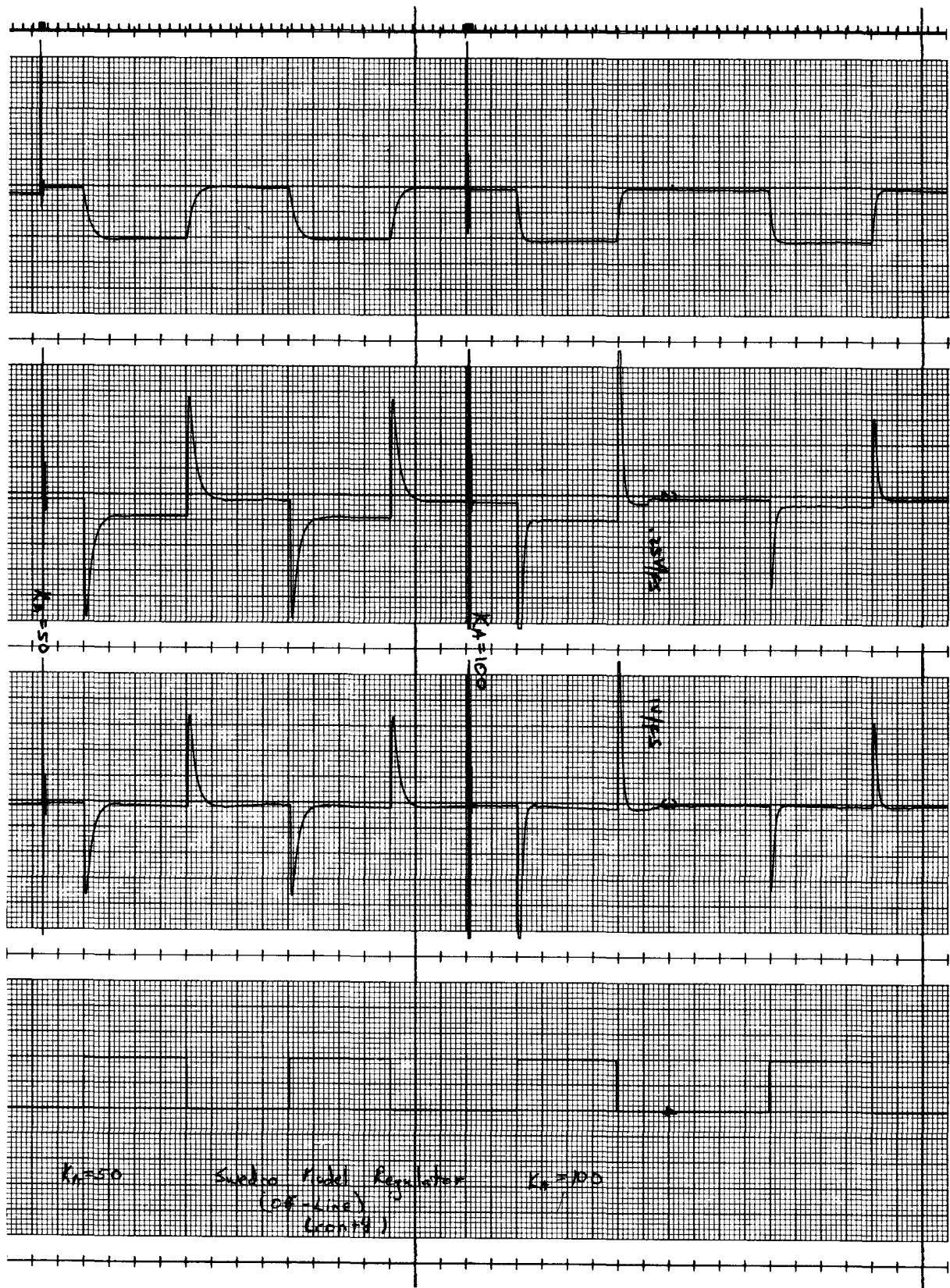


Figure 11. – Off-line time-domain responses with IEEE Type AC4 regulator (sheet 3 of 4).

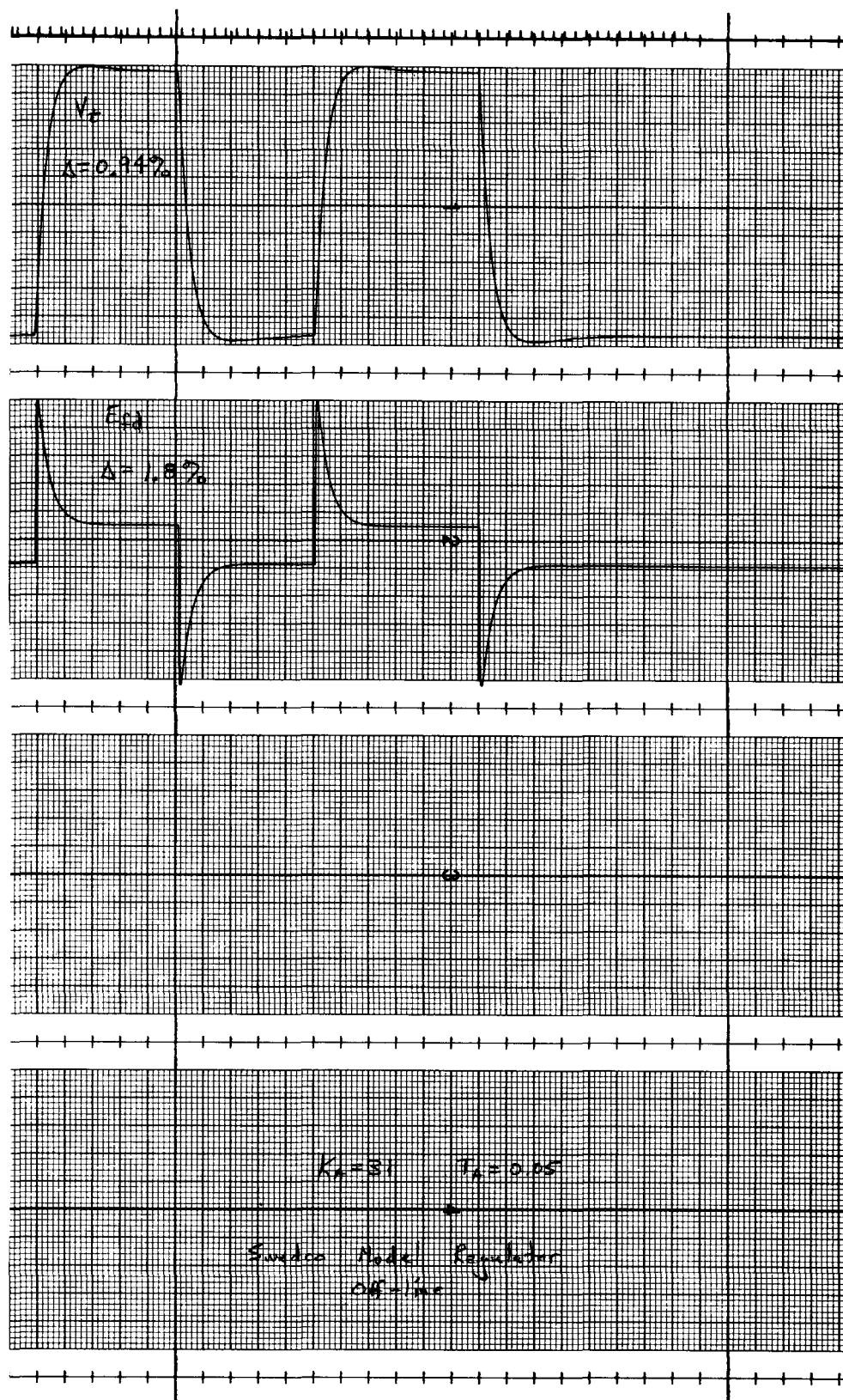


Figure 11. – Off-line time-domain responses with IEEE Type AC4 regulator (sheet 4 of 4).

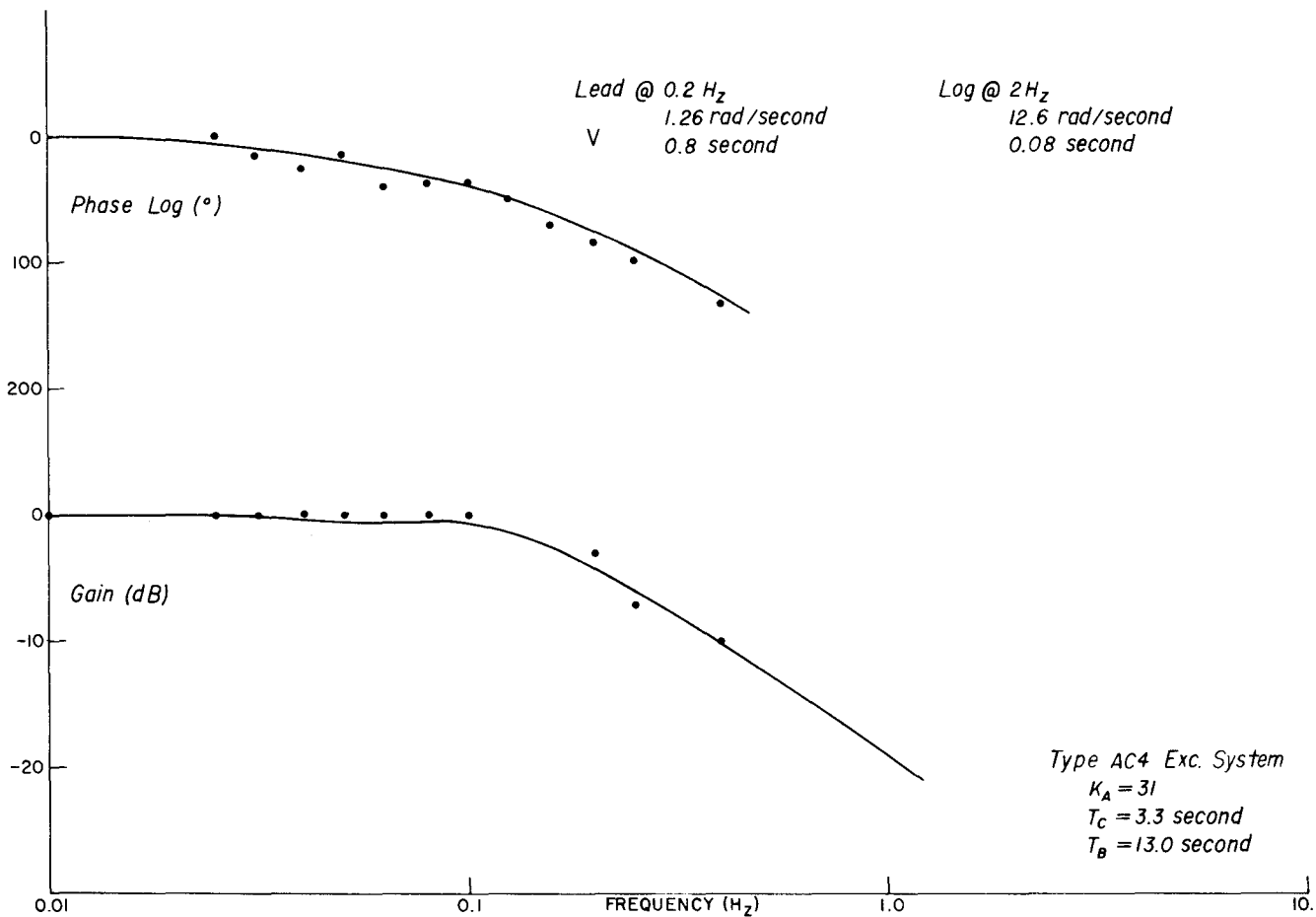


Figure 12. – Off-line frequency response with IEEE Type AC4 regulator.

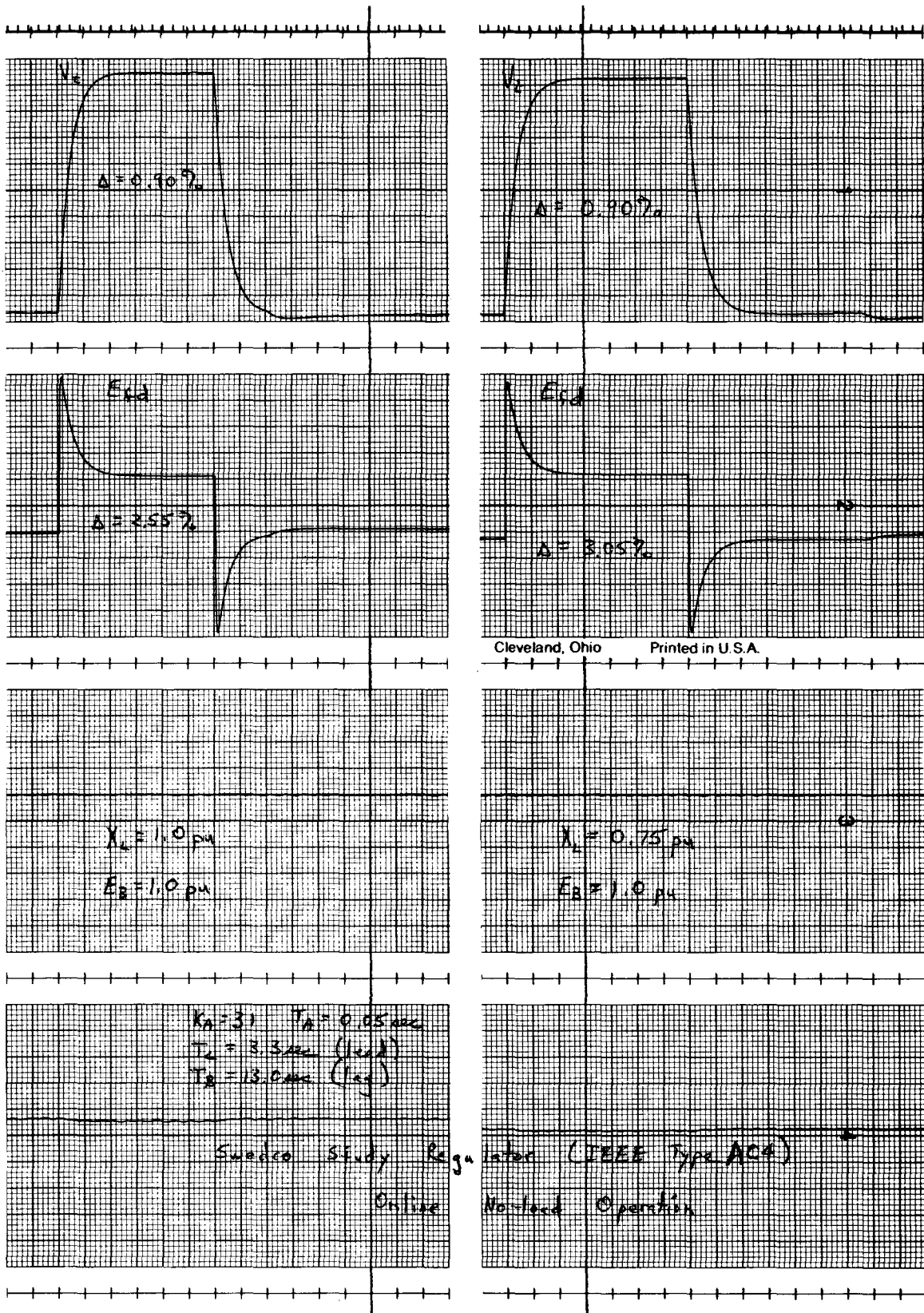


Figure 13. – On-line time-domain responses with IEEE Type AC4 regulator (sheet 1 of 5).

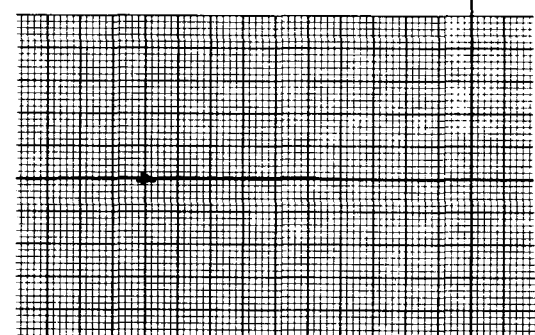
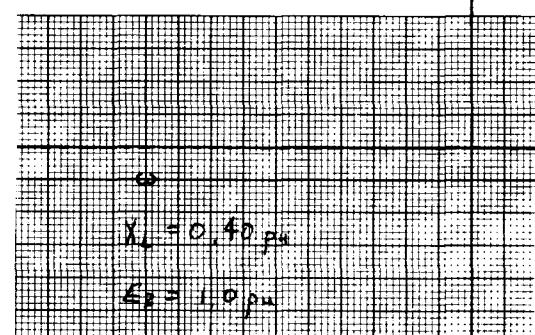
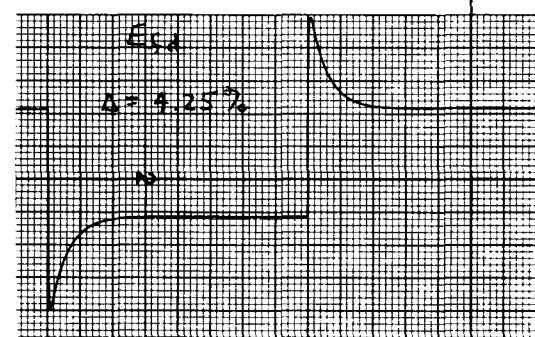
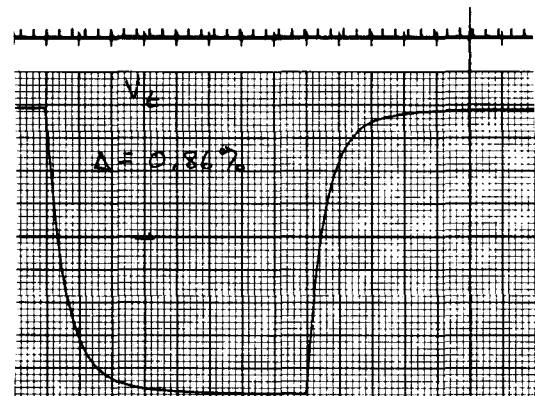
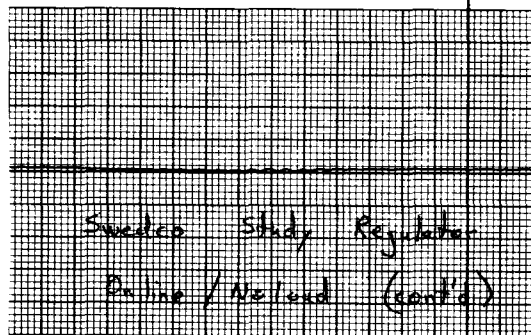
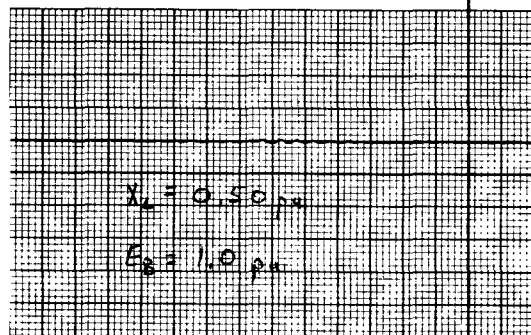
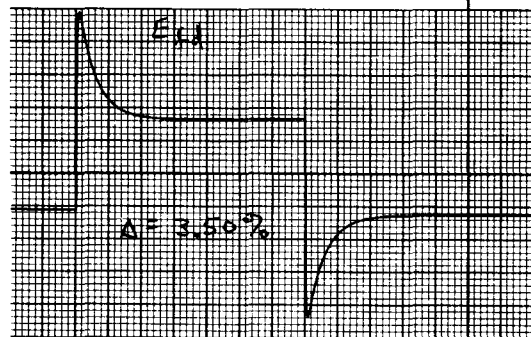
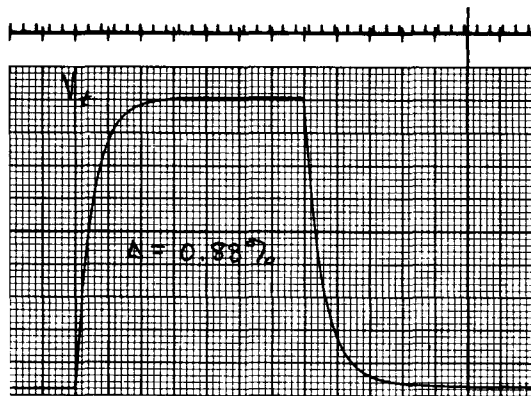


Figure 13. – On-line time-domain responses with IEEE Type AC4 regulator (sheet 2 of 5).

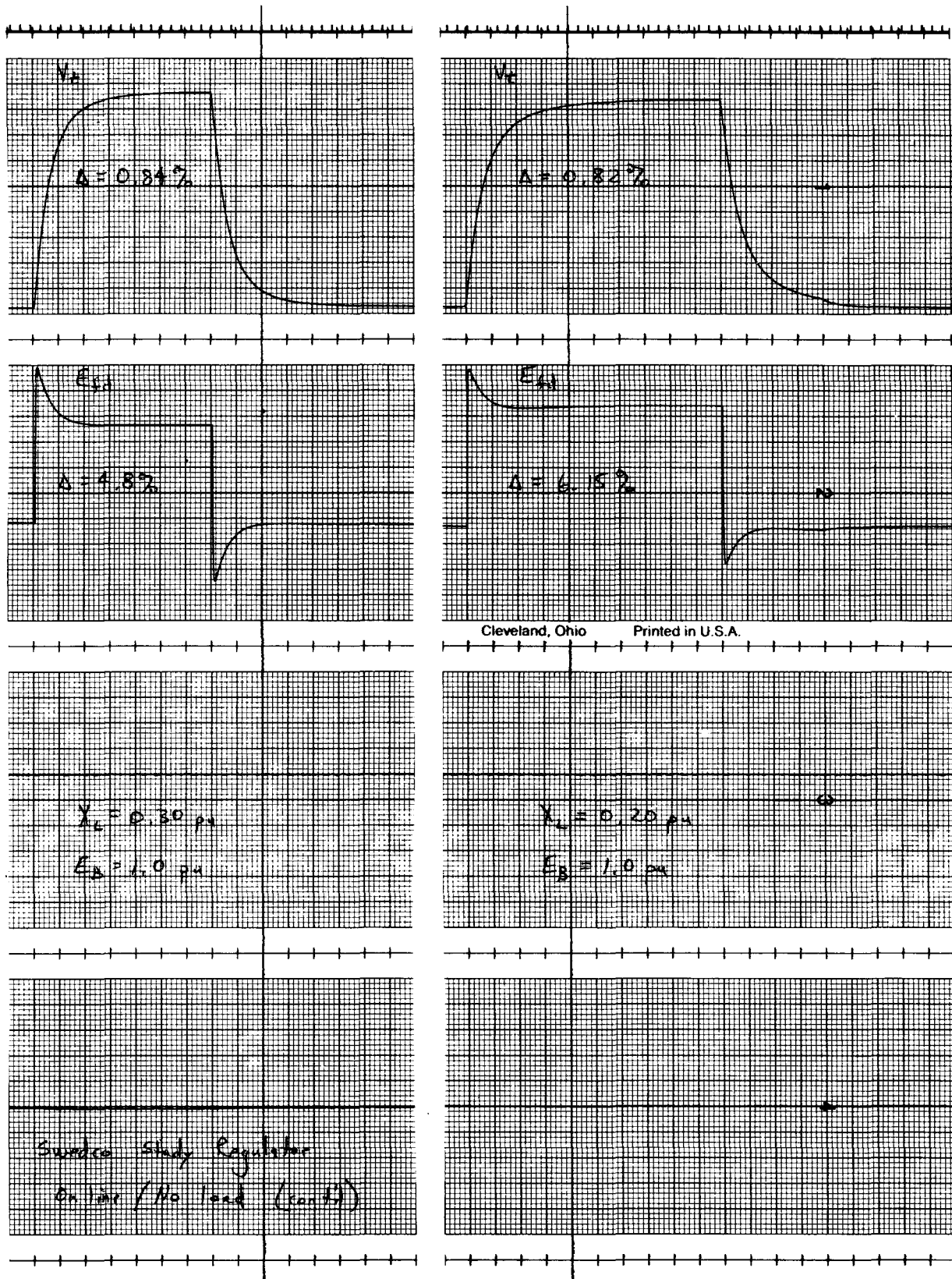


Figure 13. – On-line time-domain responses with IEEE Type AC4 regulator (sheet 3 of 5).

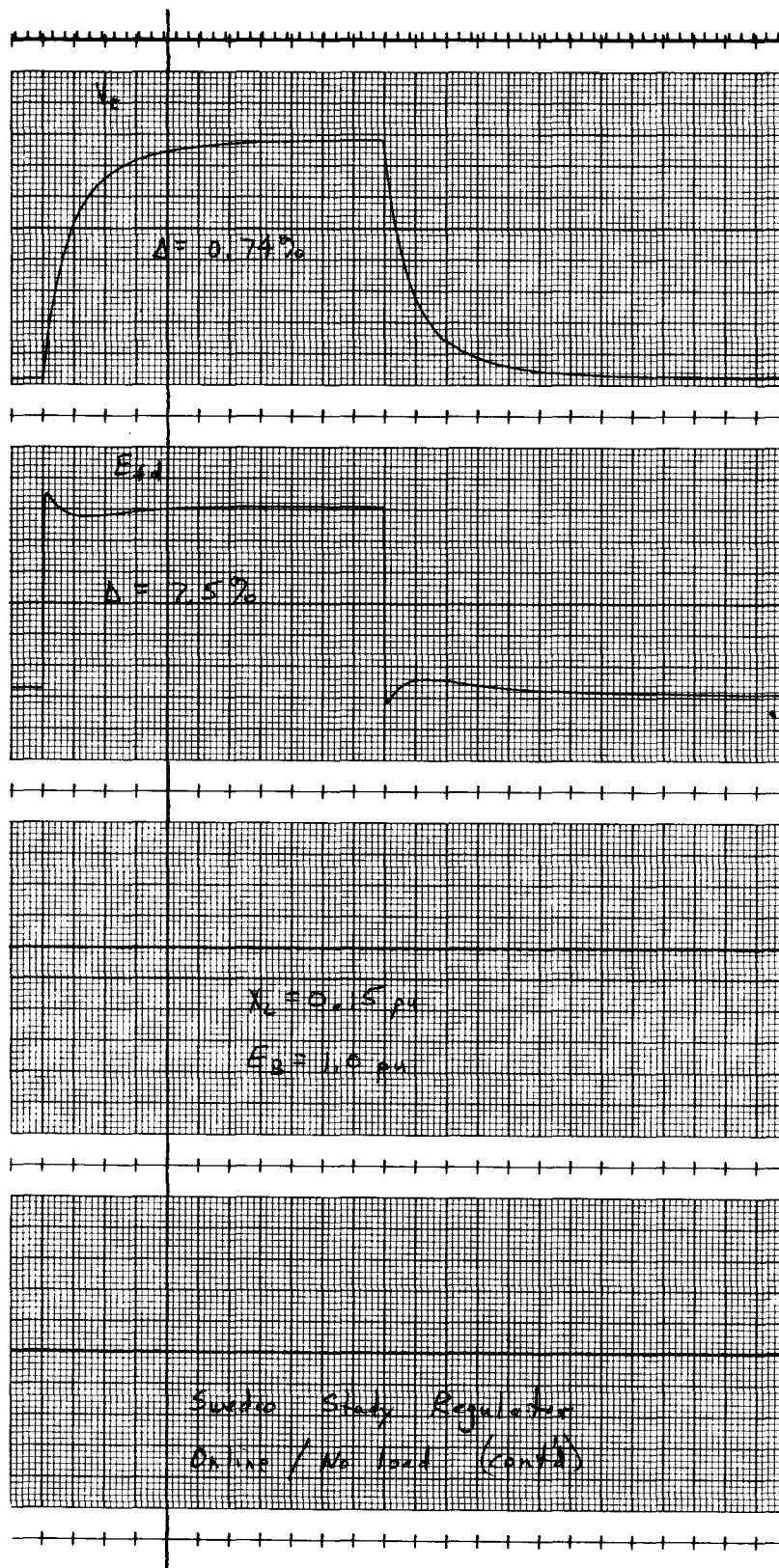


Figure 13. – On-line time-domain responses with IEEE Type AC4 regulator (sheet 4 of 5).

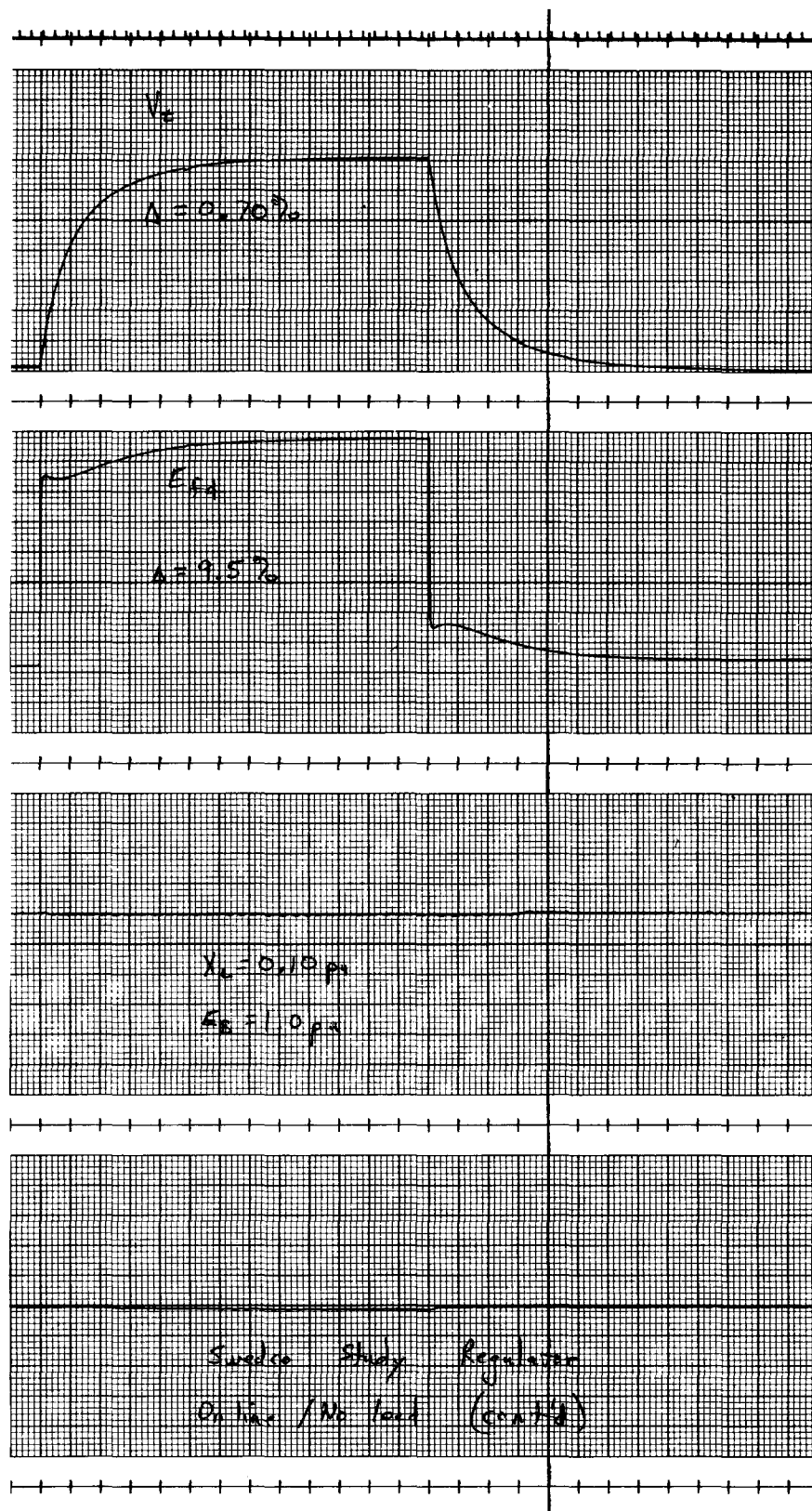


Figure 13. – On-line time-domain responses with IEEE Type AC4 regulator (sheet 5 of 5).

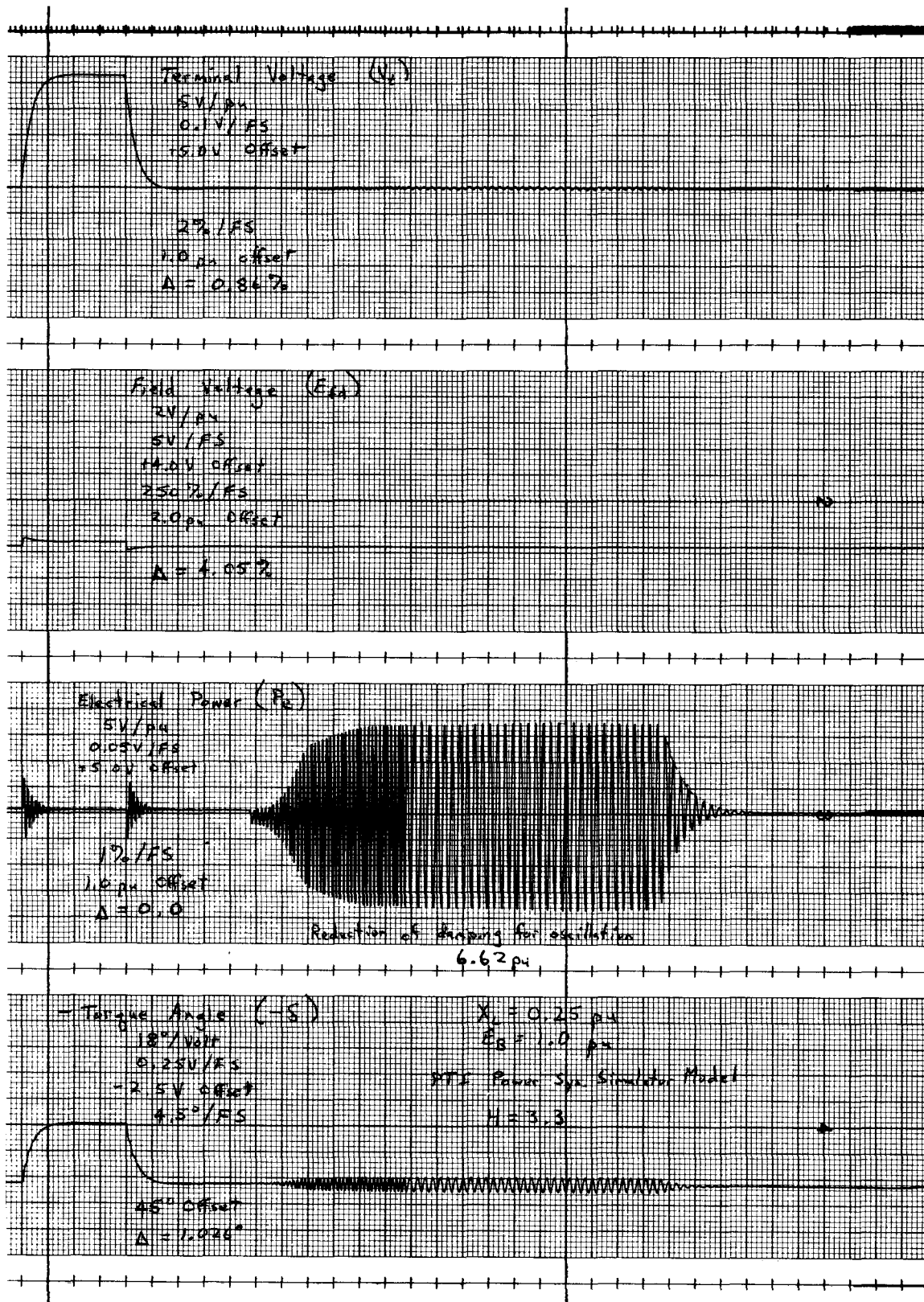


Figure 14. – System performance for various values of line impedance and damping (sheet 1 of 8).

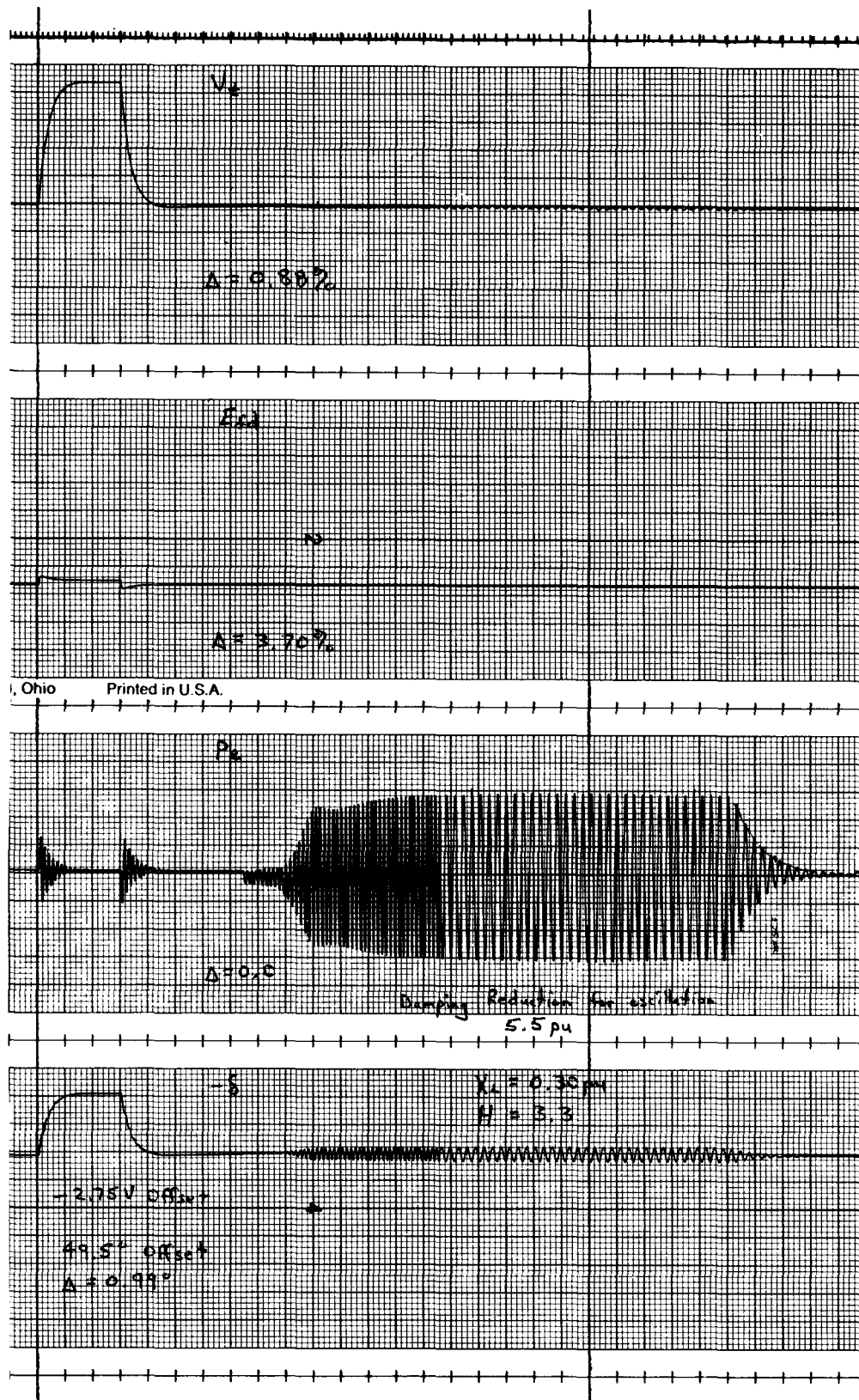


Figure 14. – System performance for various values of line impedance and damping (sheet 2 of 8).

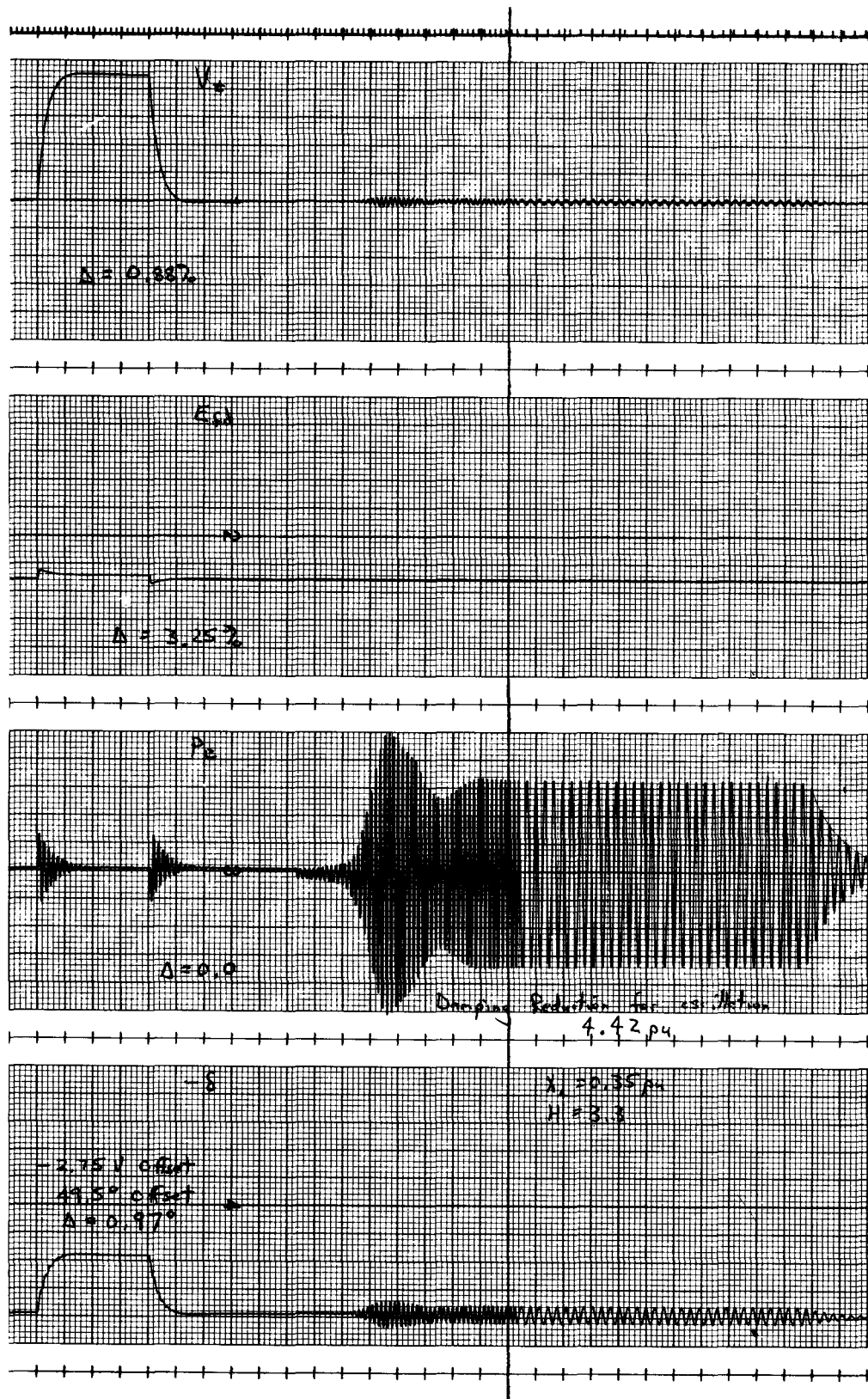


Figure 14. – System performance for various values of line impedance and damping (sheet 3 of 8).

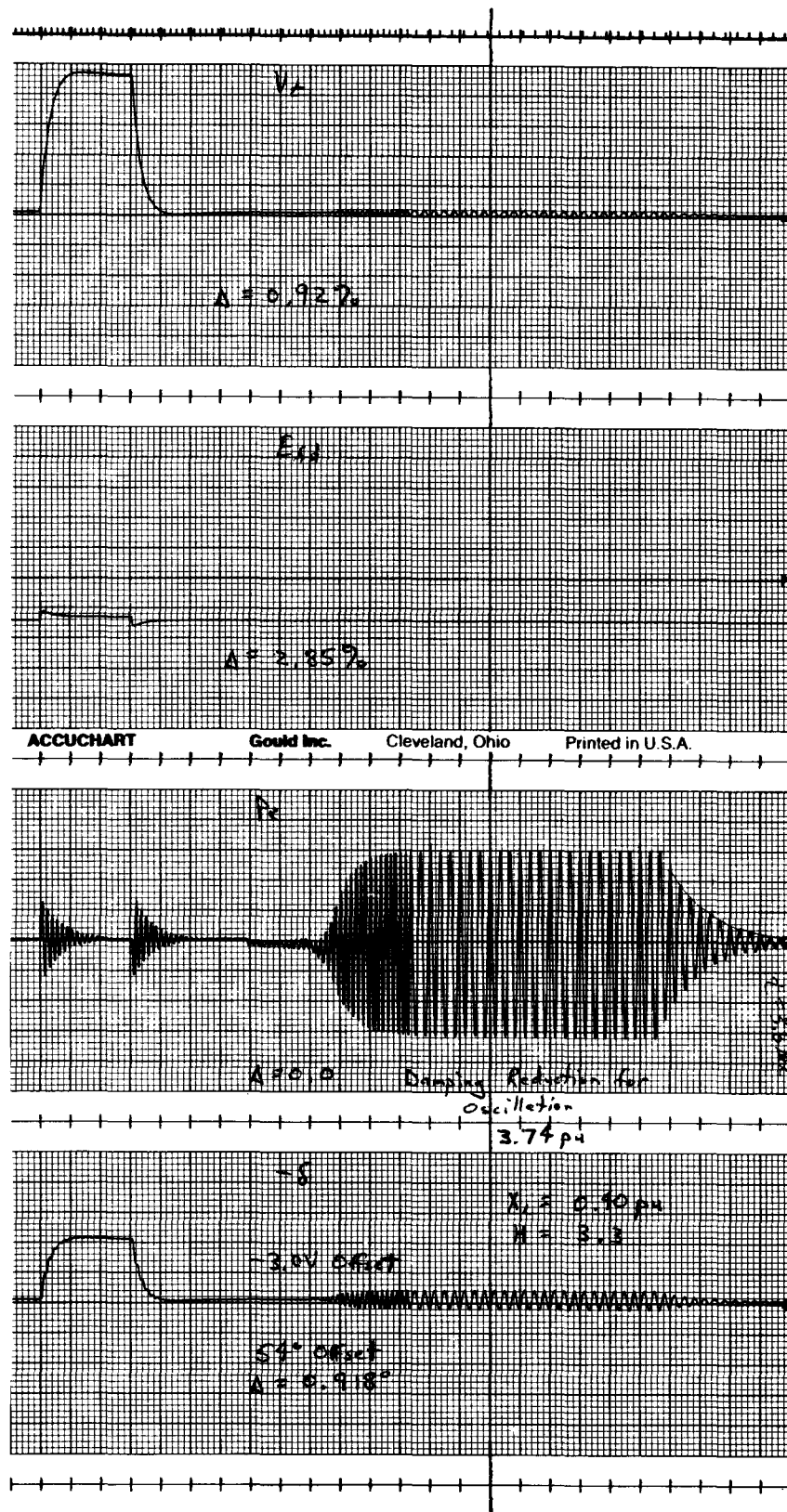


Figure 14. – System performance for various values of line impedance and damping (sheet 4 of 8).

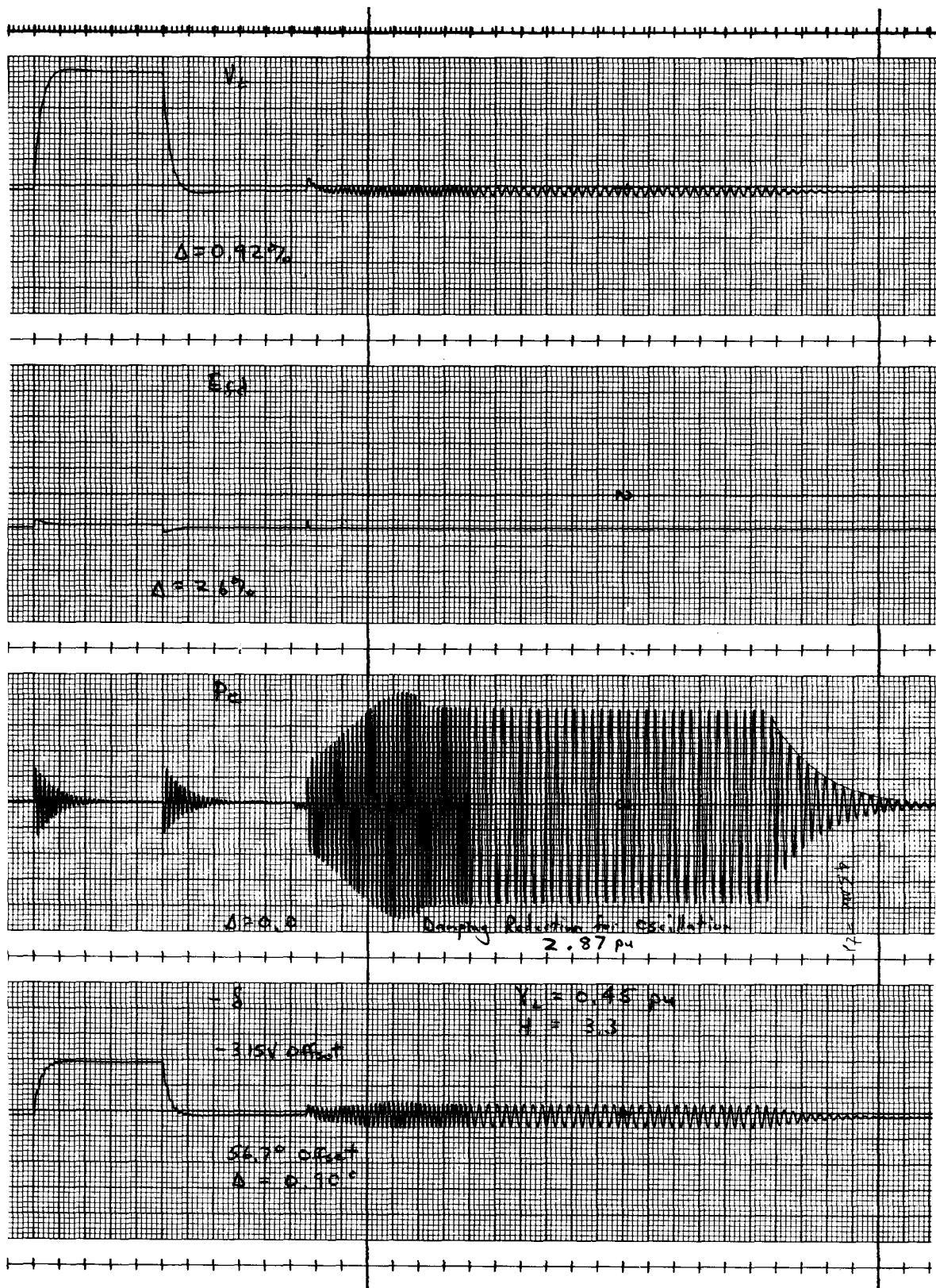


Figure 14. – System performance for various values of line impedance and damping (sheet 5 of 8).

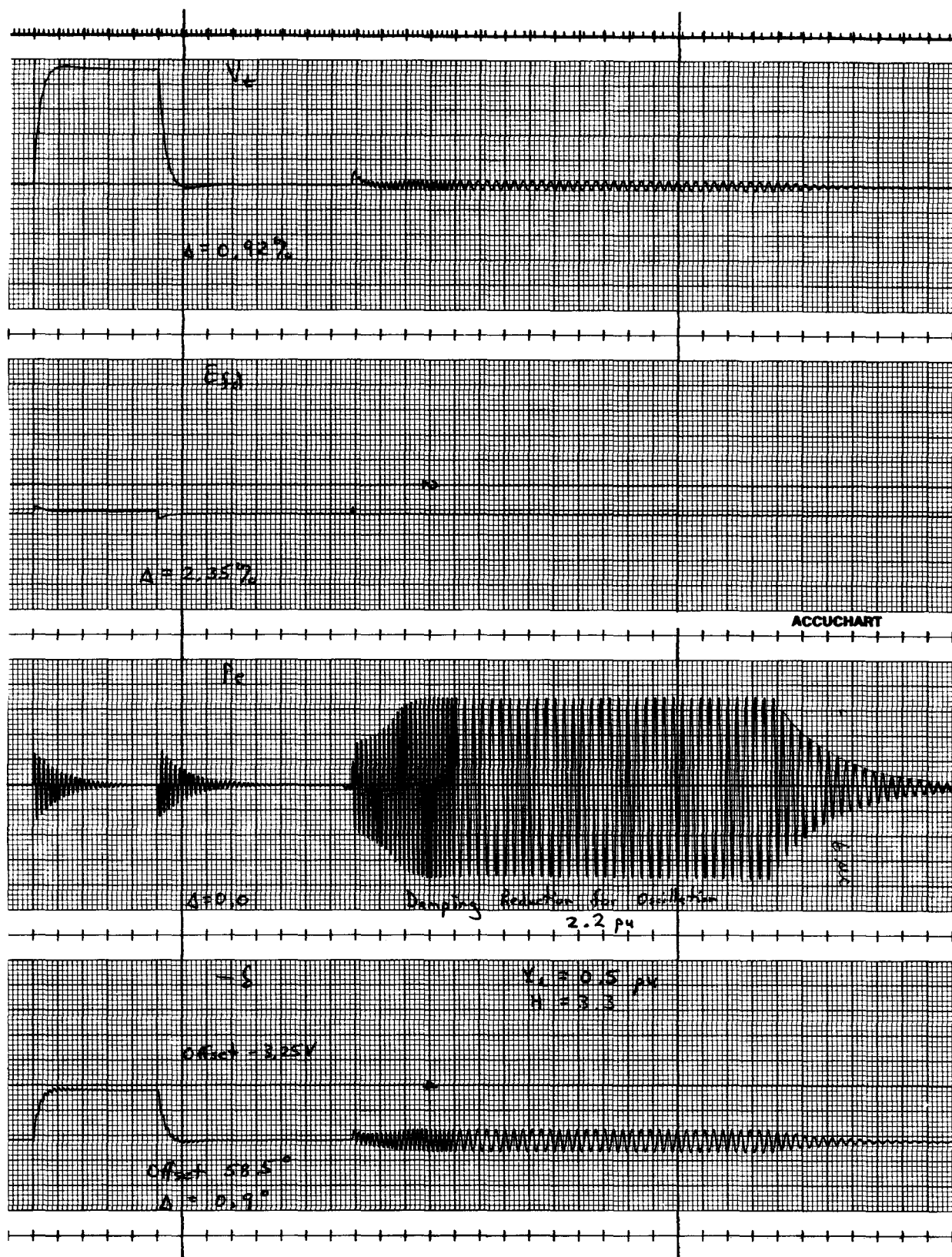


Figure 14. – System performance for various values of line impedance and damping (sheet 6 of 8).

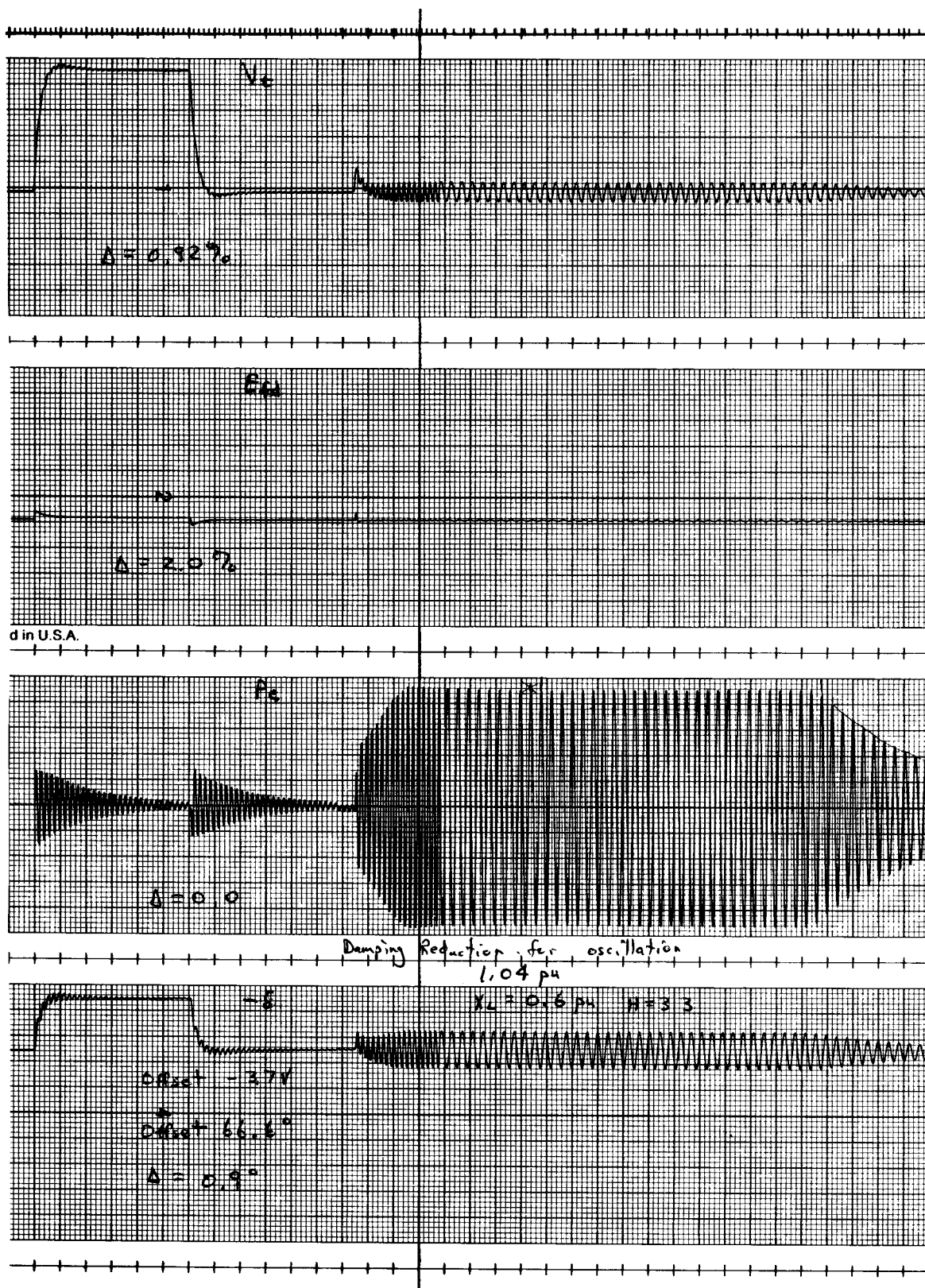


Figure 14. – System performance for various values of line impedance and damping (sheet 7 of 8).

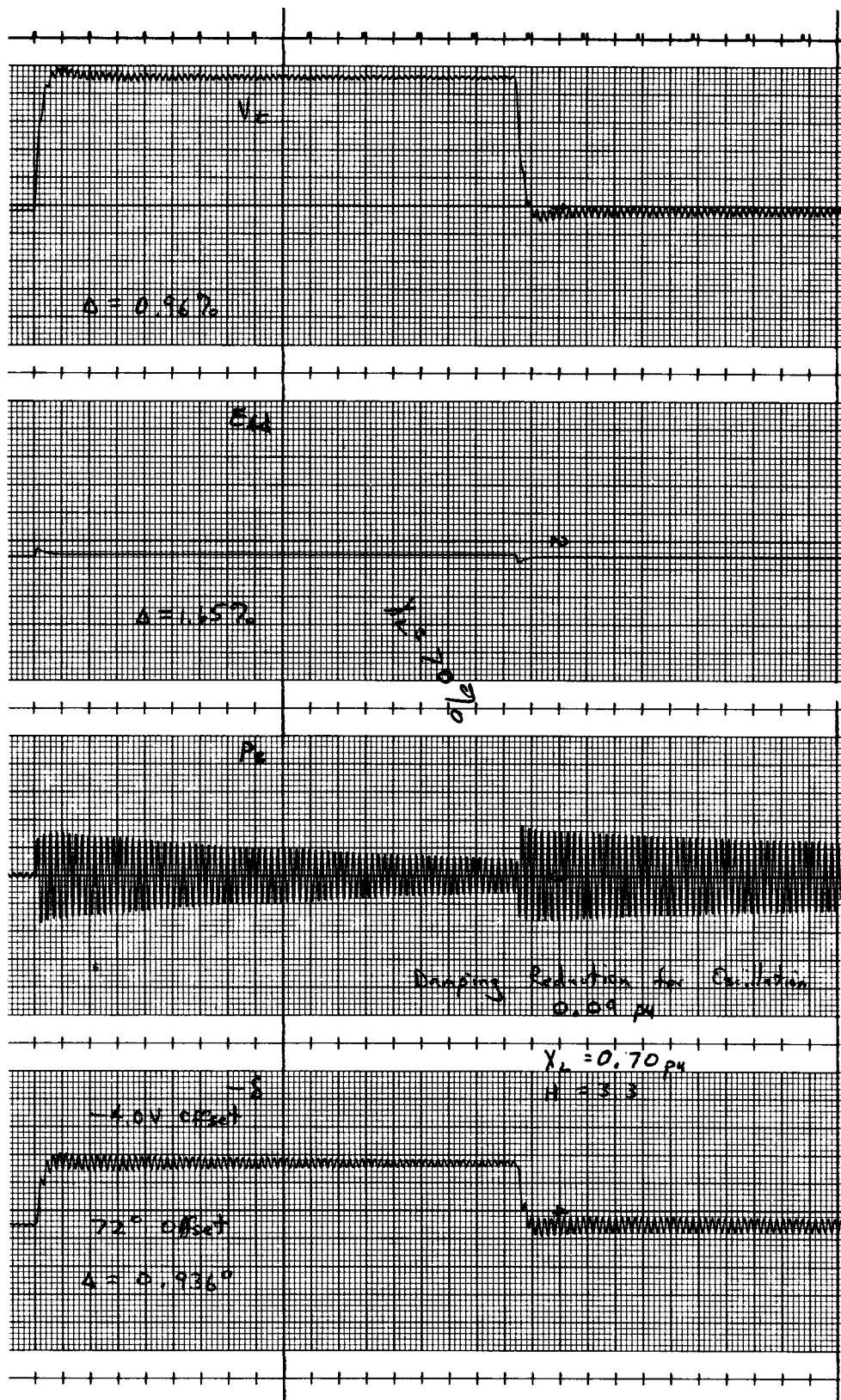


Figure 14. – System performance for various values of line impedance and damping (sheet 8 of 8).

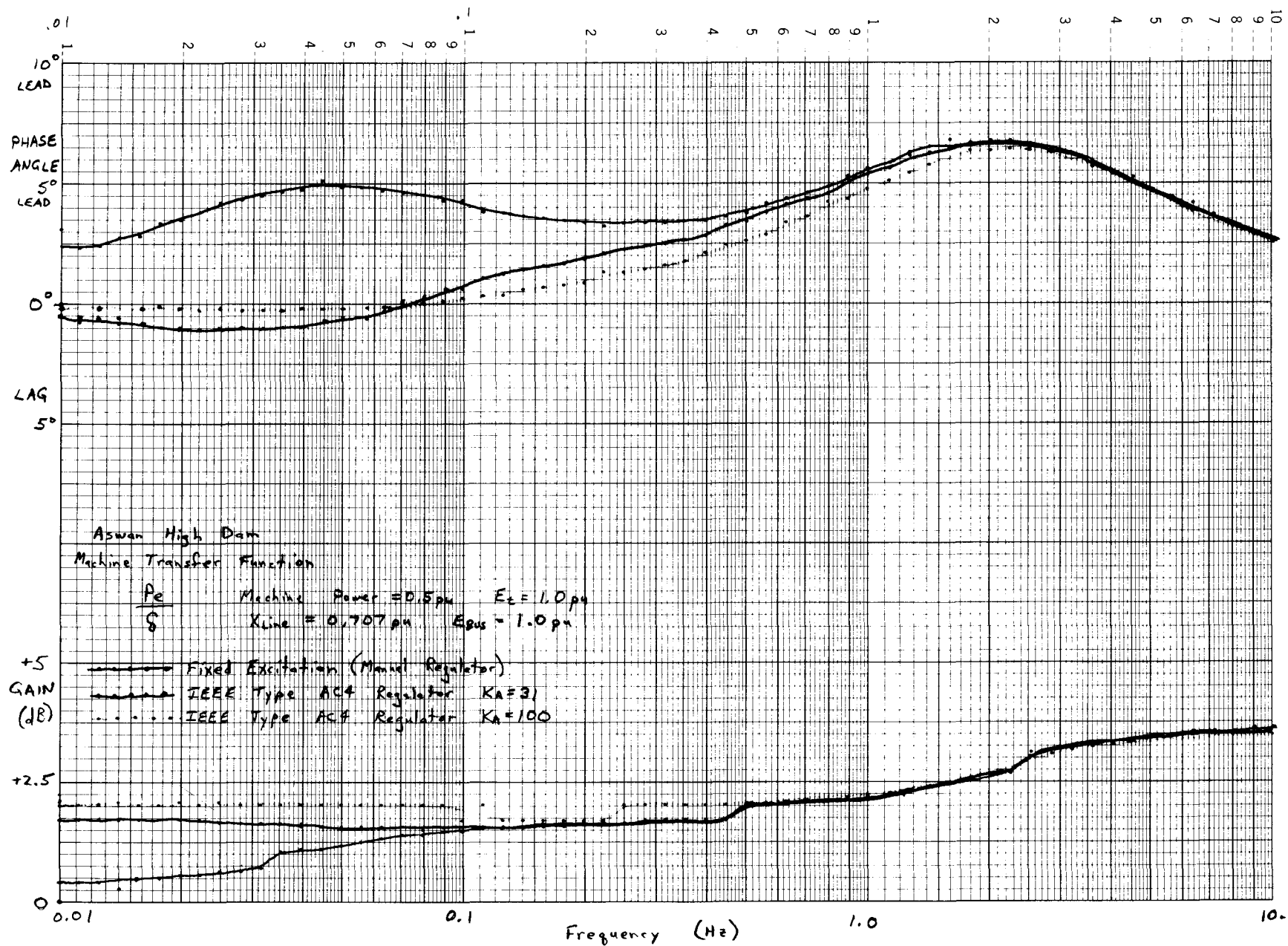


Figure 15. – Bode plots of the machine transfer function (sheet 1 of 3).

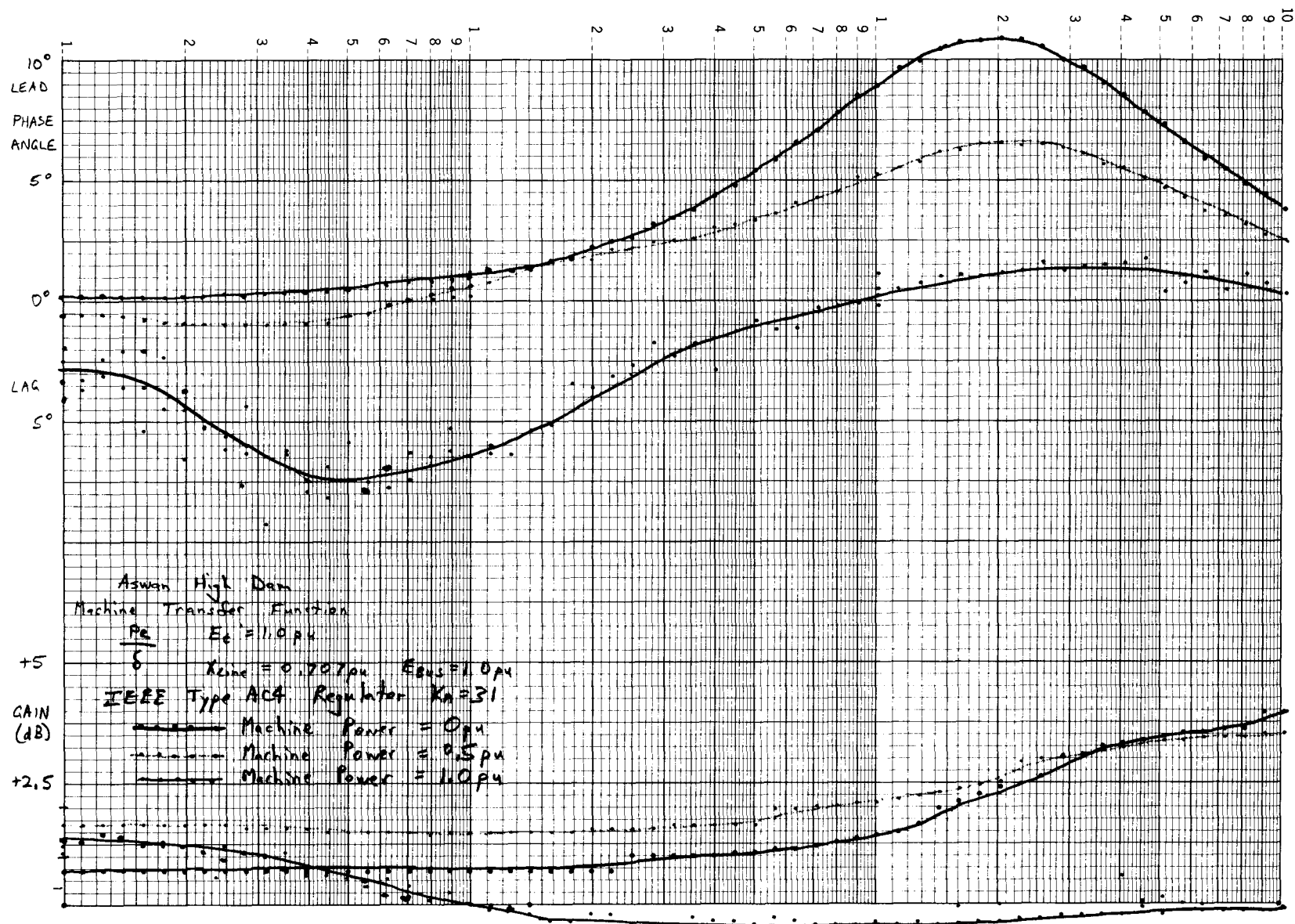


Figure 15. – Bode plots of the machine transfer function (sheet 2 of 3).

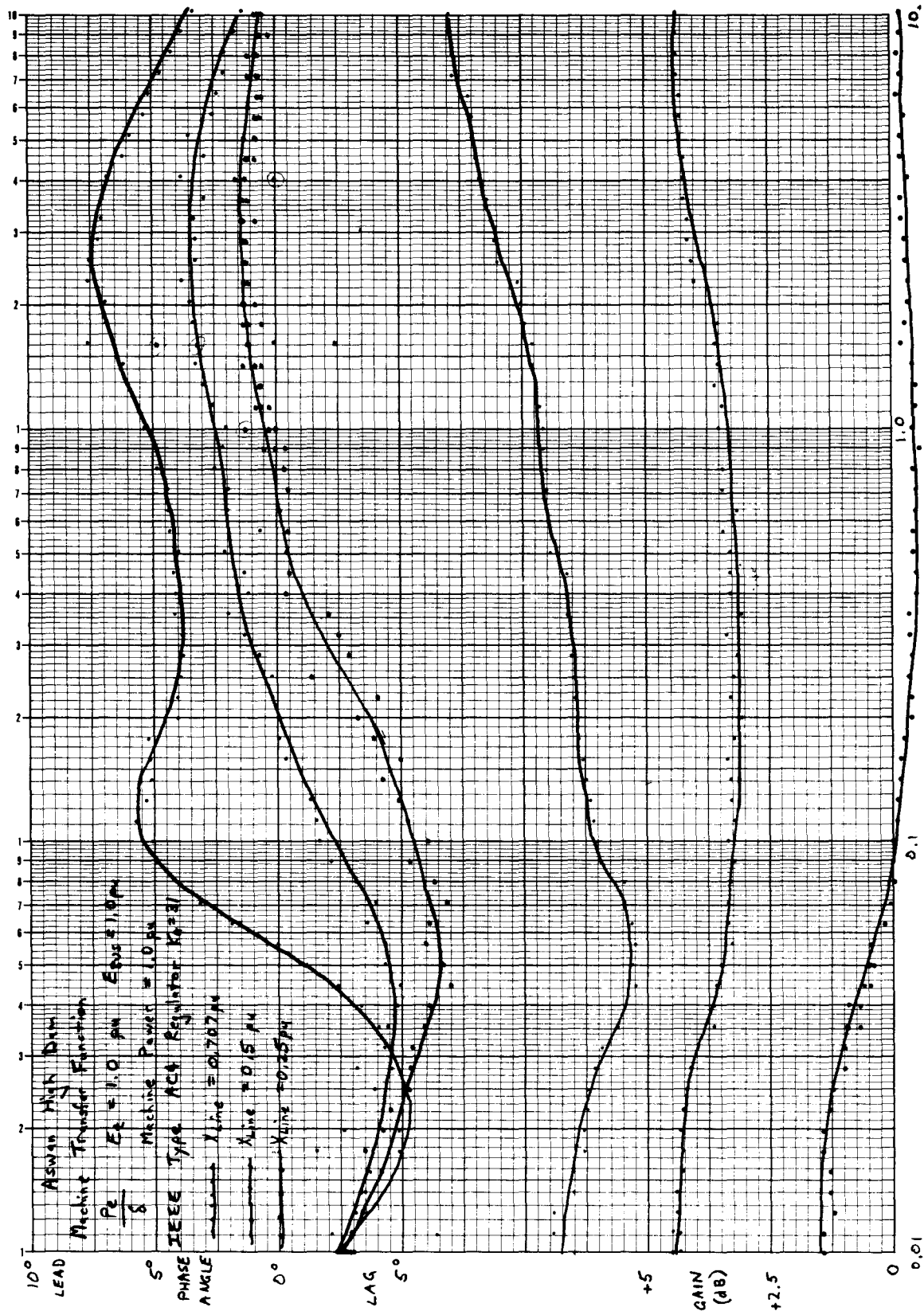


Figure 15. - Bode plots of the machine transfer function (sheet 3 of 3).

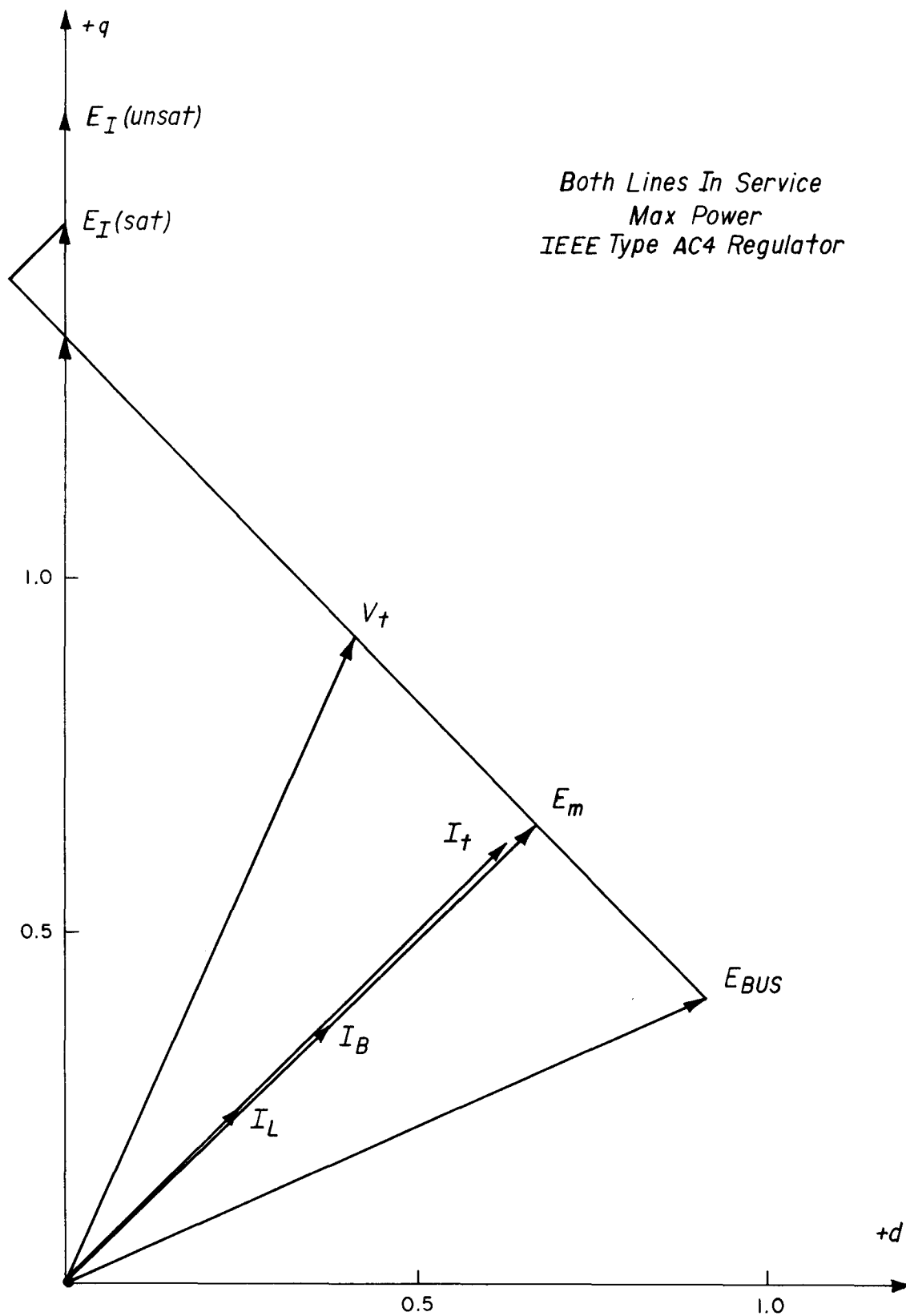


Figure 16. – Phasor diagram with both lines in service.

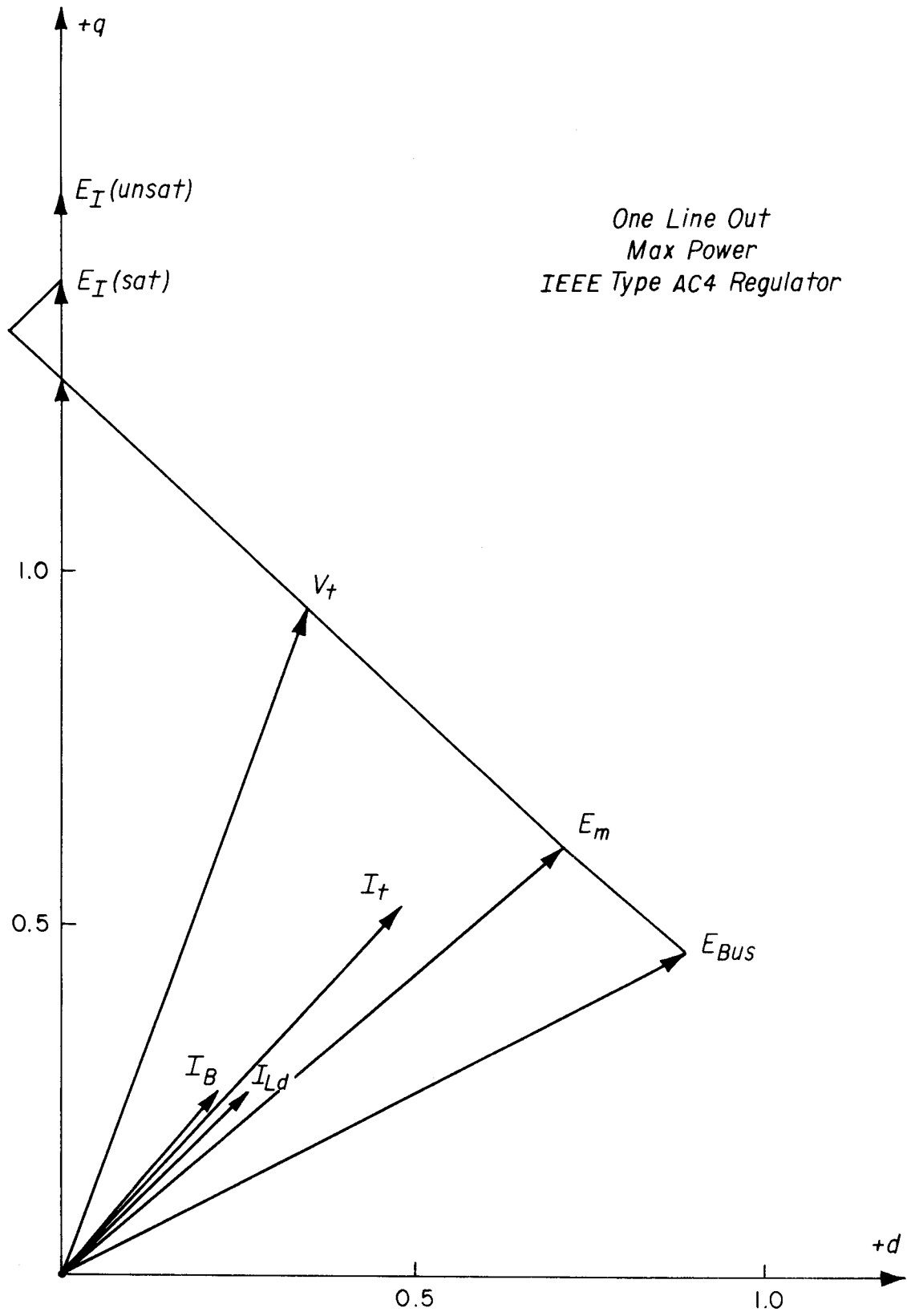


Figure 17. – Phasor diagram with only one line in service.

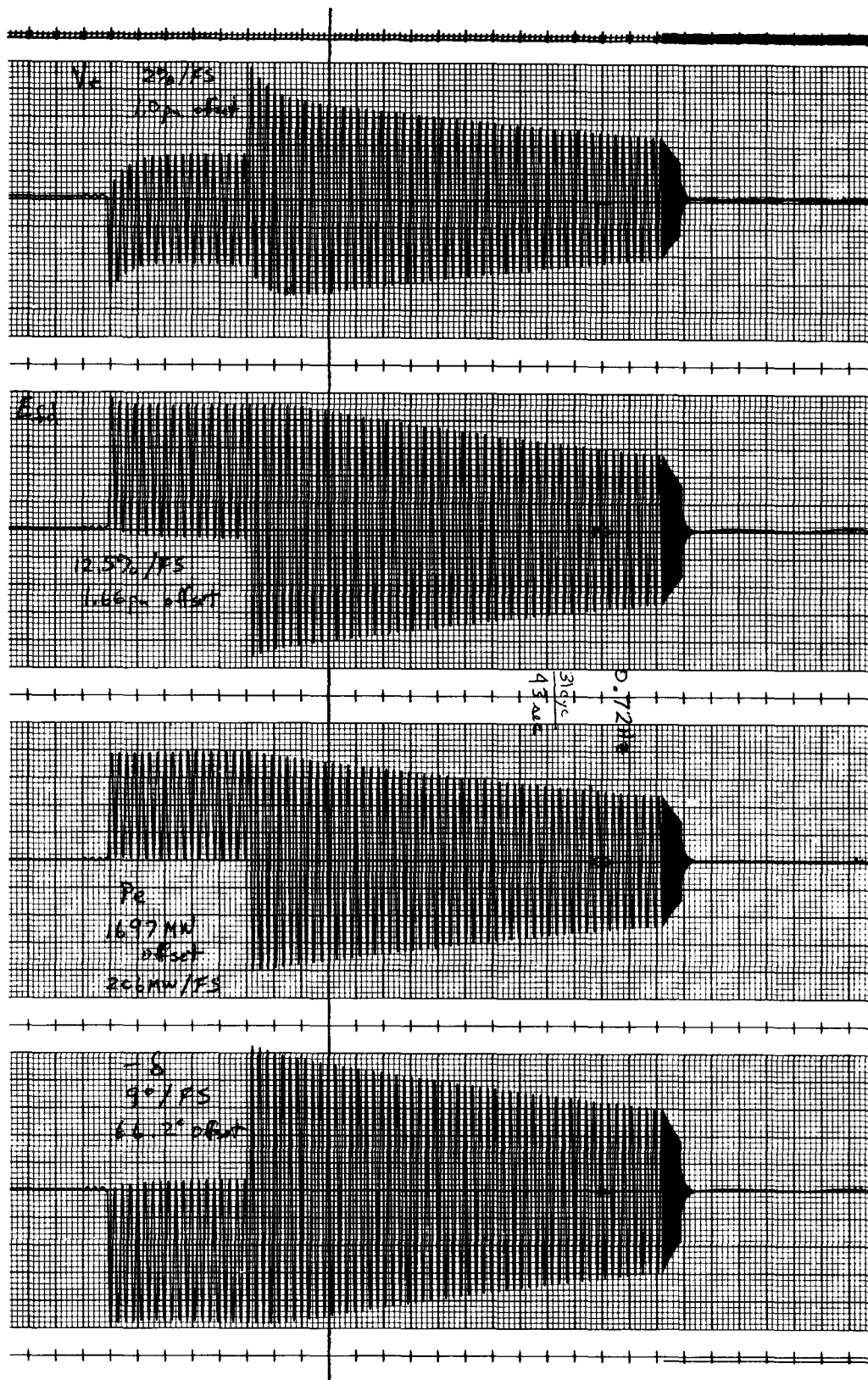


Figure 18. – System performance at full capacity with both lines in service.

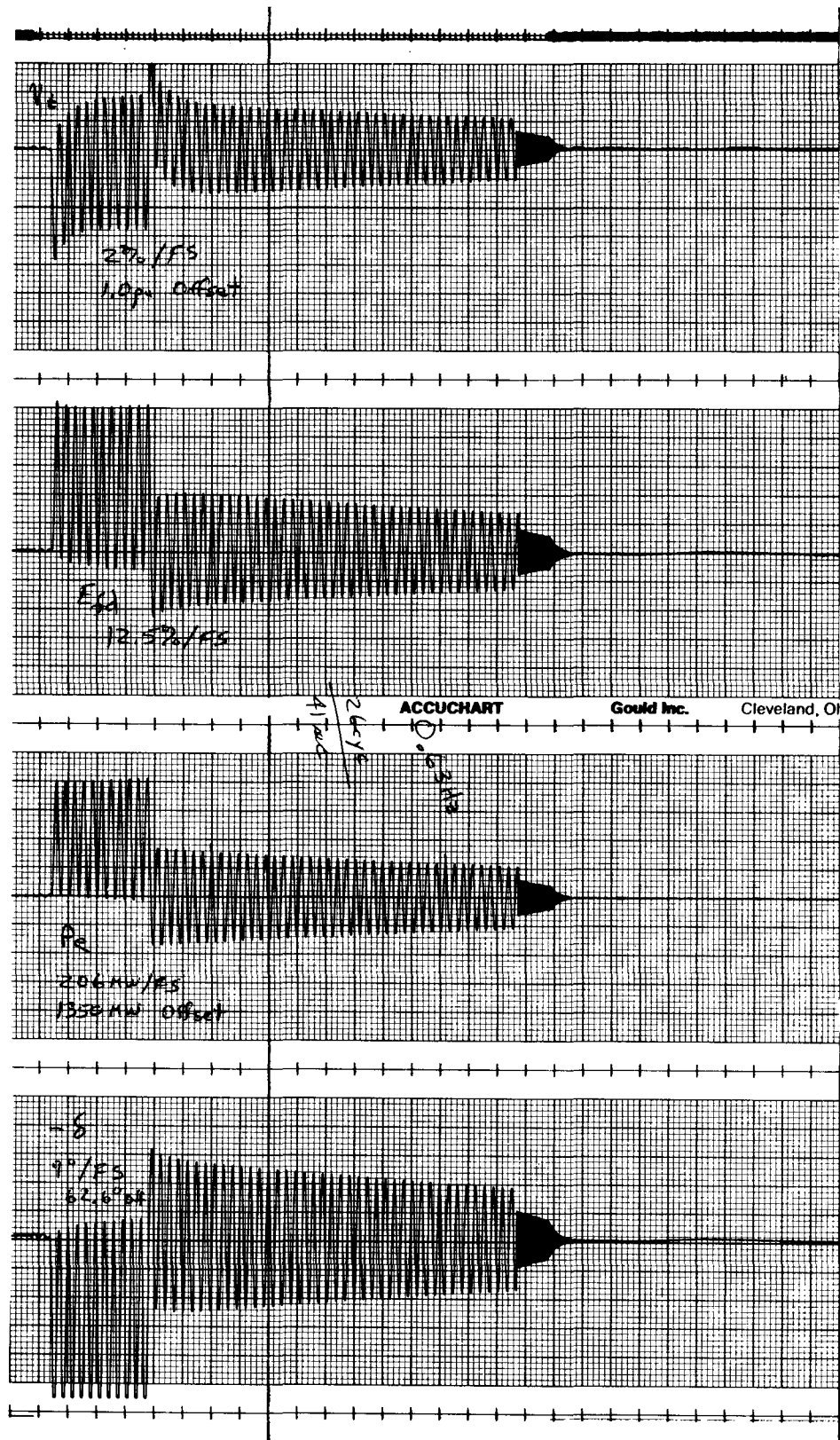


Figure 19. – System performance at full capacity with only one line in service.

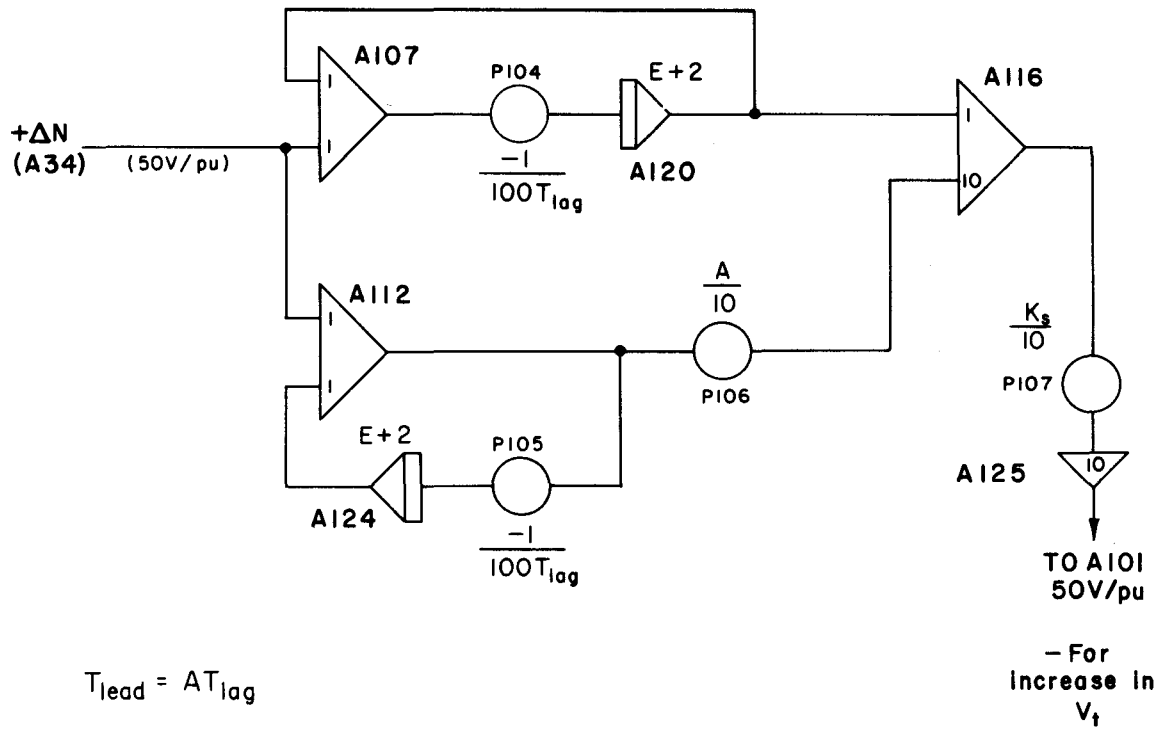


Figure 20. - Analog computer diagram of PSS function.

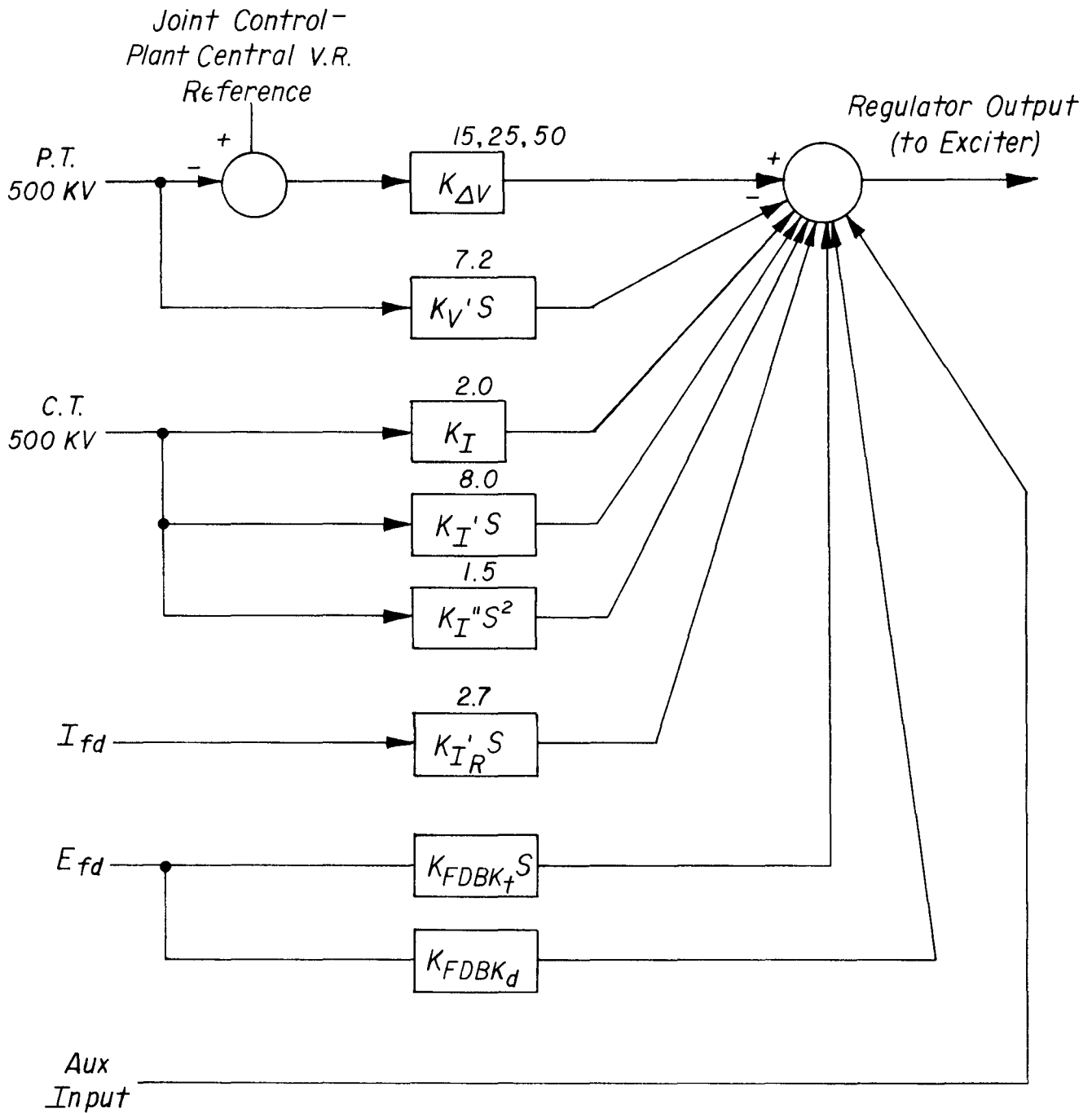


Figure 21. – Block diagram of existing regulator.

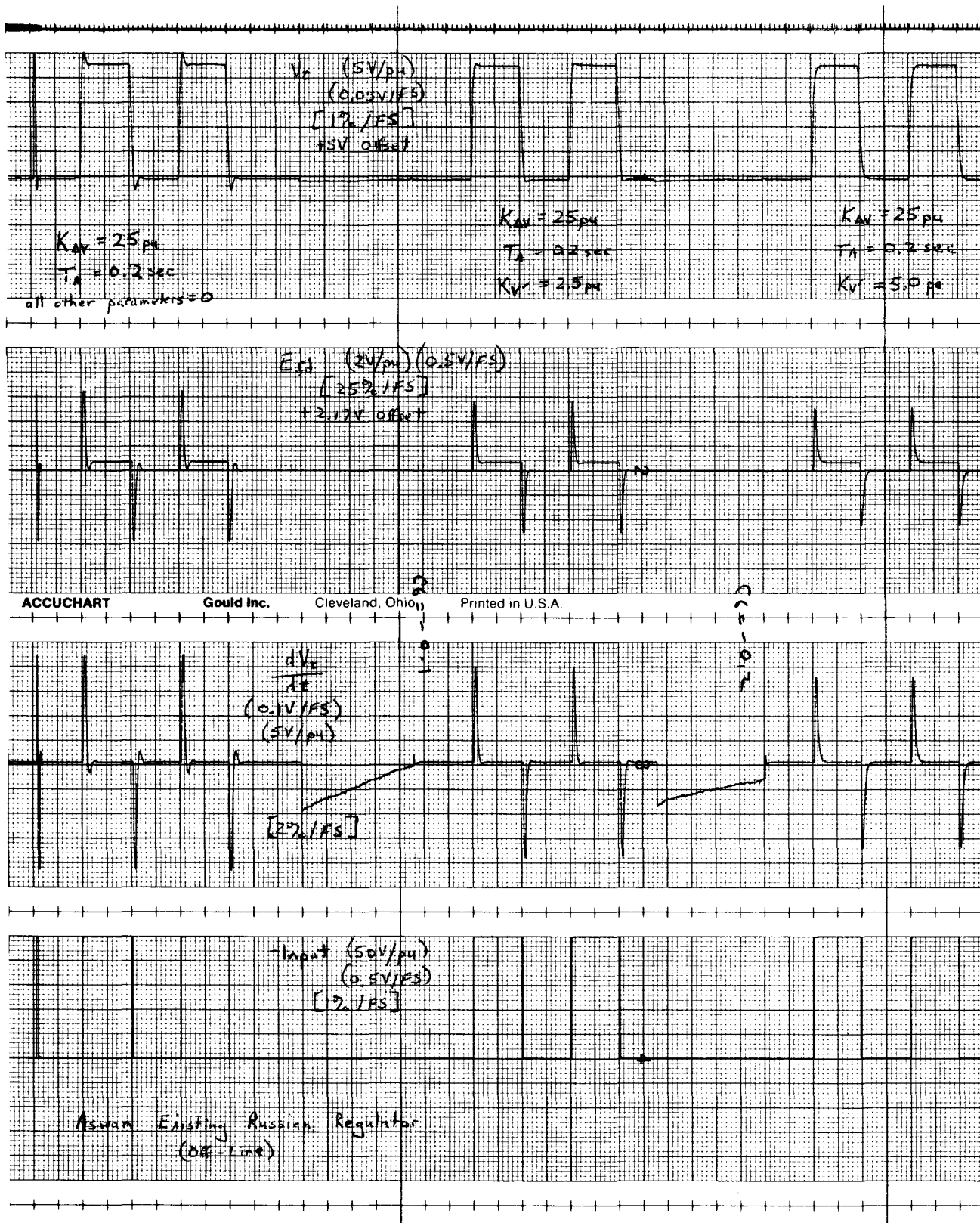


Figure 23. - Off-line time-domain responses of the existing regulator (sheet 1 of 2).

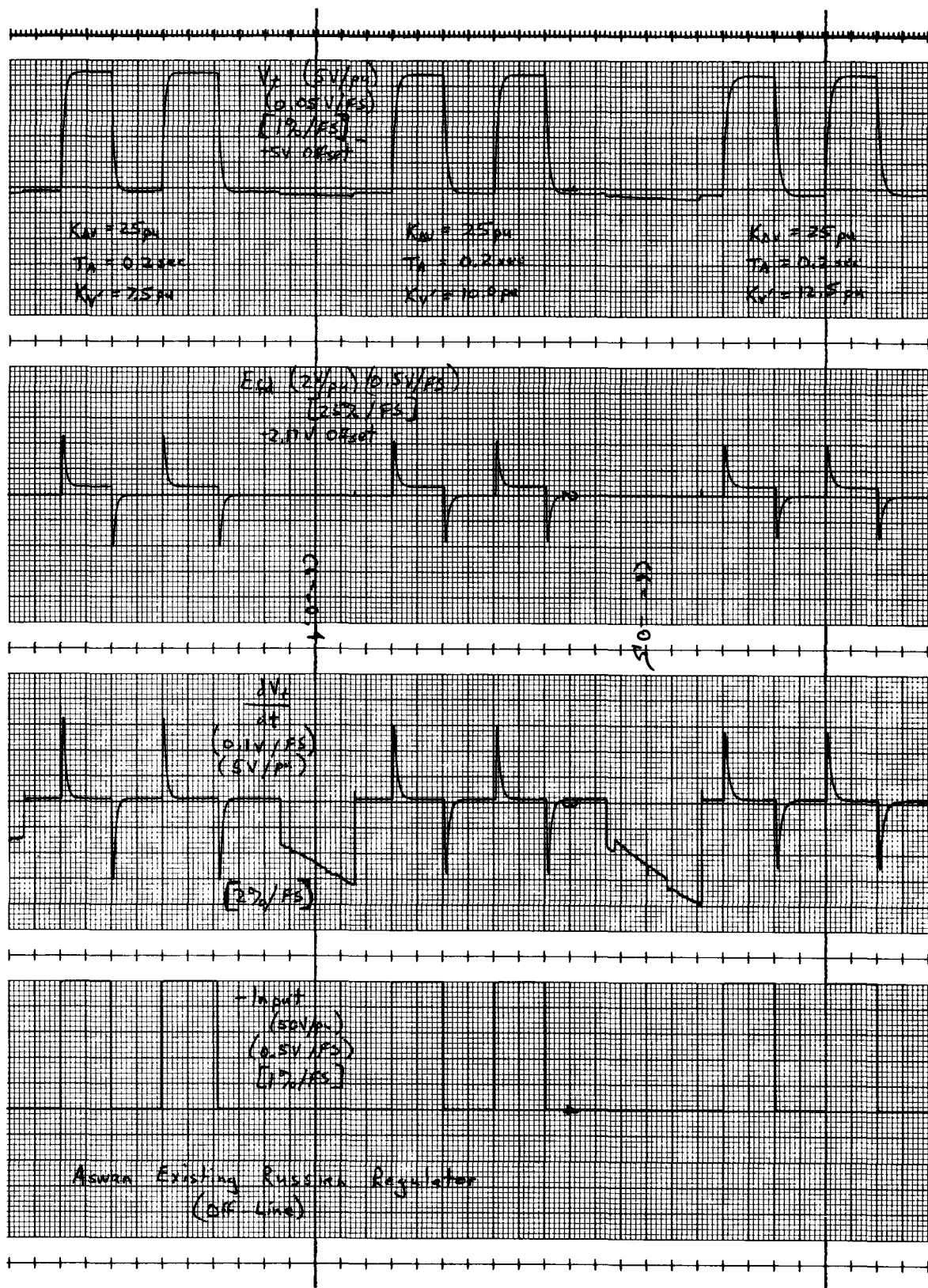


Figure 23. – Off-line time-domain responses of the existing regulator (sheet 2 of 2).

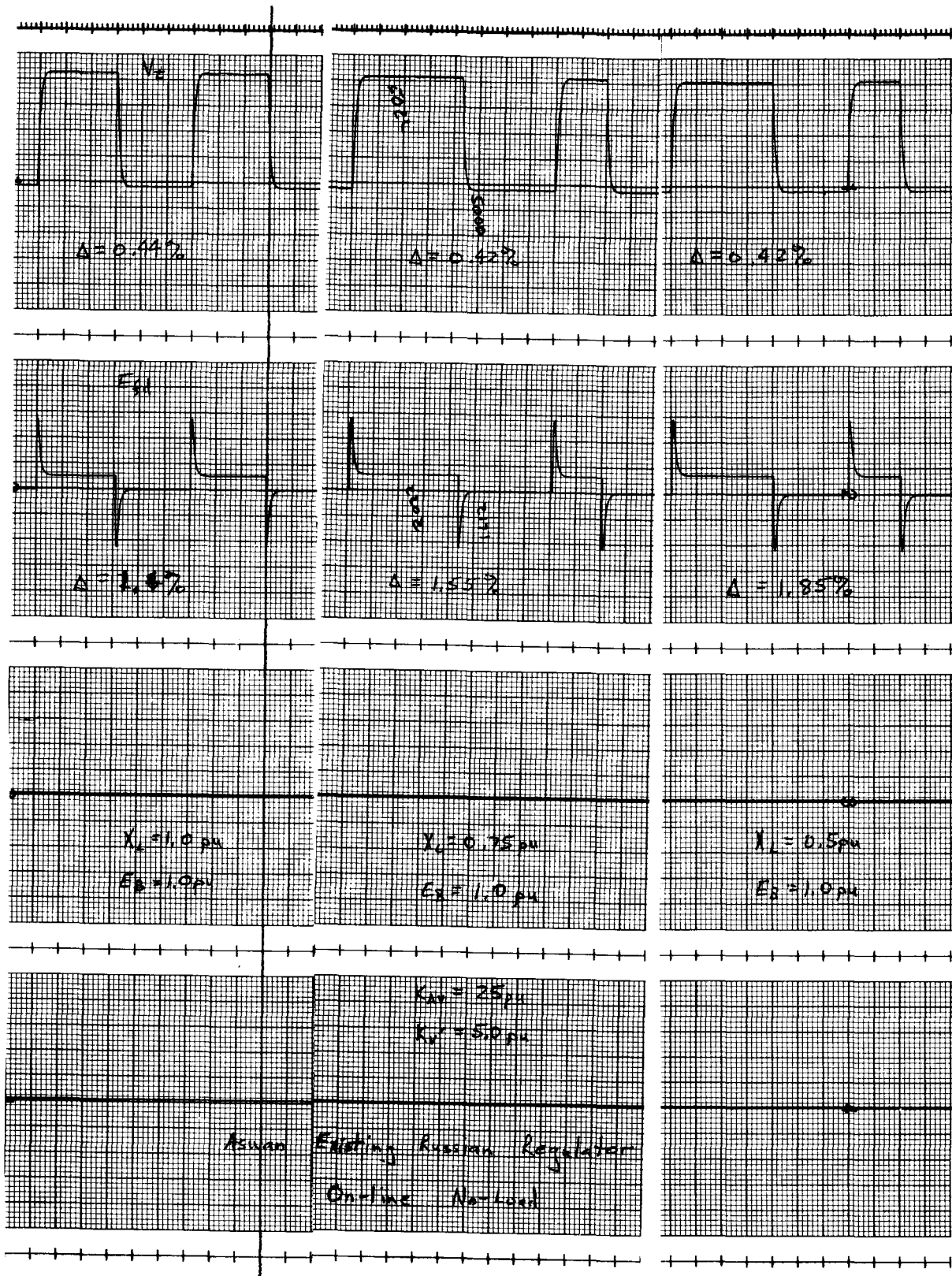


Figure 24. – On-line time-domain responses of the existing regulator (sheet 1 of 2).

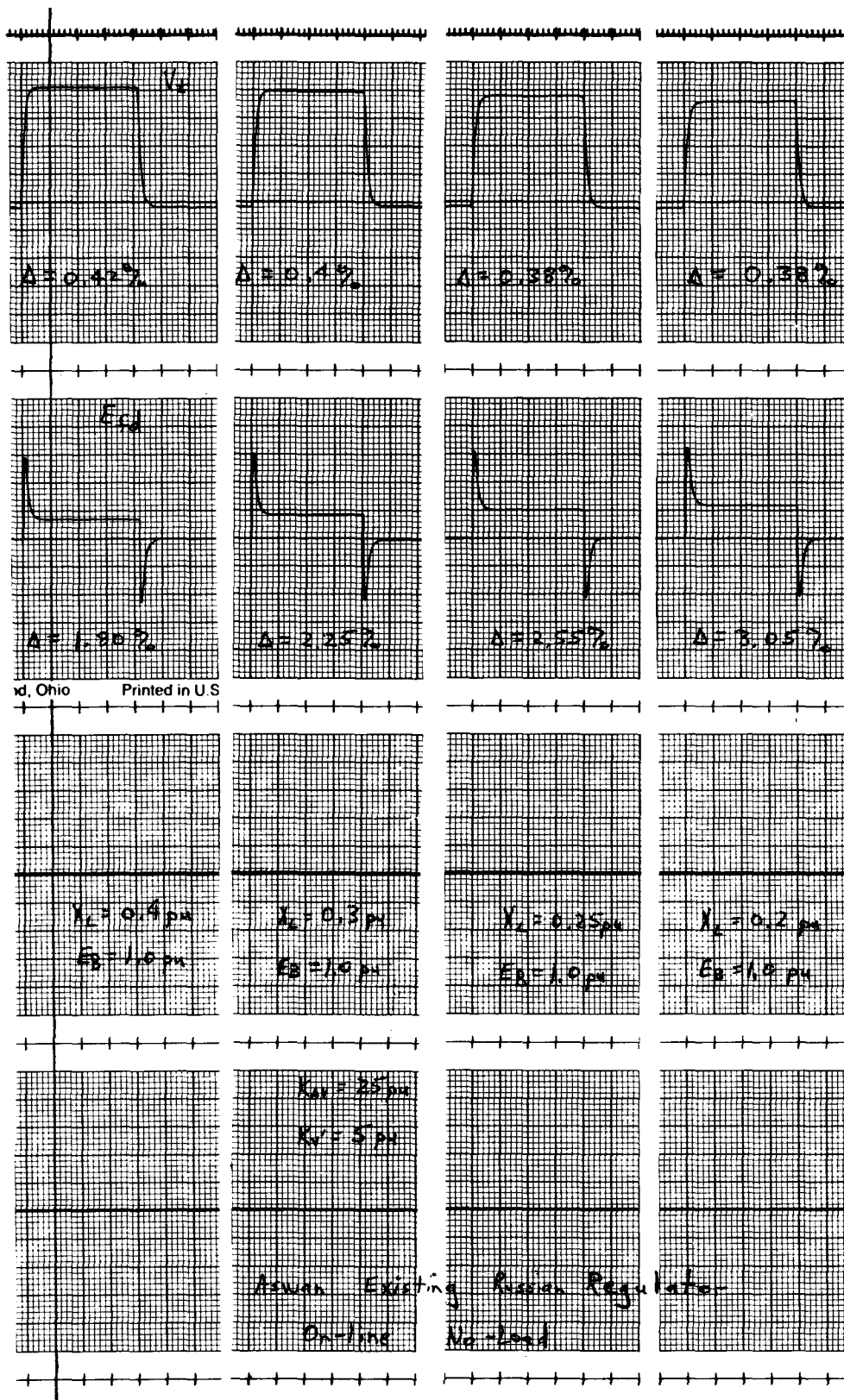


Figure 24. – On-line time-domain responses of the existing regulator (sheet 2 of 2).

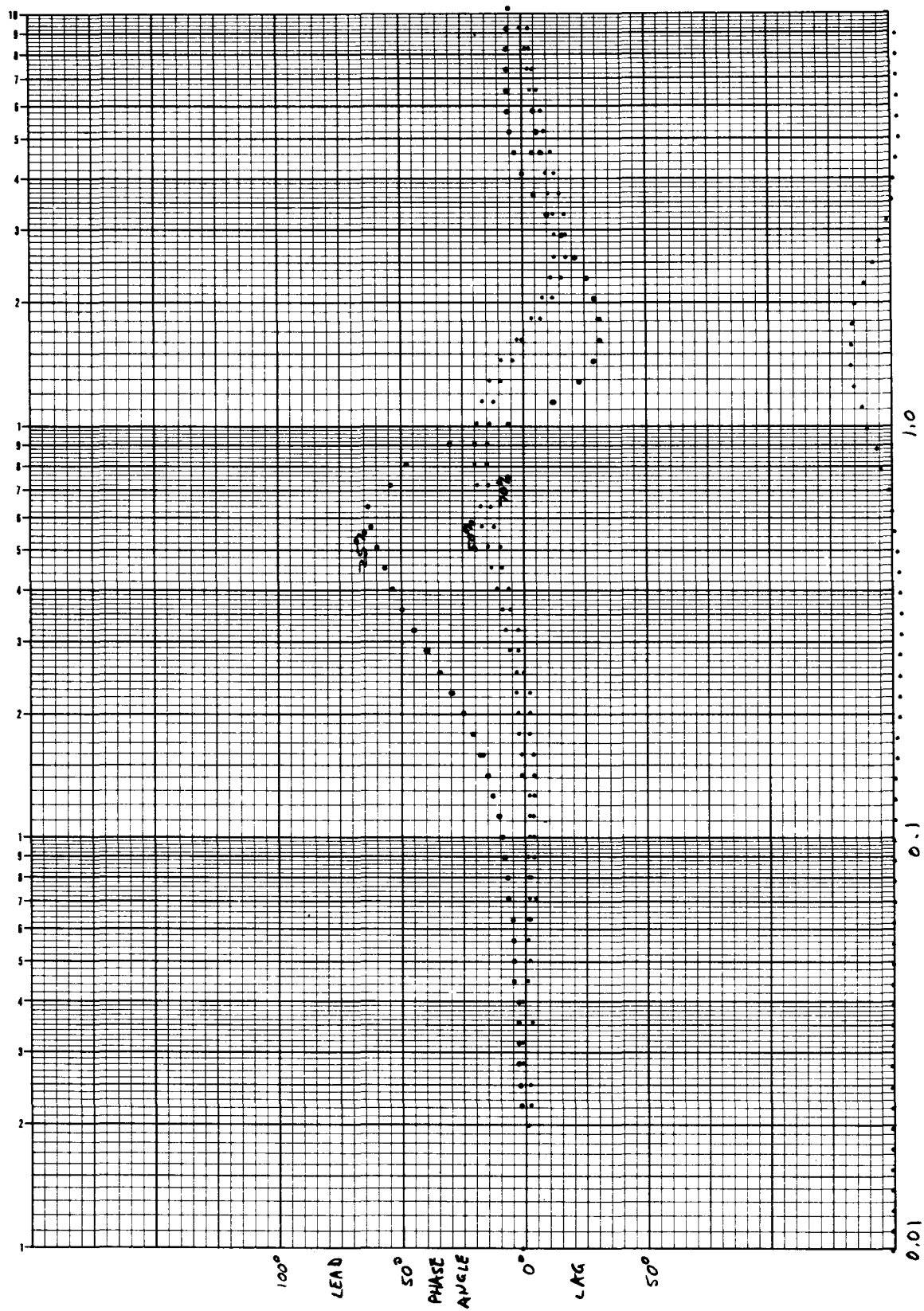


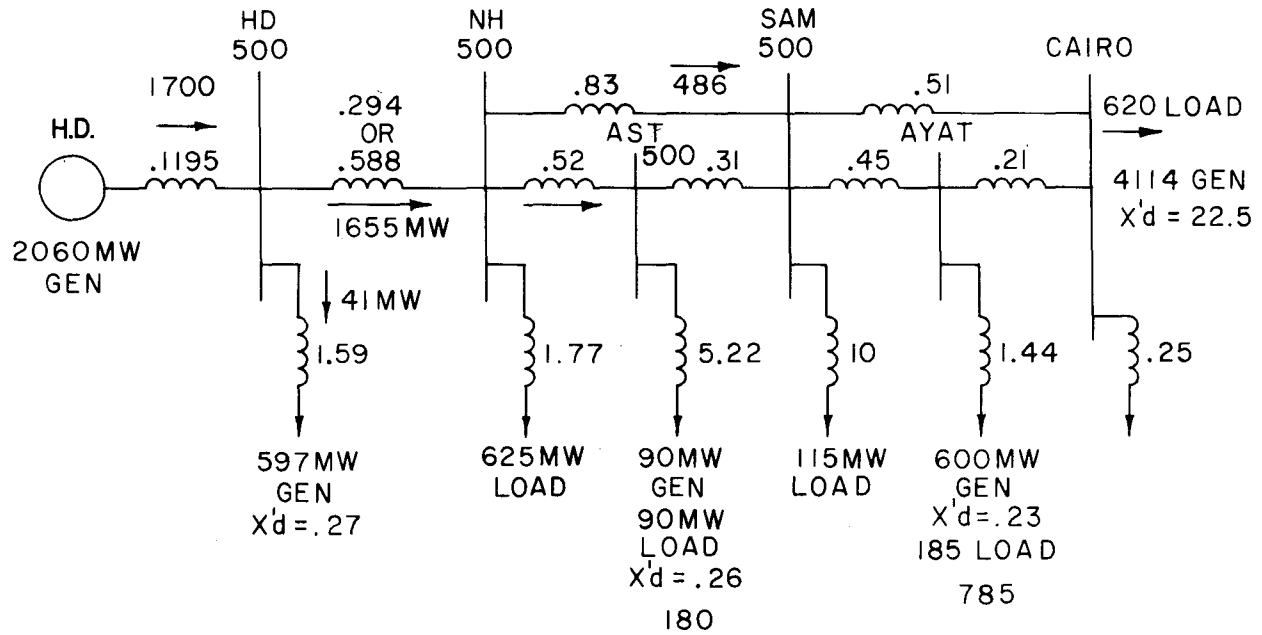
Figure 25. - Phase angle response of machine power to rotor position for various line impedances to the infinite bus.

APPENDIX A

NETWORK REDUCTION OF THE 500-kV SYSTEM

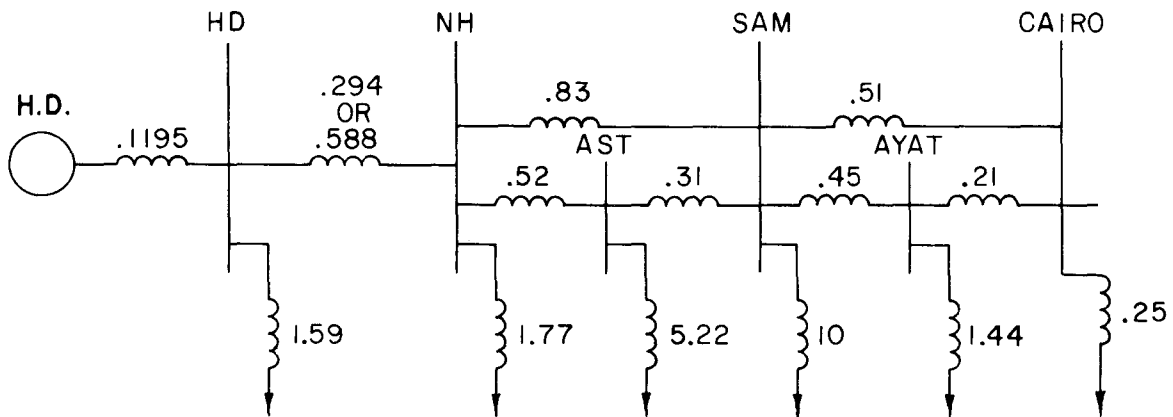
Appendix A

Network Reduction of the 500-kV System



Unit Xfmr .097 on 600 MVA
 500/130 Xfmr .095 on 600 MVA
 $X'd$.27 on 600 MVA
 Neglect lines
 total .462 on 600 MVA
 1.59 on 2060 MVA

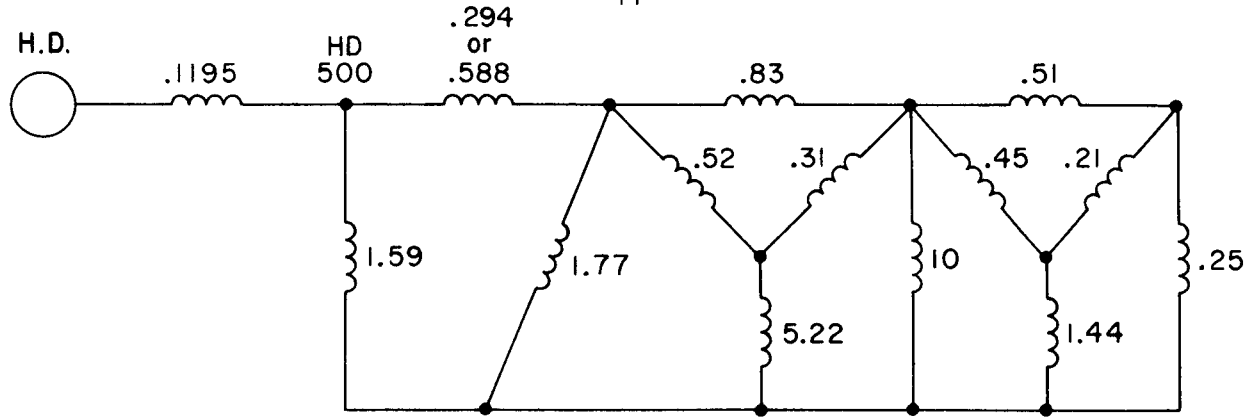
(a) Step 1



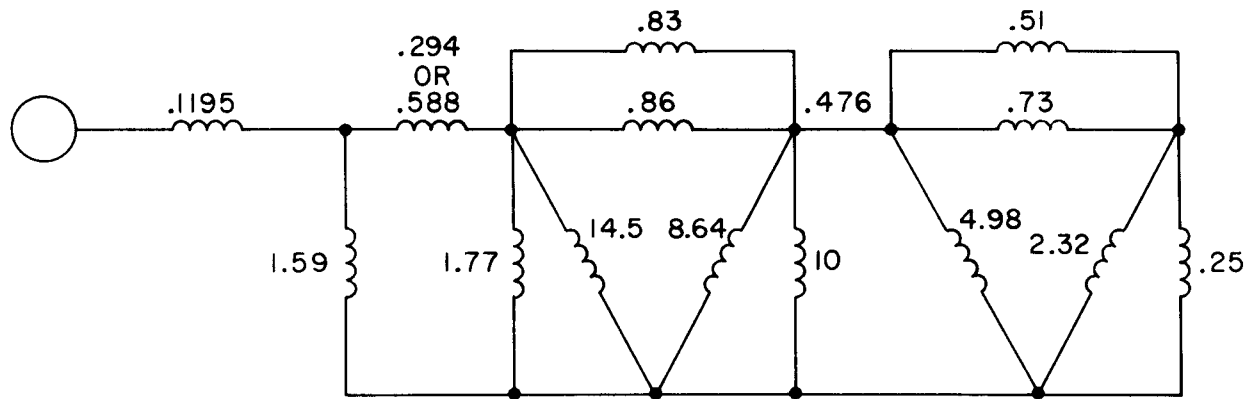
(b) Step 2

Figure A1. - Successive steps in reduction of equivalent circuits.

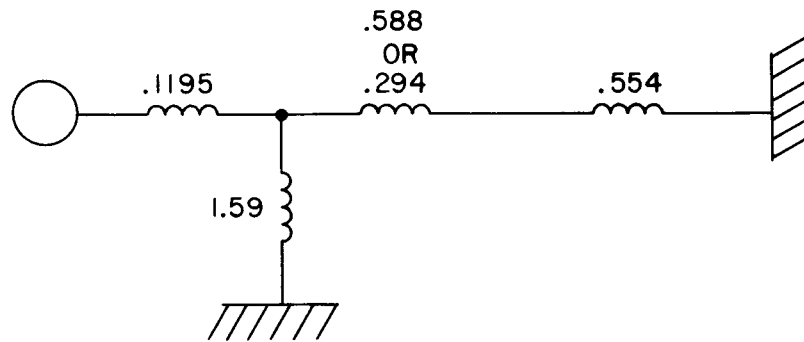
Appendix A



(c) Step 3



(d) Step 4



Weak System \rightarrow 0.784 $P_{\max} = 1.28_{py}$ (2637 MW)
 Strong System 0.673 $P_{\max} = 1.49_{py}$ (3061 MW)

(e) Step 5

Figure A1. – Successive steps in reduction of equivalent circuits – Continued.

APPENDIX B

ADDITIONAL ANALOG DIAGRAMS

Appendix B

Additional Analog Diagrams

$$P = E_{Bd} I_{Bd} + V_{Bq} I_{Bq}$$

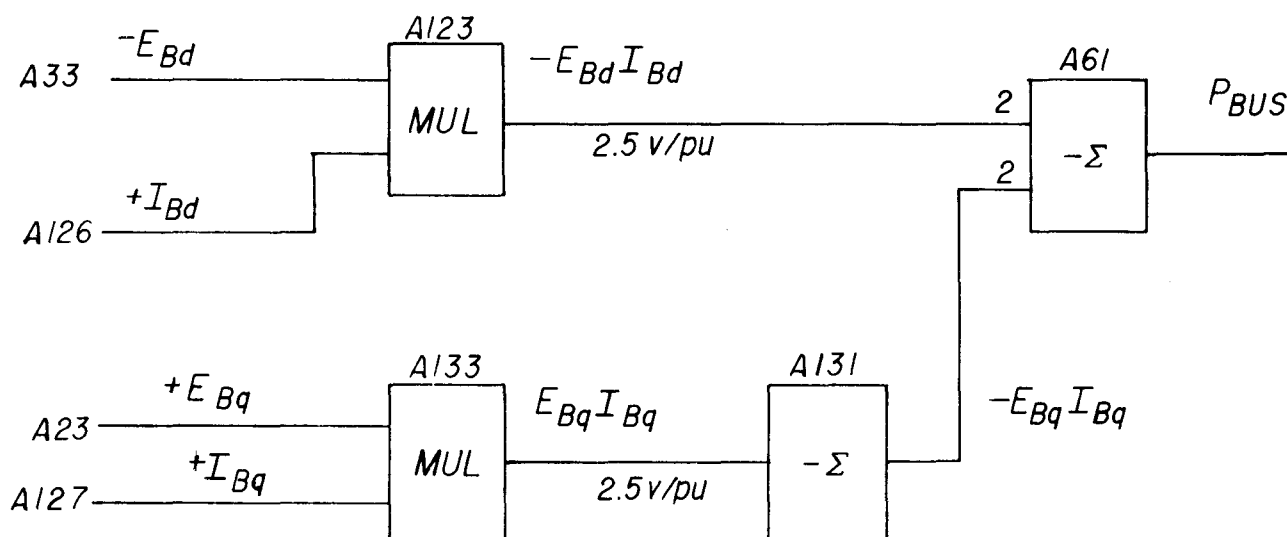


Figure B1. – Analog computer diagram of power to the infinite bus.

Appendix B

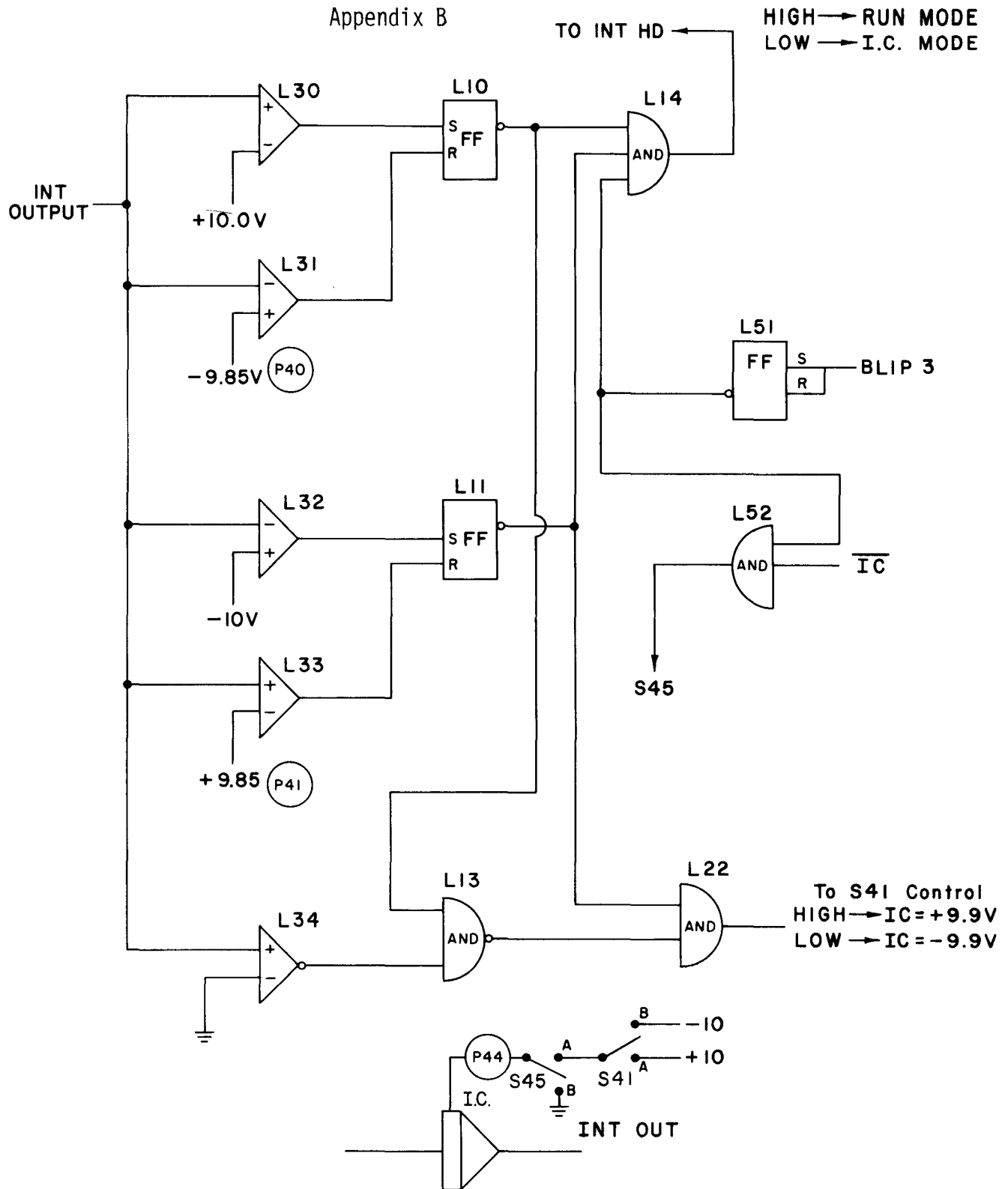


Figure B2. - Analog computer diagram to enable pole-slipping.

APPENDIX C

LISTING OF ANALOG COMPUTER CONSTANTS

Appendix C

Listing of Analog Computer Constants

1QT	1C074 = +0.5000	1RV05=00000	1V03=-0.7756
1CL	1C075 = +0.5000	1RV06=32624	1V04=-0.7315
1E0	1C100 = +0.3100	1RV10=00000	1V05=-0.6890
1C000 = +0.1019	1C101 = -0.0769	1RV11=30672	1V06=-0.6481
1C001 = +0.2019	1C102 = -0.0769	1RV12=32760	1V07=-0.6086
1C002 = +0.0018	1C103 = +0.2540	1RT0=00500	1V08=-0.5707
1C003 = -0.0000	1C104 = -0.1251	1RT1=05000	1V09=-0.5343
1C004 = -0.0001	1C105 = -0.1251	1RT2=00000	1V10=-0.4995
1C005 = +0.9994	1C106 = +0.9999	1I000=E+0	1V11=-0.4661
1C006 = -0.4006	1C107 = +0.0000	1I004=E+1	1V12=-0.4344
1C007 = +0.2171	1C110 = -0.5175	1I010=E+0	1V13=-0.4041
1C010 = -0.5228	1C111 = -0.2168	1I014=E+0	1V14=-0.3754
1C011 = -0.2166	1C112 = +0.2169	1I016=E+0	1V15=-0.3482
1C012 = +0.0000	1C113 = +0.2170	1I020=E+0	1V16=-0.3225
1C013 = +0.4999	1C114 = -0.2000	1I024=E+2	1V17=-0.2984
1C014 = -0.5001	1C115 = +0.0000	1I030=E+2	1V18=-0.2758
1C015 = +0.3301	1C116 = +0.0000	1I034=E+1	1V19=-0.2547
1C016 = +0.0094	1C117 = +0.0000	1I036=E+2	1V20=-0.2352
1C017 = -0.0009	1C120 = +0.0000	1I040=E+0	1V21=-0.2171
1C020 = -0.5000	1C121 = +0.0000	1I044=E+0	1V22=-0.2007
1C021 = +0.2936	1C122 = +0.0000	1I050=E+0	1V23=-0.1857
1C022 = -0.2954	1C123 = +0.0000	1I054=E+0	1V24=-0.1723
1C023 = +0.1948	1C124 = +0.0000	1I060=E+0	1V25=-0.1604
1C024 = +0.4998	1C125 = +0.0000	1I064=E+0	1V26=-0.1500
1C025 = -0.1666	1C126 = +0.0000	1I070=E+0	1V27=-0.1400
1C026 = -0.6394	1C127 = +0.0000	1I074=E+0	1V28=-0.1300
1C027 = +0.3279	1C130 = +0.0000	1I100=E+0	1V29=-0.1200
1C030 = +0.3604	1C131 = +0.0000	1I104=E+2	1V30=-0.1100
1C031 = +0.2390	1C132 = -0.7074	1I110=E+0	1V31=-0.1000
1C032 = +0.0000	1C133 = -0.7075	1I114=E+0	1V32=-0.0900
1C033 = -0.1000	1C134 = -0.6700	1I120=E+2	1V33=-0.0800
1C034 = -0.4212	1C135 = -0.6700	1I124=E+2	1V34=-0.0700
1C035 = +0.2400	1C136 = -0.0000	1I130=E+0	1V35=-0.0600
1C036 = -0.1285	1C137 = +0.0000	1I134=E+0	1V36=-0.0500
1C037 = +0.2000	1RV00=00000		1V37=-0.0400
1C040 = -0.9850	1RV01=00000	1F00:	1V38=-0.0300
1C041 = +0.9850	1RV02=00000	1B=41	1V39=-0.0200
1C044 = +0.9900	1RV04=00000	1V01=-0.8682	1V40=-0.0100
1C045 = +0.0000		1V02=-0.8212	1V41=+0.0000
1C050 = -0.0100			1S;
1C051 = +0.0000			1XT
1C054 = +0.0000			
1C055 = +0.0000			
1C060 = +0.5000			
1C061 = -0.6888			
1C064 = +0.0000			
1C065 = +0.0030			
1C070 = -0.0000			
1C071 = +0.0000			

♦

♦ ASWAN HIGH DAM ♦

♦

♦ GEN INF BUS TIELINE MIDPT LOAD ♦

♦

♦ MAY/JUNE 1984 ♦

♦

♦ JCA ♦

♦

Figure C1. - Analog computer constants.

Mission of the Bureau of Reclamation

The Bureau of Reclamation of the U.S. Department of the Interior is responsible for the development and conservation of the Nation's water resources in the Western United States.

The Bureau's original purpose "to provide for the reclamation of arid and semiarid lands in the West" today covers a wide range of interrelated functions. These include providing municipal and industrial water supplies; hydroelectric power generation; irrigation water for agriculture; water quality improvement; flood control; river navigation; river regulation and control; fish and wildlife enhancement; outdoor recreation; and research on water-related design, construction, materials, atmospheric management, and wind and solar power.

Bureau programs most frequently are the result of close cooperation with the U.S. Congress, other Federal agencies, States, local governments, academic institutions, water-user organizations, and other concerned groups.

A free pamphlet is available from the Bureau entitled "Publications for Sale." It describes some of the technical publications currently available, their cost, and how to order them. The pamphlet can be obtained upon request from the Bureau of Reclamation, Attn D-822A, P O Box 25007, Denver Federal Center, Denver CO 80225-0007.