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*	EXPERIMENTS ON CALIBRATION OF OWYHEE
*	TUNNEL NO. 1 VENTURI METER-FLUME
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*	Fort Collins, Colorado
*	April 15, 1933
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UNITED STATES DEPARTMENT OF THE INTERIOR

BUREAU OF RECLAMATION

MEMORATIDUM TO CHIEF DESIGNING ENGINEER

SUBJECT: EXPERIMENTS ON CALIBRATION OF OWYHEE TUNNEL NO. 1

VENTURI METER-FILME

By JACOB E. WARNOCK, ASSOCIATE ENGINEER

Under direction of

E. W. LAND, RESEARCH ENGINEER

TECHTICAL MEMORANDUM No. 333

Fort Collins, Colorado

April 15, 1933

(PRICE \$2.10)

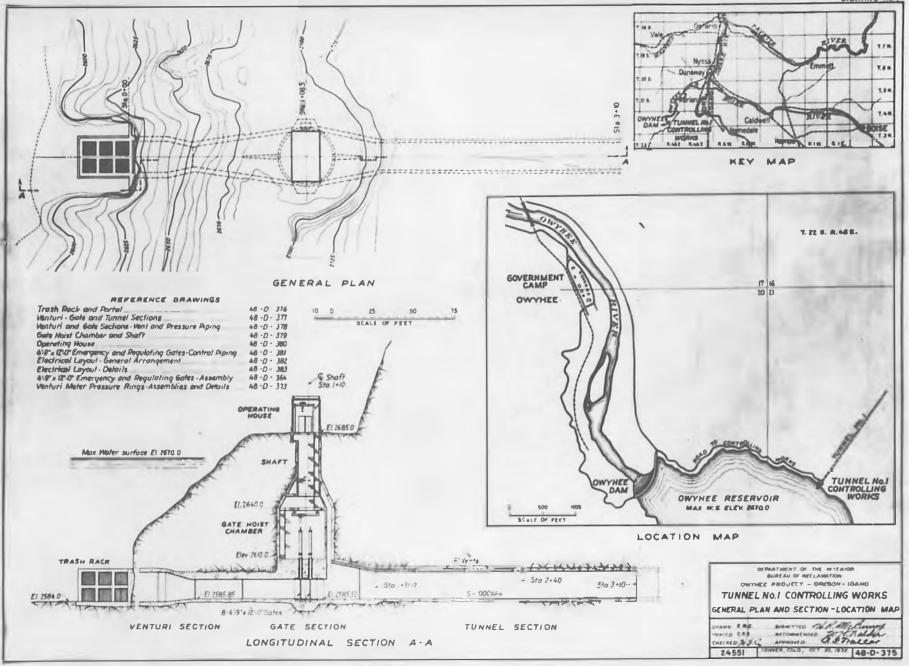
THOPEIS

A portion of the water stored in the Owyhee Reservoir will be diverted through Tunnel No. 1, thence through Tunnel No. 5 and into a high-line irrigation distribution system for use in the Snake River Valley. To measure the discharge through Tunnel No. 1 with various elevations of the reservoir, a measuring device has been built into the regulating headworks near the intake. This device, while neither strictly a Venturi meter nor a Venturi flume, has characteristics of both and will have the flow conditions of either depending upon the elevation of the water surface in the reservoir, the amount of gate opening and the quantity of discharge.

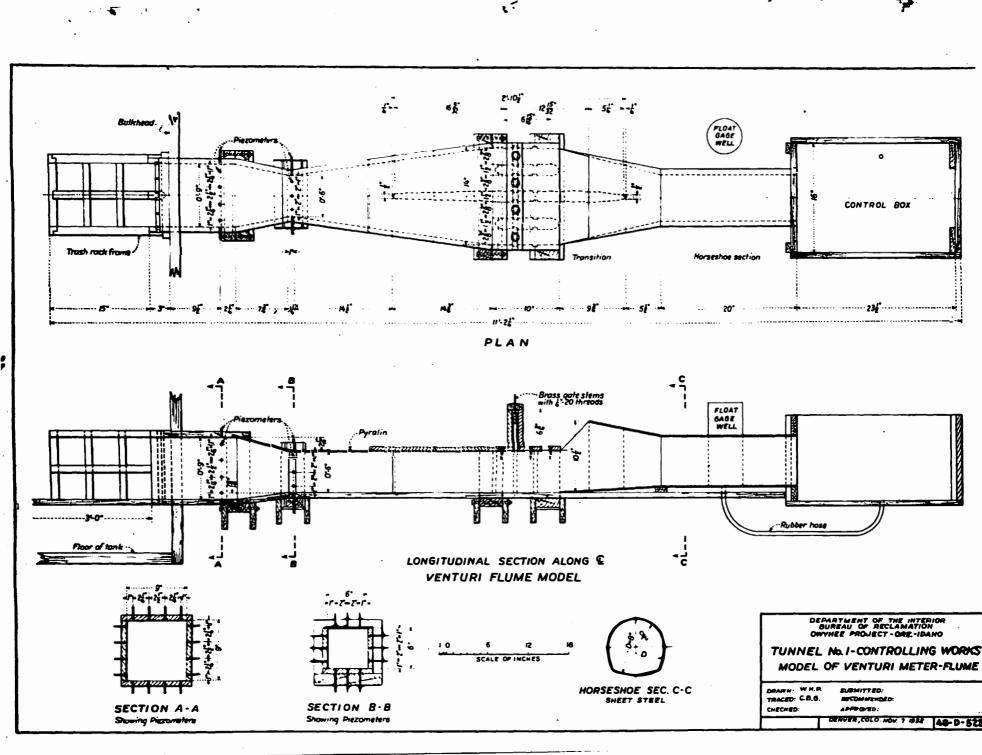
As a means of determining the laws of flow for the measuring device and to obtain data for construction of discharge diagrams and tables, hydraulic model tests were made by the U. S. Bureau of Reclamation in the hydraulic laboratory of the Colorado Agricultural College, Fort Collins, Colorado.

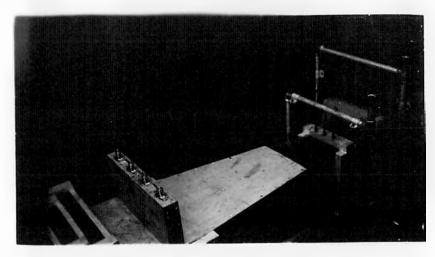
The discharge data obtained from the model was applied to the prototype by the laws of hydraulic similitude as outlined by Chick.*

^{*} Transference Equations, Alton C. Chick, Freeman's "Rydraulic Laboratory Practice," page 799.

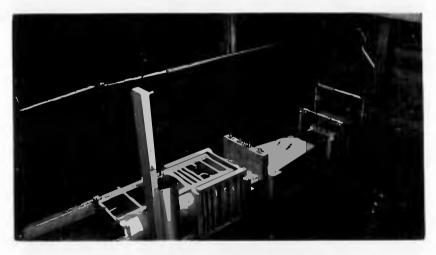


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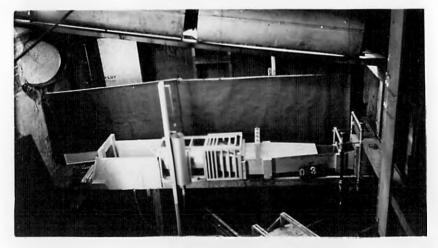




CLOSE UP OF MODEL SHOWING GATE CONTROL MECHANISM AND PEIZOMETER CONNECTIONS



SIDE VIEW OF MODEL AFTER INSTALLATION

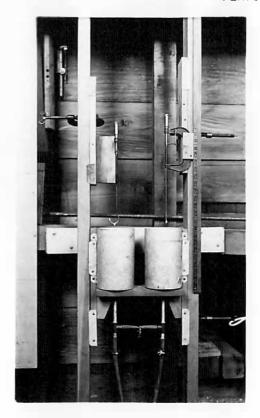


SIDE VIEW OF MODEL AFTER INSTALLATION SHOWING TAILWATER CONTROL BOX

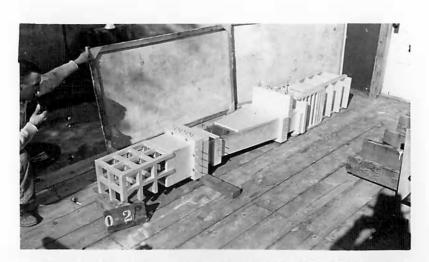
MODEL OF OWYHEE VENTURI METER-FLUME



MODEL DURING CONSTRUCTION



MICROMETER HOOK GAGES AND WELLS



COMPLETE ASSEMBLY OF MODEL BEFORE INSTALLATION

MODEL OF OWYHEE VENTURI METER-FLUME

DESCRIPTION OF MODEL

The model of the Owyhee flume was constructed of redwood on a theoretical scale ratio of 1 to 24 with a pyralin top extending six inches upstream and downstream from the throat or control section (see Plate A). The meter and the approach conditions were dublicated in the model but only about forty feet of the discharge tunnel was used. A control box was built at the end of this short section of tunnel to give the flow conditions in the tunnel.

The model was placed near the bottom of a tank that served as a reservoir and the elevation of the water in this tank was determined by means of a hook gage. A 90-degree V-notch weir was used to measure the quantity. The piezometer rings for determining the difference in head between the entrance section and throat section were placed as in the protetype except that the ring at the throat was placed 1/4-inch upstream (1/2 foot on the protetype) so that the openings would not occur at a corner. There were twelve openings at the upstream ring and nine at the control section, all equally spaced in top, bottom and sides.

During the first twenty-five runs piezometer tubes were used to determine the difference in pressure head between the entrance and throat sections. With this set-up it was necessary to estimate the thousandths of a foot. For low discharges the difference in head was less than a thousandth of a foot so that it was necessary to install a more accurate measuring device. The piezom-

eter rings were, therefore, connected to cylindrical wells and micrometer hook gages, maderate to thousandths of an inch, were used as illustrated on Plate C.

CONDITIONS OF FLOW

The flow in the Venturi moter-flume was divided into three conditions, each of which required a different analysis. These three conditions were:

- (1) The moter-flume was operating as a Venturi meter with both the entrance and throat sections flowing full. The standard Venturi formula was used in the analysis of the data for this condition.
- (2) The meter-flume was operating as a Venturi meter with the entrance section flowing partly full and throat section was flowing full. The standard Venturi formula was used in this case with the substitution of the actual water area at the entrance piezometer cross-section and the cross-sectional area of the meter at the throat.
- (5) The meter-flume was operating as a Venturi measuring flume with both the entrance and throat sections flowing partly full. In the analysis of this data, the formula for discharge over a weir was used with the correction due to submergence included in the coefficient "C" which is a variable dependent upon the percentage of submergence, $h_{\rm b}/h_{\rm a}$.

RESULTS AND CONCLUSIONS

The action of the model was satisfactory except when the discharge condition changes from that of a Venturi meter to that of a Venturi flume. As the water breaks free from the throat-section a disturbance is set up which affects the gage reading at the throat. However, this condition prevails only over a slight range in flow and can probably be remedied by a slight change in the control gate settings.

The gate openings have an influence on the discharge coefficient both when the meter is flowing full and flowing partly full. As a result, it is recommended that all gates should be operated together; i. e., all raised or lowered the same amount. Several runs were made with different gate combinations and all showed a marked deviation in the coefficient of discharge. These runs are not shown in the summary of data for that reason.

The elevation of the water in the discharge tunnel had no effect on the discharge coefficient for the condition where the meter was flowing full, but it did have a decided effect when the throat was flowing free.

As the coefficient of flow in the tunnel cannot be forecast and as it will be subject to change with years of usage, the derivation of the discharge data for the condition of the moter acting as a Venturi flume was made in terms to eliminate that variable. A wide variation of tailwater conditions was made in the model to obtain a wide variation of the ratio of submergence. In turn, the ratio of submergence was related to the elevation hold $h_{\rm B}$ in the entrance section.

Several runs were made with the same discharge but differont reservoir elevations but no effect was found in the coefficient of the meter due to that variable.

At the beginning of the experiments, an air-pocket formed below the throat section and extended downstream about twenty feet (prototype) for high flows and reservoir elevation 26001. To eliminate that condition, vents were installed in the top of the model eight feet and twenty feet (prototype) downstream from the throat section. The vents eliminated the air pockets and were in operation throughout the tests.

Two separate sets of gages will be needed to record the heads at the entrance and throat sections; (1) a differential gage to record the difference in pressure head $(h_a - h_b)$ between the entrance and throat piezometer sections when the meter is acting as a Venturi meter and (2) a set of float gages to record the elevation head at the entrance and throat piezometer sections when the meter is acting as a Venturi flume.

ACINOWLEDCHENTS

The experiments on the Cwyhee Venturi Leter-Flume were conducted in the hydraulic laboratory at the Colorado Agricultural College, Fort Collins, Colorado, by the permission of the Colorado Agricultural cultural College and the staff of the U. S. Bureau of Agricultural Engineering.

The model was built and installed and the first experiments performed by Mr. Walter H. Price, Junior Engineer, under the supervision of the writer.

TABLE NO. 1

SUDDARY OF DATA FOR OWYHEE TUNKEL VENTURI METER-FLUIE.

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EXPLAILTION OF SUIDARY OF DATA FOR

OWYICE TUNNEL VENTURI METER-FLUME

(Venturi Meter Conditions with Both Sections Full)

Table No. 1

All the data both recorded and computed is summarized in .

Table No. 1. The significance of each column and the methods employed in the derivation of the data therein is explained in the following as a general guide:

Column 1 - Run Number - Each run of the test was given a number which usually is chronological in nature except in cases where it was necessary to make re-runs.

Column 2 - Quantity, c. f. s. - The flow of water into the model was measured by a 90-degree V-notch weir, the formula for which is

$$Q = C H^{5/2}$$
 (1)

where C = 2.4972

The head on the weir was measured by a float gage and a hook gage and the results from the two gages were averaged after a correction factor for each was applied. The correction factors were

	Hook Gage	Float Gage
Runs 26 to 101 inclusive	0.5608	3.2197
102 to 126 inclusive	•5666	3.2246
127 to 158 inclusive	.6526	3.2213

Column 3 - Weir Teilwater Gage, Change During Run, Ft. Rise + Fall - - To avoid clogging of the piezometers in the model a screen was placed in the outlet to the weir tailwater box. During the course of a run, material would collect on this screen and cause pondage. To correct for this pondage, a float gage was established and read at regular intervals during a run.

Column 4 - Weir Tailwater Gage, Correction Due To Pondage, C. F. S. From the measurement of the area of the tailwater box and the rise in
the water surface, the amount of pondage was computed for each run,
which, in each case, was of ten minutes duration. The horizontal dimensions of the tank were 7.55 feet by 10.04 feet so that for a change
in elevation of one foot during a run a correction of 0.13 c. f. s.
was made.

Column 5 - Reservoir Elevation, Model Reservoir Elevation, Ft. The elevation of the water surface in the reservoir was measured by a
hook gage mounted near the tank and connected by a 3/4-inch hose to
the bottom of the tank. The gage itself was mounted on a staff with
holes at regular intervals vertically, making it possible to measure
a wide range of elevation.

The datum of the model was assumed to be the datum of the prototype divided by the theoretical scale ratio of the model; i. e., elevation 2600 on the prototype would be 2600/24 or elevation 130.0 on the model. The elevations of the hook gage when set at zero and clamped to the staff at various heights were:

Hole 6 Elevation 110.932 Hole 4 Elevation 107.133

Hole 5 Elevation 109.035 Hole 3 Elevation 105.231

Column 6 - Reservoir Elevation, Change Puring Run, Feet -

Rise + Fall -

Surges in the model made it impossible to maintain a constant reservoir elevation throughout a run. That condition necessitated a correction for change in pondage.

Column 7 - Reservoir Elevation, Correction Due To Pondage, C. F. 3.
Boulder Vam

The tank used as a reservoir contained the model of the Heaver intake

tower and the reservoir was irregular in shape. To correct for the

change in pondage, a reservoir drawdown curve was made from a topo
graphic survey.

Column 8 - Observed Quantity Corrected For Pondage, Model, C. F. S. The correction is made by adding algebraically columns 2, 4 and 7.

Column 9 - Difference in Pressure Head Between Entrance and Throat.

(ha - hb).

The standard Venturi equation was used in the analysis of the experimental data. This equation is

$$Q = \frac{C \pm_{a} \pm_{b} \sqrt{(h_{a} - h_{b}) 2s}}{\sqrt{h_{a}^{2} - h_{b}^{2}}}$$
 (2)

where Aa = entrance cross-sectional area

Ab - throat cross-sectional area

ha = pressure head at ...

hb = pressure head at Ab

g = acceleration due to gravity
(32.145 at Ft. Collins laboratory)

C = experimental coefficient

Equating
$$K = \frac{A_a A_b (2g)^{\frac{1}{2}}}{(A_a^2 - A_b^2)^{\frac{1}{2}}}$$
 (3)

Equation (2) becomes
$$Q = C K(h_a - h_b)^{\frac{1}{2}}$$
 (4)

The difference in pressure heads $(h_a - h_b)$ was observed by means of a differential micrometer hook gage arrangement illustrated on Plate c_a .

Column 10 - $(h_a - h_b)^{\frac{1}{2}}$ - The results of the tests were plotted Q against $(h_a - h_b)$ on logarithmic paper. The resulting plot was a straight line with a slope of n = 0.5 which checked the assumption that, with both measuring sections flowing full, the law of flow was that of the Venturi meter.

Column 11 - Computed Quantity, Q_c - After it was determined that the exponent of the difference in head was 0.5, the square root was computed for each run. Using the observed quantity Q_c in column 8 and the $(h_a - h_b)^{\frac{1}{2}}$ in column 10, the value of (CK) was computed for each run. The average of these values was then used in obtaining a computed quantity Q_c .

Columns 12 and 13 - $(Q_O - Q_C)$ and Per Cent of Deviation - To determine the consistency of the observed data the difference between

the observed quantity and the computed quantity was determined and the per cent of deviation was obtained by dividing the difference by the observed quantity.

Columns 14 and 15 - Gates and Gate Chenings - The control works in Tunnel No. 1 at the Cwyhee development will consist of four Stoney gates each 4'-2" wide by 12' high with suitable control mechanism for lifting. These gates were duplicated in detail in the model and the gate-lifting mechanism was duplicated by using 1/4-inch brass rods with twenty threads to the inch, with thumb-screws on the top to regulate the gate opening. The amount of gate opening was recorded in the model data in terms of number of turns of the thumb-screw but for convenience in applying the data to either the model or prototype this data was converted to percentage of gate opening and is so recorded in Table 10. 1.

DISCHARGE OF OWYRDE TUNIEL VEHTURI METER FAULE
IN CUBIC FEET PER SECOND BY THE FORMULA, Q=1239.44 (h -h) .

(Venturi Meter Conditions with both sections full.)

	10.00	1 0 01	0.5	0.7	T 2 24	0.05	1.00:	0.00		1 0
	L . 00	0.01	0.02	J.03	0.04	0.05	0.06	0.07	ن0.0	U.Ca
0.0	000	124	175	215	248	277	704	740	251	77.05
0.1	392	411	429	447	464		304	328	351	372
0.2	554	568	581	594		480	496	511	526	540
0.3	679	690	701	712	60 7 72 3	6 2 0	632	644	656	667
0.4	784	794	803	813		1	744	754	764	774
0.5	876	885			822	831	841	850	859	868
0.6		968	894	902	911	919	927	936	944	952
0.7	960 1037		976	984	992	999	1007	1014	1022	1030
0.8		1044	1052	1059	1066	1073	1081	1088	1095	1102
0.9	1109	1115	1122	1129	1136	1143	1149	1156	1163	1169
	1176	1182	1189	1195	1202	1208	1214	1221	1227	1233
1.0	1239	1246	1252	1258	1264	1270	1276	1282	1288	1294
1.1	1300	1306	1312	1318	1323	1329	1335	1341	1346	1352
1.2	1358	1364	1369		1380	1386	1391	1397	1402	1408
1.3	1413	1419	1424	1429	1435	1440	1445	1451	1456	1461
1.4	1467	1472	1477		1487	1493	1498	1503	1508	1513
1.5	1518	1523	1528	1533	1538	1543	1548	1553	1558	1563
1.6	1568	1573	1578		1587	1592	1597		1606	1611
1.7	1616	1621	1626		1635	1640	1644		1654	1658
1.8		1667	1672		1681	1686	1690	1695	1699	1704
1.9		1713	1717		1726	1731	1735	1740	1744	1748
2.0						1775	1779	1783	1788	1792
2.1						1817	1822		1830	1834
2.2	1838					1859	1863	1867		1876
2.3	1880	1884	1888	1892	1896	1900	1904	1908		1916

TRAUSFERENCE OF REGULTS FROM MODEL TO PROTOTYPE

Table No. 2

Considering Equation (4) on page 11 the value of K for the model can be determined by substituting the actual values of A_a , A_b and g in Equation (3). In the case of the model

where
$$A_a = 0.566088$$
 sq. ft.
and $A_b = 0.205753$ sq. ft.

$$K = \frac{0.250753 \times 0.566068 \times (2 \times 32.145)^{\frac{1}{2}}}{\sqrt{(0.566088)^2 - (0.255753)^2}}$$

K = 2.298610

and since (CT) = 2.21 (see column 11, Table No. 1) $c = \frac{2.21}{K}$

- 0.9614

In the case of the prototype

where $A_a = (18)^2$, $A_b = (12)^2$ and $\epsilon = 32.16$ (Cwyhee development)

$$K = \frac{(12)^2 \times (18)^2 \times (2 \times 32.16)^{\frac{1}{2}}}{\sqrt{(324)^2} - (144)^2}$$

- 1289.207

Substituting the values for the prototype in Equation 4, page 11:

Q = C K
$$(h_{c} - h_{b})^{\frac{1}{2}}$$

= C.9614 x 1289.207 $(h_{a} - h_{b})^{\frac{1}{2}}$
= 1239.44 $(h_{a} - h_{b})^{\frac{1}{2}}$

From this formula the data in Table No. 2 was computed.

TABLE NO. 3-A

SULPLARY OF DATA FOR CONTRE TUTTED VENTURE METER-FLUME (Model)

Venture meter Conditions with Entrance Section Partially Full and Throat Section Full).

1	2	3	4	5	6	7	8	9	10	11	12	13	14
Run Fo.	.Quan. c.f.s.		Correction due to Pondage, c.f.s.	Hodel	Change	evation Correction due to Pondage, c.f.s.	wodel Q Corrected for Pondage, c.f.s.	ilevation of Water in Throat		_	Entrance Section,	Entrance Section,	Area in Throat Section, Ab, Sq. Ft.
50 51 68 69 70 71 72 73 74 75 99	0.6151 .5371 .1413 .2220 .2832 .3506 .4173 .4964 .5626 .6153 .4917 .5249	-0.001 +.002 +.001 001 +.001 +.003 +.003 +.005 +.002 +.002	+0.0001 0003 0001 0001 0005 0004 0007 0003 0003	108.406 108.338 106.306 108.326 108.307 108.307 108.331 108.401 108.401 108.328	-0.002 001 +.001 +.002 004 002 +.001 001 001 003	+0.0002 +.0001 0001 0002 - +.0004 +.0002 0001 +.0001 +.0001 +.0001 +.0003	0.6154 .5369 .1411 .2218 .2831 .3509 .4170 .4959 .5620 .6151 .4915	.55349 .51036 .57105 .58042 .55773 .53692 .53605 .52088 .50872 .55338 .50718	0.08113 .05877 .00409 .01028 .01631 .02454 .03450 .04628 .06196 .04723 .05678	0.63462 .56913 .57514 .59070 .57434 .56146 .57055 .56916 .57068 .63154 .55441	0.70812 .64263 .64864 .66420 .64784 .63496 .64405 .64266 .64418 .70504 .62791	0.53504 .48556 .49010 .50186 .48949 .47976 .48663 .48558 .48573 .53271 .47444	0.255753 .255753 .255753 .255753 .255753 .255753 .255753 .255753 .255753 .255753 .255753

ABLE NO. 3-B

TRANSFERENCE OF RESULAS FROM MODEL TO FROTCTYPE.

Centuri Leter Conditions with Entrance Section Partially Full and Throat Section Full.

1	2	3	4	5	6	7	8	9	10	11	12	13
Run No.	Prototype Q Corrected for Pondage,		Area in Entrance Section, An, Sq. Ft.	Area in Throat Section, Ab. Sq. Ft.	՛ (հ _ե -հ _Ն) ¹ 2	K	С	CK(ha-hb)	್- ರಂ		No. of Gates Used	Gates Raised, Percent
50 51 68 69 70 71 72 73 74 75 99	1687.8853 1472.5798 367.0013 608.3408 776.4711 962.4292 1143.7247 1360.1272 1541.4227 1687.0624 1348.0592 1466.2715	1.9250 1.3946 0.0970 .2439 .3670 .5623 .8186 1.1456 1.4703 1.8546 1.1207	301.2498 273.3905 275.9467 282.5681 275.6033 270.1249 273.9930 273.4018 274.0493 295.9379 267.1295 269.4098	144.000 144.000 144.000 144.000 144.000 144.000 144.000 144.000 144.000 144.000	1.38746 1.18093 0.31151 .49389 .62210 .76307 .90478 1.07035 1.21254 1.36184 1.05661 1.16076	1314.9137 1358.7141 1353.9350 1342.3451 1354.5681 1365.1052 1357.5685 1358.6953 1357.4654 1316.6300 1371.2587 1366.5473	.9353 .9365 .9409 .9287	1690.6623 1486.9330 390.8490 614.3751 780.9086 965.3164 1138.2664 1347.6808 1525.3307 1661.6096 1345.2238	- 2.7770 -14.3532 - 3.8477 - 6.0343 - 4.4375 - 2.8872 + 5.4583 +12.4464 +16.0920 +26.4528 + 2.8354 - 3.6911	-0.2 -1.0 -1.0 -0.6 -0.3 +0.5 +0.5 +1.1 +1.6 +0.2 -0.3	#11 # # # # # # # # # # # # # # # # # #	100.00 100.00 8.85 15.42 22.09 31.69 41.68 58.35 100.00 70.82 79.20

EXPLANATION OF SUMMARY OF DATA OWYHEE TUNNEL VENTURI METER-FLUME

(Venturi Meter Condition with Entrance Section Partly Full and Throat

Section Full) Table No. 3-4
Columns 1 to 8 inclusive - See explanation of Table No. 1.

Columns 9, 10 and 11 - Elevation of Water in Throat of Model, hh, Feet -Model Difference in Head, (ha - hb), Feet - Elevation of Water in Entrance of Model, ha, Feet _ The elevation of the water surface in the entrance and throat piezometer sections of the model was measured by the micrometer hook gages shown in the photograph on Plate C. throat or hh gage was referred in elevation to the elevation of the crest in the throat of the model, and, as each run was made, the correction factor between the ha and hb gages was determined by closing the tubes leading to the gage wells with pinch-cocks and opening the connecting tube between the wells. This so-called "zeroing" of the gages was necessary on practically every run as the range of the micrometer scales was only one inch. A steel tape on the right-hand side of the gage apparatus was used to refer the hb gage to the throat crest as it was necessary to raise or lower it for each run. From the scale reading and micrometer reading, the elevation head in the throat was determined. With hr. known, and the difference (ha - hb) determined by observation, the value of ha was found by subtraction.

Column 12 - Depth in Entrance Section of Model, da, Feet - The depth of water in the entrance section of the model was obtained by adding the elevation of the water in the entrance above the throat crost and the difference in elevation between the floor of the entrance and the floor of the throat.

Column 13 - Area in Entrance Section, A_a, Square Feet - The area in the entrance section is the depth of water, d_a, (model) multiplied by the width of the section which was obtained by calipering.

Column 14 - Area in Throat Section, A_b, Square Feet - The model area in the throat section was obtained by multiplying the width by the height of the section.

TRANSFERENCE OF RESULTS FROM MODEL TO PROTOTYPE CITYLETE TUNNEL VENTURE METER-FLUNG

(Venturi Meter Condition with Entrance Section Partly Full and Throat
Section Full) Table No. 3-B

Column 1 - See explanation of Table No. 1.

Column 2 - Prototype Quantity, Q_0 , C_0 . F. S. - The prototype Q was determined by multiplying the observed model Q by $n^{5/2}$. The value of n was found by dividing the area of the throat on the prototype by the area of the throat on the model and extracting the square root of the result.

Column 3 - Prototype Difference in Head, $(h_a - h_b)$, Feet - The prototype $(h_a - h_b)$ was found by multiplying the model $(h_a - h_b)$, column 10, Table No. 3-1, by the scale ratio, n = 23.7285.

Column 4 - Area in Entrance Section of Prototype, Aa, Sq. Ft. -

The prototype area in the entrance section was found by multiplying the model area by n^2 , (563.0417).

Column 5 - area in Throat Section of Prototype, Ab, Sq. Ft. - The prototype area in the throat section was found by multiplying the model area by n² (563.0417).

Column 6 - (ha - hb) - The square root of (ha - hb), column 3.

Column 7 - WKW - In the case of both sections flowing full as in Table

No. 1, the value of WKW was a constant. In this case, however, due to

Aa being a variable, WKW is a variable and must be computed for each run.

Column 8 - Coefficient of Discharge, C - The observed quantity, Q_0 , the square root of the difference in head and the value of "K" were substituted in Equation 4 on page 11 and a value of C was determined for each run. These were averaged and used to compute Q_0 . In this case the value of C was 0.9267.

Column 9 - Prototype Computed Quantity, Q_c , C. F. S. - The value of Q_c was found by substituting the values of C, K and $(h_a - h_b)^{\frac{1}{k}}$ in Equation 4 on page 11. The data in this column was plotted on Plate F which is the discharge diagram for the flow condition in the prototype when the throat section is flowing full and the entrance section partly full.

Columns 10 to 13 inclusive - See explanation of columns 12 to 15 inclusive in Table No. 1

FLATE!				'y/oy	4	
DIATE!				94		
The second second						
And the second second	phril Took					1
ברחשי פרחשי	1	Dy .				//
ALCOHOL: NO THE RESERVE OF THE PARTY OF THE						//
	โอดาก สอกเวล				/	
DAIO?		qy				
7						
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TABLE NO. 4

SUMMARY OF DATA FOR OWYHEE VENTURI ETER-FLULE.

(Venturi Flume Conditions)

1	2	3	4	5	6	7	8	9	10	11	12	13
Run No.	Quan. 0.f.s.	Model Pond Elev. Feet.	El. of Water in Throat. hb, Ft.	(h _a -h _b) Ft.	El. of Water in Entrance ha, Ft.	hb/ha	hal.59	Computed	C from Curve on Plate D	Q.	ĩo-Qc	Deviation 3
	0.5012 .5001 .5014 .5006 .5003 .4019 .4025 .4020 .4006 .4004 .4000 .3024 .3026 .3023 .3013 .3049 .3049 .3049 .2007 .2007 .2010 .1994 .2000 .2004 .0997	108.218 108.219 108.227 108.247 108.273 108.153 108.154 108.169 108.194	hb, Ft. 0.32288 .32290 .34313 .39265 .439265 .28538 .29003 .28766 .32412 .37367 .43648 .23969 .24185 .25642 .29140 .36558 .43463 .18882 .19657 .24469 .28703 .39477 .12170 .13227		ha, Ft. 0.43707 .43730 .44651 .47252 .50281 .37947 .38269 .38063 .39987 .43090 .47791 .31735 .31836 .32523 .34547 .39982 .45923 .49797 .24550 .24724 .25072 .27903 .31143 .40739 .15858 .16349	0.7387 .7384 .7685 .8310 .8749 .7520 .7579 .7557 .8106 .8672 .9133 .7553 .7597 .7884 .9464 .9464 .9607 .7516 .7637 .7840 .8769 .9217 .9690 .7674 .8090	0.26821 .26885 .27748 .30362 .33514 .21424 .21713 .21528 .23284 .26222 .30914 .16123 .16205 .16764 .18457 .23278 .29015 .33003 .10720 .10841 .11084 .13140 .15647 .23984 .05350 .05616	C 3.686 3.669 3.564 3.252 2.944 3.700 3.656 3.683 3.394 3.012 2.552 3.699 3.683 3.557 3.220 2.584 2.069 1.814 3.693 3.652 3.577 2.993 2.521 1.648 3.676 3.498	3.734 3.735 3.638 3.310 3.001 3.692 3.675 3.681 3.435 3.061 2.618 3.668 3.557 3.228 2.599 2.110 1.840 3.696 3.573 2.986 2.503 1.667 3.639 3.445	0.5078 .5091 .5118 .5095 .5099 .4010 .4046 .4018 .4055 .4069 .4103 .3009 .3014 .3023 .3021 .3067 .3104 .3079 .2009 .2008 .2008 .1989 .1986 .2027 .0987	-0.00660090010400890096 + .00090021 + .0002004900650103 + .0015 + .0012 .0000000800180061004400020001 + .0002 + .0005 + .00140023 + .0010 + .0015	-1.32 -1.80 -2.08 -1.78 -1.92 +0.22 -0.52 +0.05 -1.22 -1.63 -2.57 +0.50 +0.40 0.00 -0.27 -0.59 -2.00 -1.45 -0.10 -0.05 +0.10 +0.25 +0.70 -1.15 +1.00 +1.51
153 154 155 156 157 158	.0991 .0992 .0987 .6745 .1478	107.915 107.940 107.994 108.318 107.946 107.848	.15668 .19125 .25528 .38353 .15275	.02160 .01373 .00714 .13832 .04878 .02498	.17828 .20498 .26242 .52185 .20153 .11499	.8788 .9330 .9728 .7360 .7580	.06446 .08047 .11918 .35555 .07832	3.032 2.432 1.634 3.742 3.722 3.613	2.976 2.332 1.575 3.742 3.675 3.581	.0973 .0951 .0952 .6745 .1459	+ .0041	+1.82 +4.13 +3.55 0.00 +1.28 +0.85

EXPLANATION OF SUMMARY OF DATA

FOR OWNER VEHTURI HETER-FLUIS

(Venturi Flume Conditions)

Columns 1 to 3 inclusive - See explanation of columns 1, 2 and 5 in Table No. 1.

Columns 4, 5 and 6 - See explanation of columns 10, 11 and 13 in Table No. 3.

columns 7 and 8, h_b/h_a and h_al.59 - An analysis of the observed data showed that the law of flow through the measuring section of the flume when it was partly full followed that of the flow over an ogee dam crest when it is submerged. Horton made such an assumption in his analysis of the discharge over submerged dams in the U.S. Department of Waterways Experiments.* By plotting the data from the runs with the

same degree of submergence on logarithmic paper, a straight line was found which has a slope ratio of 1.59 which is the exponent of $h_{\bf q}$ in the equation

Q = C Wb han

where C = an experimental coefficient dependent on the ratio of submergence, h_D/h_{go}

Wb = width of the throat section

ha = elevation of the water surface in the entrance section
above the crest of the throat section

^{* 7.} S. Paper No. 200, page 146.

Column 9 - Coefficient of Discharge, C (Computed) - From the value of $h_a^{1.59}$ in column 8 and the observed quantity in column 2, the coefficient of discharge was found by substituting in the formula:

$$C = \frac{Q}{W_b h_a 1.59}$$

where $W_b = 0.507$ ft.

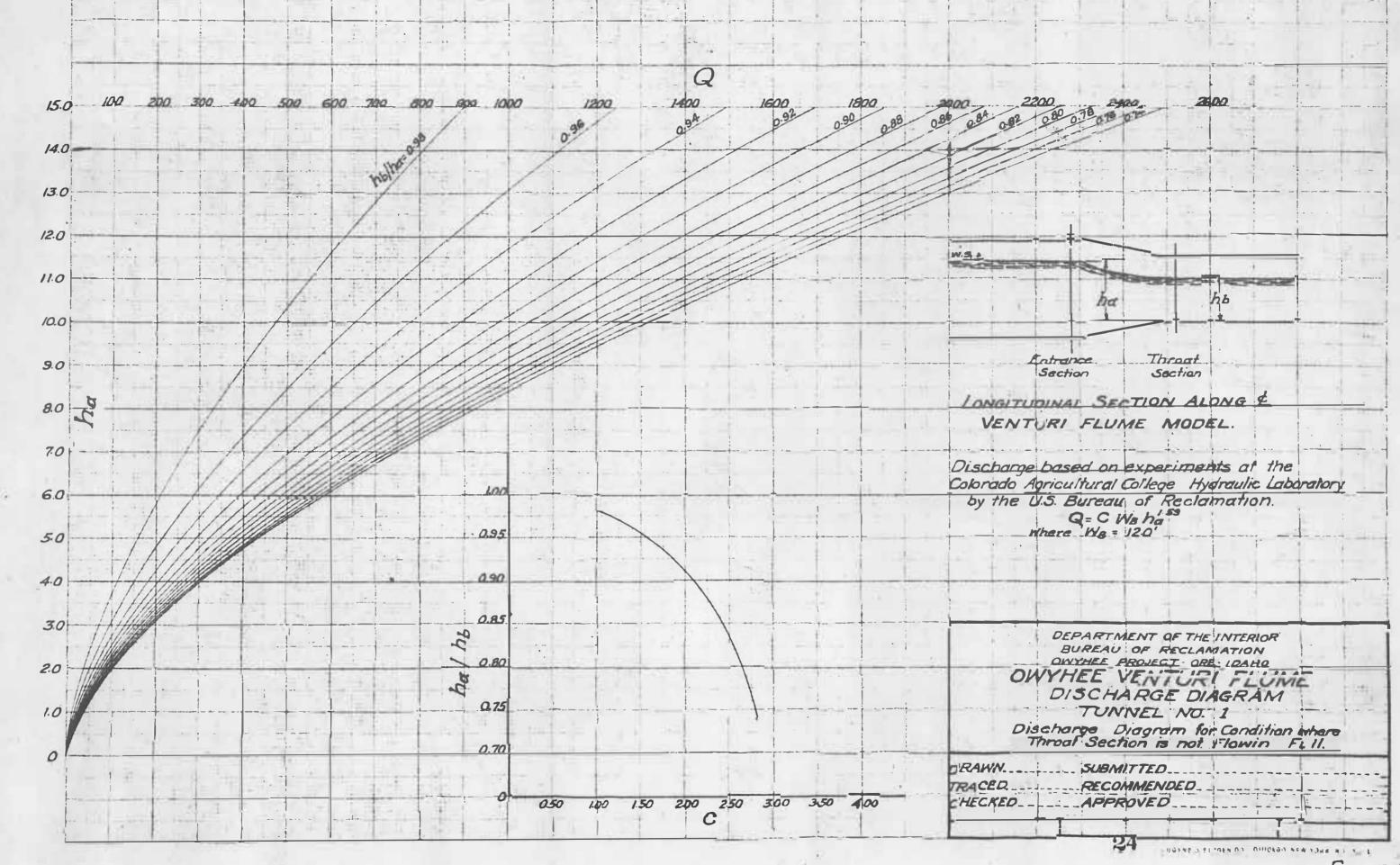
Column 10 - Coefficient of Discharge, C (From Curve) - From the values of h_a/h_b in column 7, the curve shown on Plate D may be entered and the coefficient of discharge found.

Column 11 - Calculated Discharge, Q_c - From the values of $h_a^{1.59}$ in column 8 and the coefficient of discharge in column 10

$$Q_c = c W_b h_u 1.59$$

where W_b = 0.507

Columns 12 and 13 - ζ_O - ζ_C and Doviation in Per Cent - See columns 12 and 13 in Tablo No. 1.



D. . - E

BLE 5-A

COMPUTATION OF DISCHARGE Q, FOR OWNER VINTURE METER-FILME MODEL.

	h _b /h _a	0.74	0.76	0.78	0.80	0.82	0.84	0.86	0.88	0.90	0.92	0.94	0.96	0.98
hg	per.	3.730	3,668_	3.590	3.491		3.252	3.116	2.962	2.771	2.525	2.221	T	1,340
0.6 0.5 0.4 0.3 0.2 0.1	0.44386 .33217 .23296 .14744 .07738 .02570	.83938 .62817 .44055 .27883 .14634 .04861	.61773 .43323 .27419	.14084	0.78560 .58792 .41232 .26096 .13696	0.76062 .56925 .39921 .25266 .13260	.54767 .38410 .24309 .12758	0.70122 .52477 .36803 .23293 .12225	.49883 .34984	0.62358 .46666 .32728 .20714 .10871	.42524 .29823 .18875 .09906	.37404 .26232 .16602	.31257 .21921 .13874 .07281	.22567 .15827 .10017 .05257

7.3LE 5-1.

				2PU	PURULATION OF DISCHARGE QUITER FUNDIED FUNDIES AND ARREST THE TRANSPORTER									
(A)	h_b/h_a	0.74	0.76	0.78	0.80	0,82	0.84	0.80	0.38	0.90	0.92	0.94	0.96	0.98
ha	ha 1.39 C	2.806	2 .7 59	2.70C	2,626	2,542	2.446	2.344	2.226	2.084	1.899	1.671	1.396	1.008
14.2014 11.8345 9.4676 7.1007 4.7338 2.3669	67.9527 50.8521 35.6633 22.5720 11.8463 3.9350	1712.091	1650.637 1180.778 747.311 392.203	1647.822 1155.676 731.421 383.863	1002.369 1123.767 711.252	1551.449 1088.056 688.630 361.404	1492.687 1046.873 662.547	1430.272 1000.074 601.056	135572 303.497 303.485 316.733	1271.892 692.009 504.505 253.291	812.852	1019.454 714.555 455.451	251.916 597.462 378.139 198.445	27°.016

Model Prototype $Q = 0 \text{ whin } h_B^{1.59}$ Where Whin = 0.507 Where Whin = 0.507 Whin = 0.507

= 23.669

TRANSFERT OF OF RESULTS FROM MODEL TO PROTOTOPE

(Venture Flume Conditions)

The computed coefficient of discharge "C" in column 9,

Table No. 4, was plotted on Plate T as the ordinate and the ratio

of submergence as the abscissa and a curve drawn through the points.

The discharge Q in the model was computed for different ratios of submergence and the different values of ha. These results are shown in Table No. 5-4.

The original plans for the model were made with a scale ratio of 1:24 but as wood was used for the construction the expansion of the model due to absorption of water changed the scale ratio slightly.

In this case, where the throat was flowing partly full, it was assumed that the width of the throat would have the major effect and the ratio of the actual width of the throat in the model to that in the prototype was taken as a scale ratio; i. e.,

$$n = \frac{0.507}{12.000} = 23.669$$

with this value of n: from the laws of hydraulic similitude

$$Q:Q_m = n^{5/2}:1$$

in which Q stands for discharge; W_b , the width of the throat section; $h_{\mathbf{q}}$, the elevation of the water surface in the entrance section above the crest of the throat section; and the subscript m indicates values for the model.

The discharge data for the prototype was computed by multiplying the values of h_a in Table No. 5-A by the scale ratio, n, and the discharge quantities were computed by multiplying the model quantities by $n^{5/2}$. The prototype data is recorded in Table No. 5-B.

With the h_a , Q and W_b known, the value of C was computed and plotted on Plate \mathfrak{P}_a .

The discharge diagram, Plate F, was plotted using the values of h_a , h_b/h_a and Q in Table No. 6-P.

